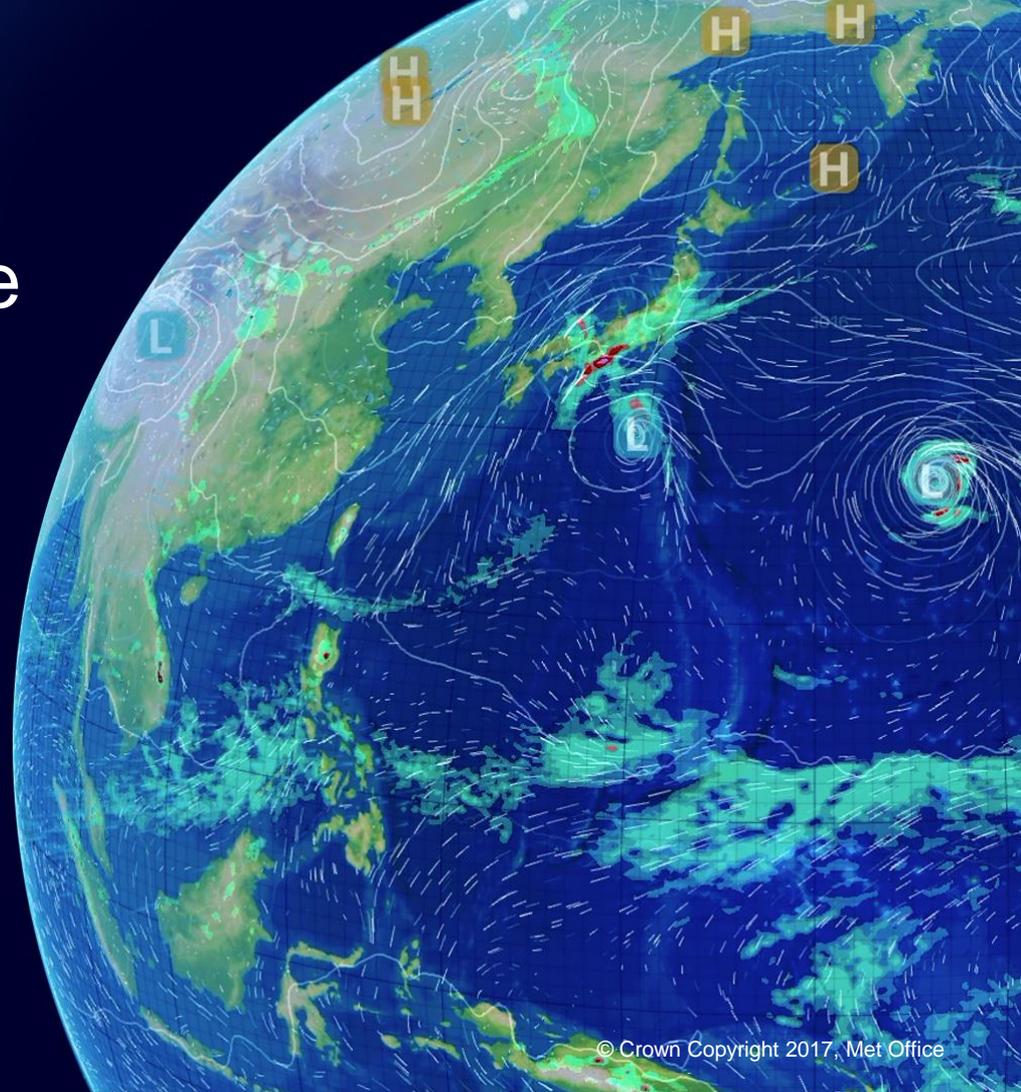


Orographic drag and the mountain-wave grey zone

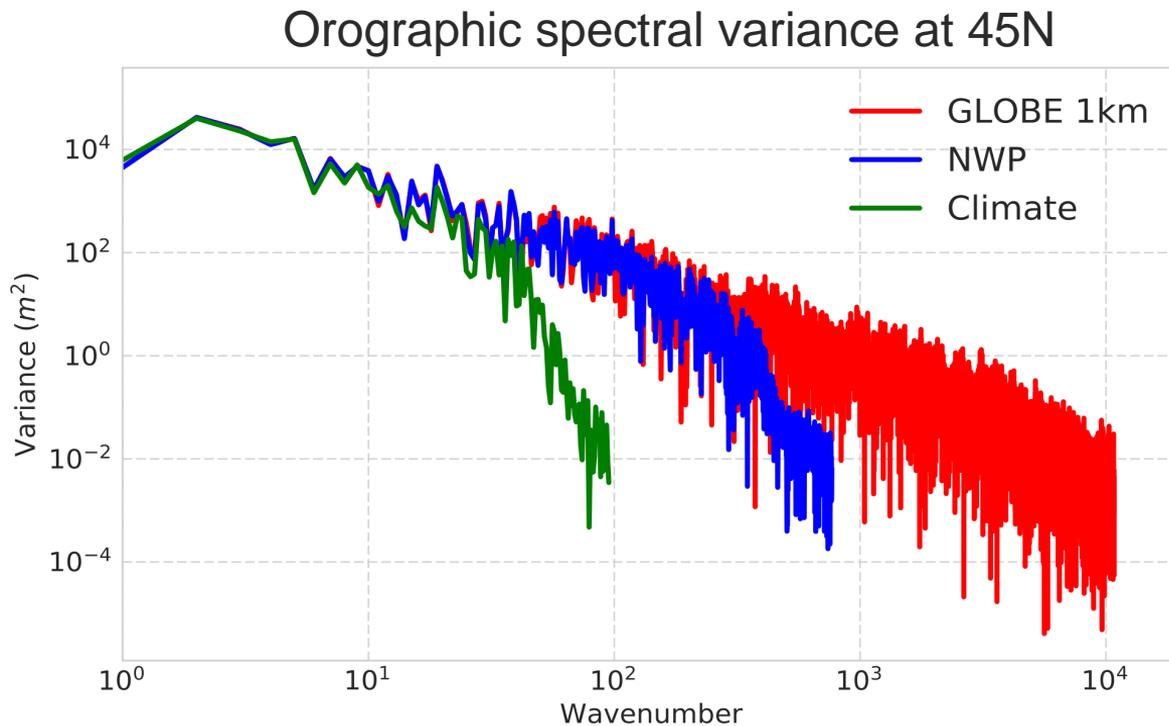
Annelize van Niekerk

Simon Vosper

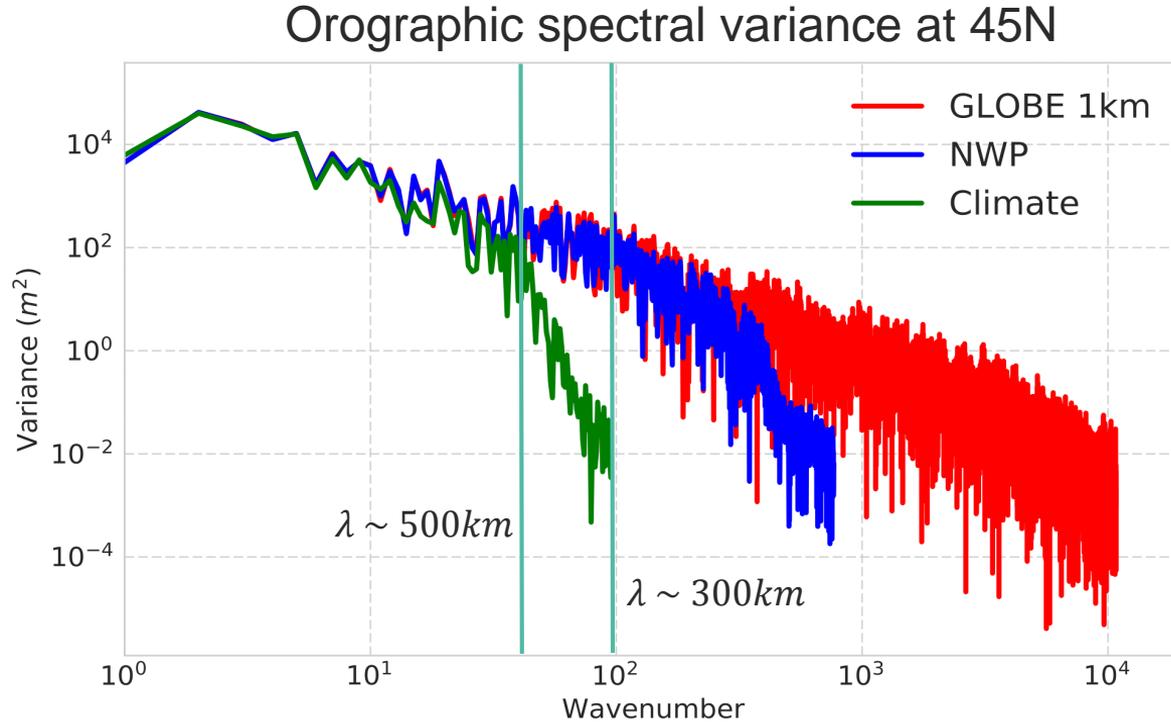
Andy Elvidge



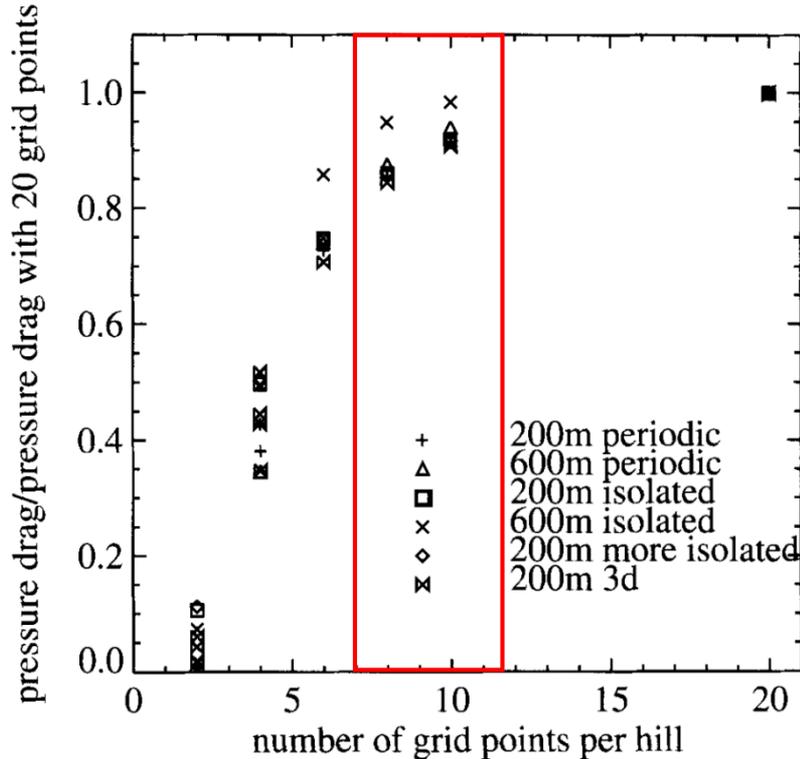
Orography in a 'grey-zone' at all resolutions



Orography in a 'grey-zone' at all resolutions



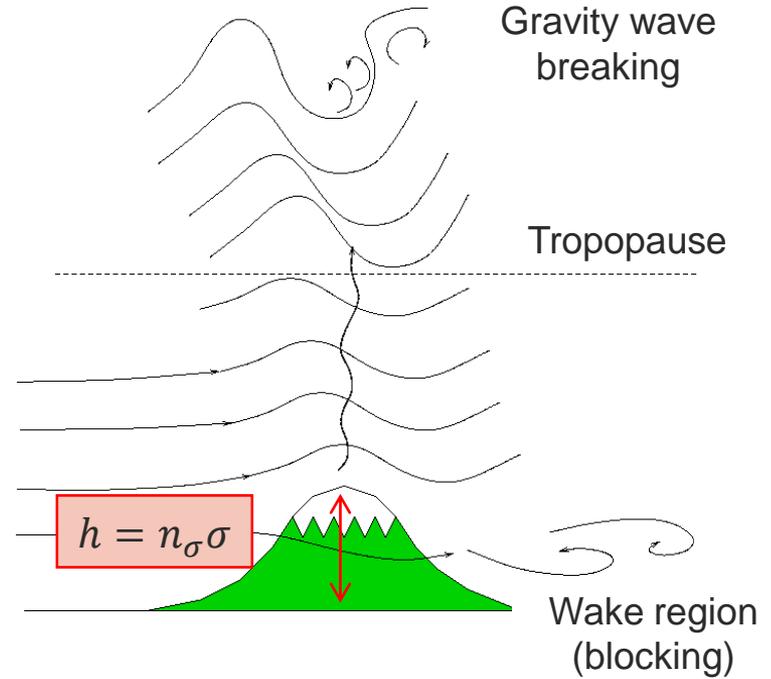
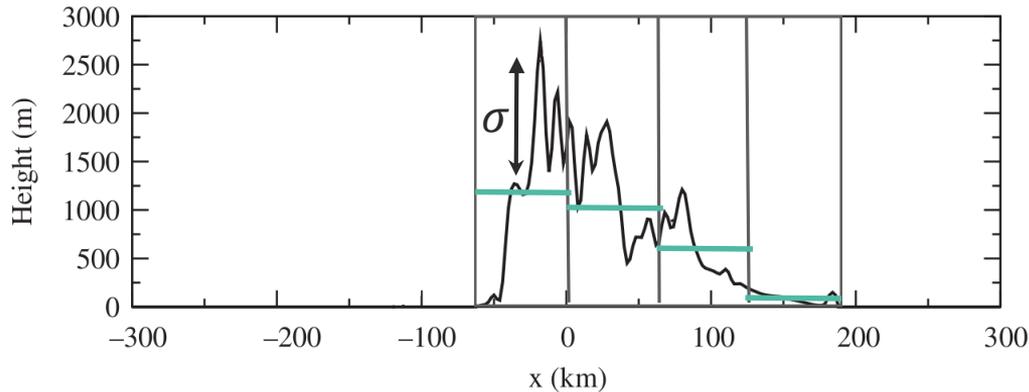
Effective resolution



10 grid points over length of hill are required to fully represent pressure drag →

Demonstrates the need to parametrize orography larger than the grid scale

Orographic drag scheme

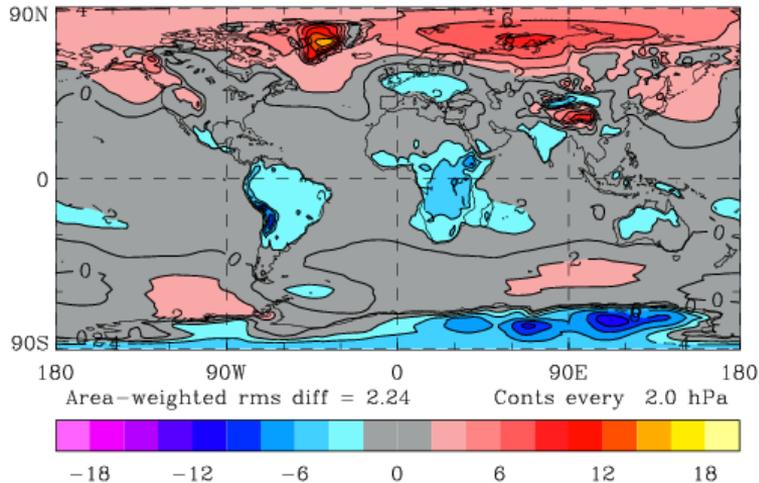


Parametrization schemes represents sub-grid orography as standard deviation of orography in grid and scale it by $n_\sigma \rightarrow$ Effective resolution can be accounted for by scaling n_σ

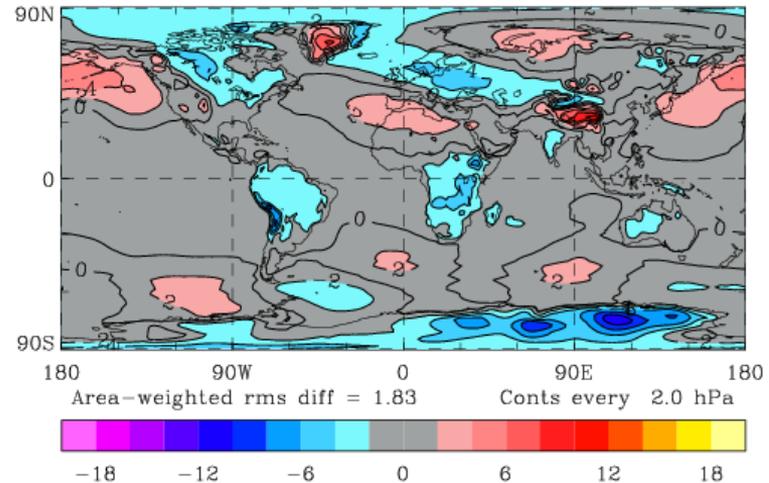
Orographic drag is important for circulation across timescales and resolutions

Climate timescales and low resolutions (~150km)

Standard UM ($n_\sigma=2.5$) – ERAinterim



reduced n_σ (=1.5) – ERAinterim



DJF pressure at mean sea level (1988 - 2008) , c.o. Keith Williams.

Orographic drag is important for circulation across timescales and resolutions

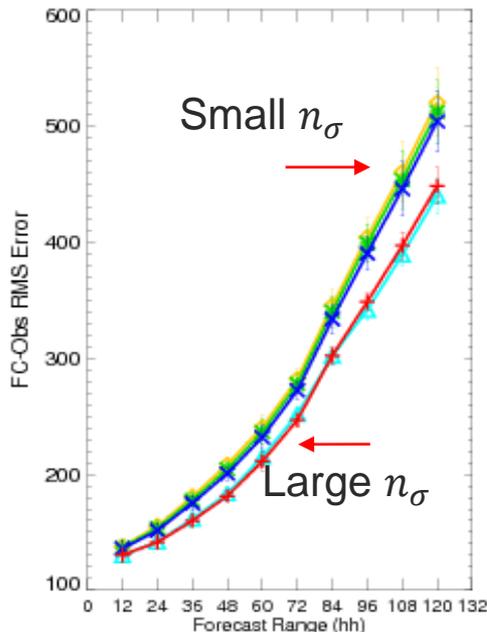
Short range forecasts and high(er) resolutions (~50km)

Mean Sea Level Pressure (Pa): Surface Obs
Northern Hemisphere (CBS area 90N-20N)
Equalized and Meaned from 1/11/2013 00Z to 2/4/2014 12Z

Cases: $\color{red}+$ GA6#136p19p1 $\color{blue}\times$ $n_\sigma=1.7$ $\color{green}\ast$ $n_\sigma=1.6$ $\color{orange}\diamond$ $n_\sigma=1.5$ $\color{cyan}\triangle$ $n_\sigma=3.0$

Plot shows PMSL RMS error for NH winter

Reducing scaling factor significantly increases PMSL RMS error over NH
→ lose one day of skill



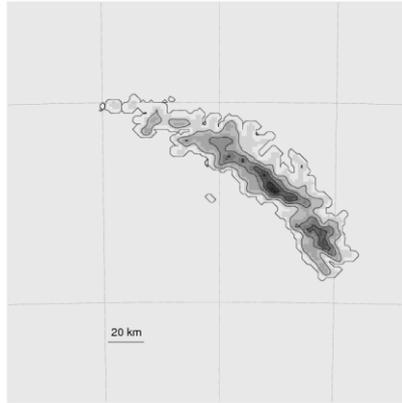
c.o. Andy Elvidge

Aims

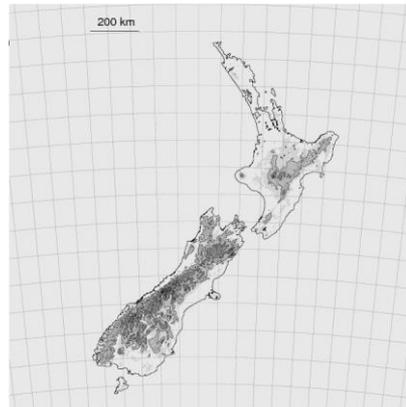
- Use short range (24 hour) limited area Unified Model simulations at a range of resolutions and assume highest resolution simulations represent the “truth”.
 - e.g. Vosper et al. (2016) Orographic drag on islands in the NWP mountain grey zone, QJRMS.
- Use high resolution model simulations to:
 - Constrain the uncertain parameters in orographic drag scheme
 - Understand how model resolved and parametrized drag (from GWs, flow blocking etc) behaves across a range of resolutions.
 - Understand how this varies for different orographic shapes/regions across the globe.

Isolated islands in the Southern Ocean

South Georgia



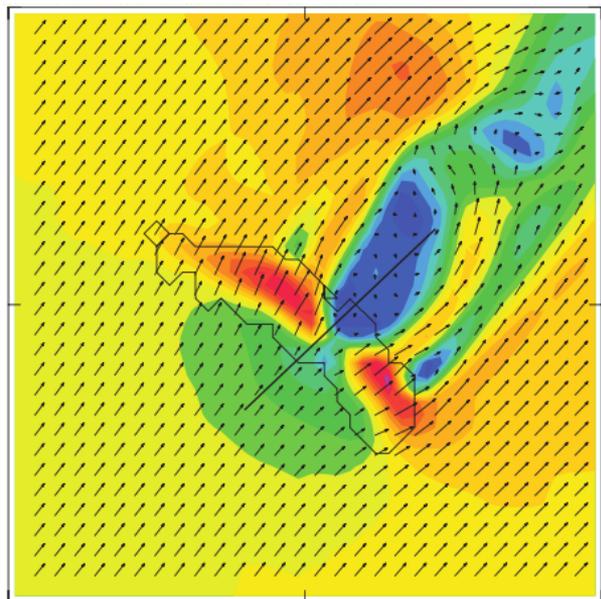
New Zealand



Consider simpler orography:

- Closer to the approximations made in parametrization schemes – i.e. isolated, unaffected by rotation ($\lambda < 1000km$) etc
- Simpler flow regimes (compared with other orography)

Near surface winds

→ 20 m s⁻¹Wind speed (m s⁻¹)

0

4

8

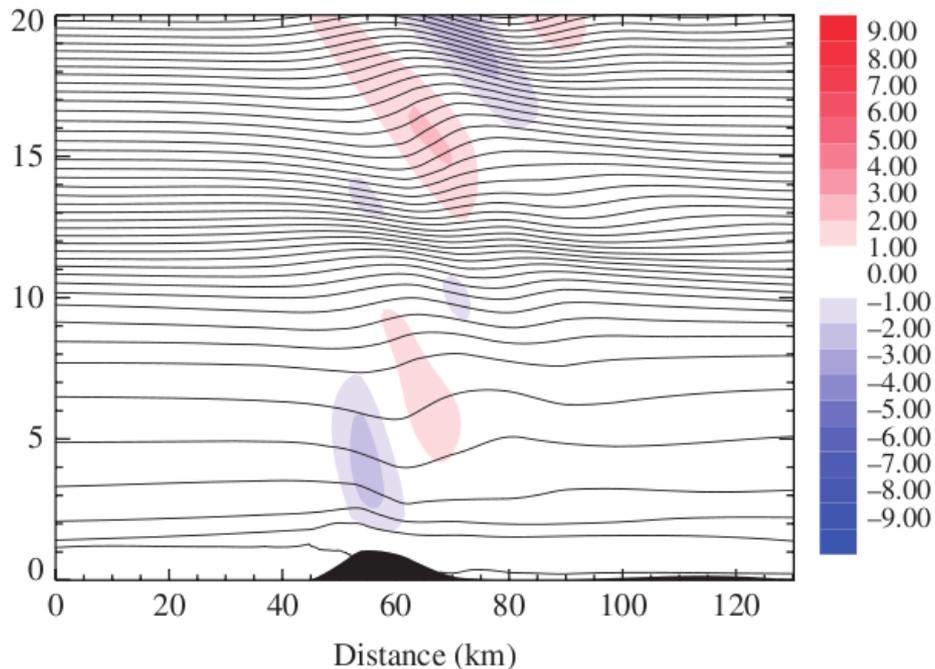
12

16

20

24

28

Vertical wind (w')

20

15

10

5

0

0

20

40

60

80

100

120

Distance (km)

9.00

8.00

7.00

6.00

5.00

4.00

3.00

2.00

1.00

0.00

-1.00

-2.00

-3.00

-4.00

-5.00

-6.00

-7.00

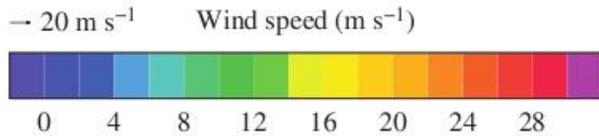
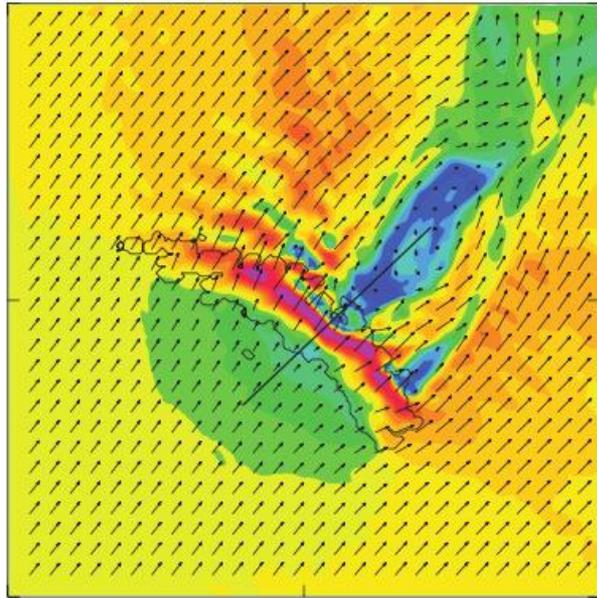
-8.00

-9.00

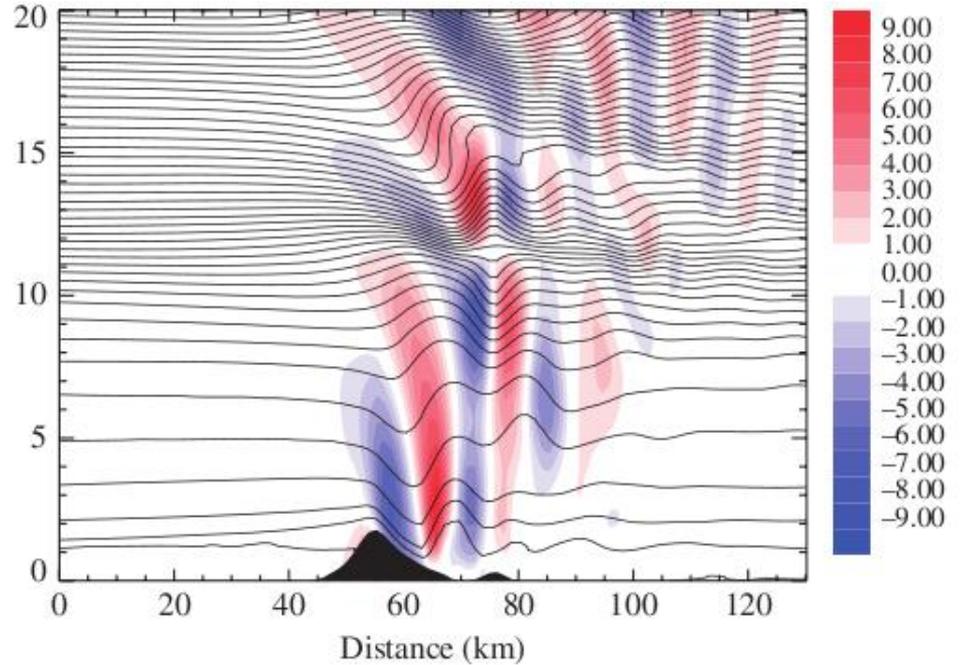
Perturbation quantities are computed as the deviation from runs with no orography

South Georgia – 1.5km

Near surface winds

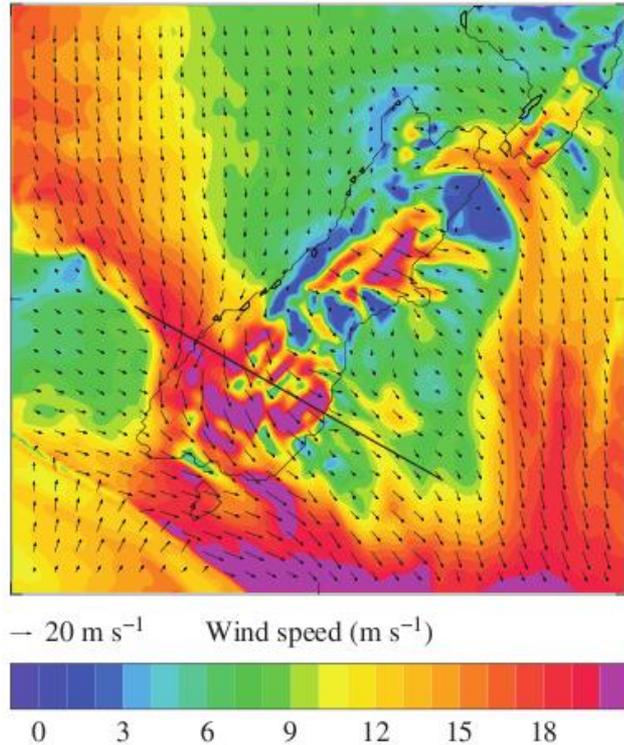


Vertical wind (w')

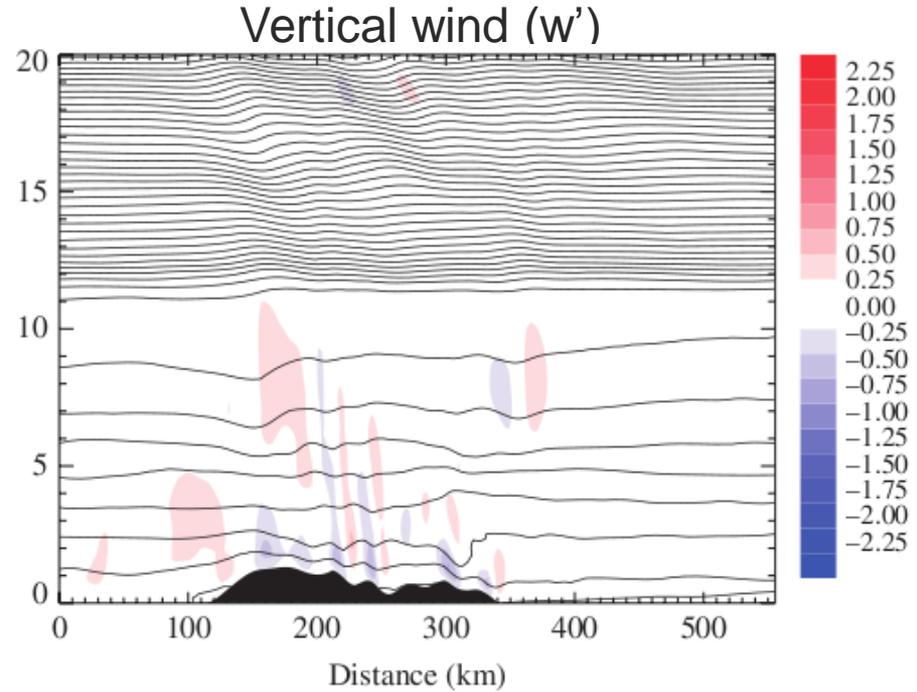


Perturbation quantities are computed as the deviation from runs with no orography

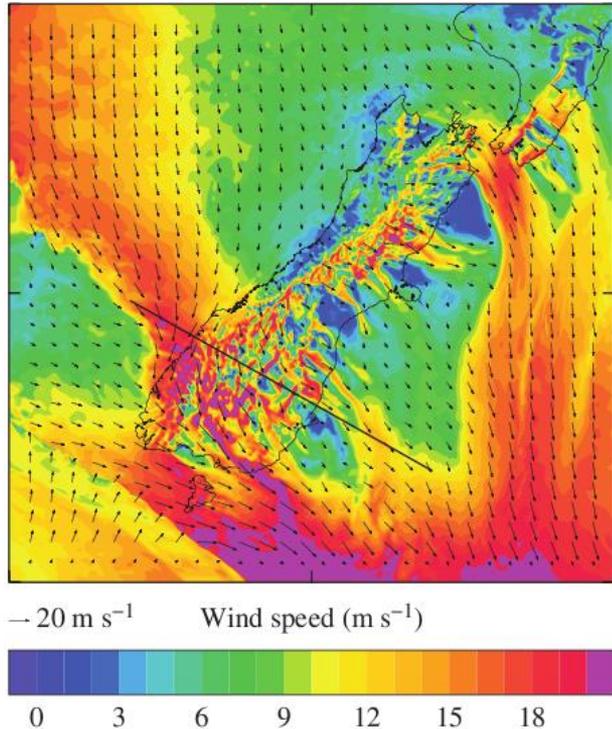
Near surface winds



Perturbation quantities are computed as the deviation from runs with no orography

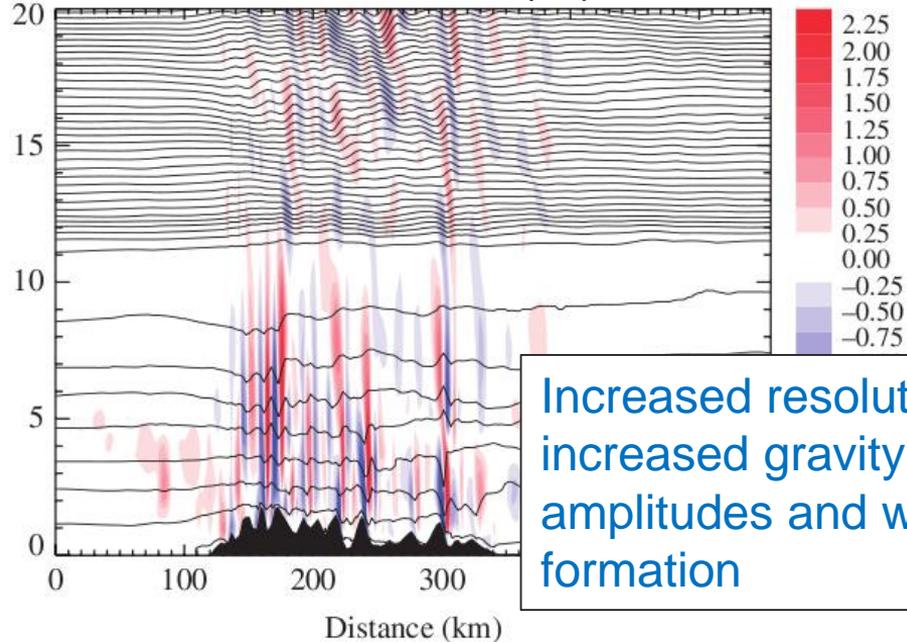


Near surface winds



Perturbation quantities are computed as the deviation from runs with no orography

Vertical wind (w')



Increased resolution \rightarrow increased gravity wave amplitudes and wake formation

Resolved mountain pressure drag:

$$\mathbf{D} = (D_x, D_y) = \frac{1}{A} \int \int p' (\partial h / \partial x, \partial h / \partial y) dx dy,$$

Pressure perturbation
due to orography

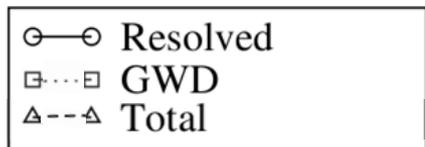
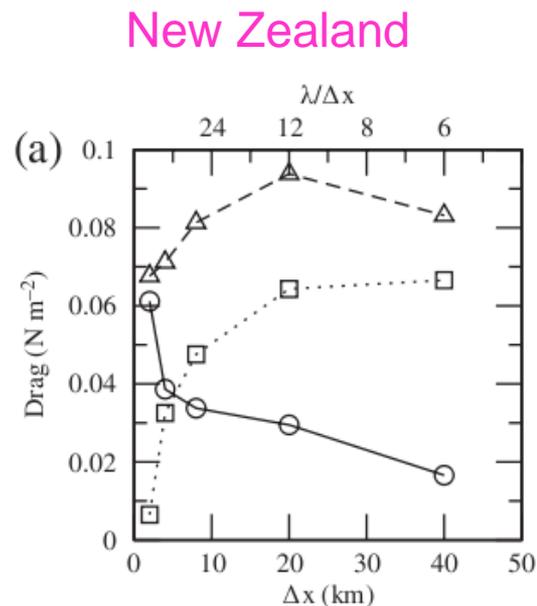
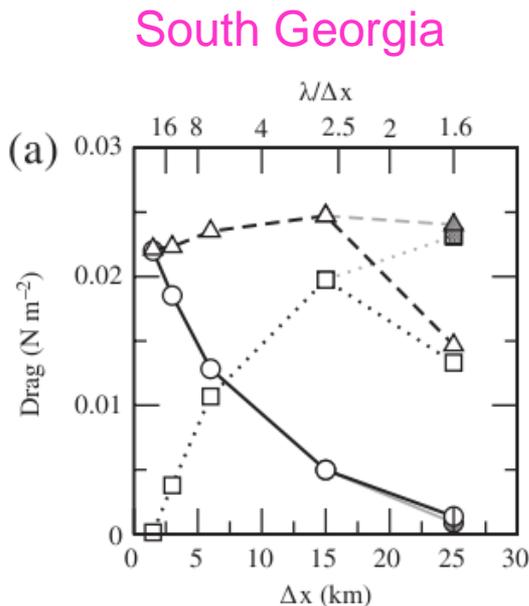
Orographic gradient
in x and y directions

How well is the total drag represented across a range of model resolutions?

Plots shows time-mean resolved and parametrized surface pressure drag

Resolved drag decreases monotonically with increasing grid spacing and parametrized drag increases with increasing grid spacing

With the same tuning as South Georgia ($n_\sigma = 5$), parametrized drag over NZ increases too rapidly with Δx



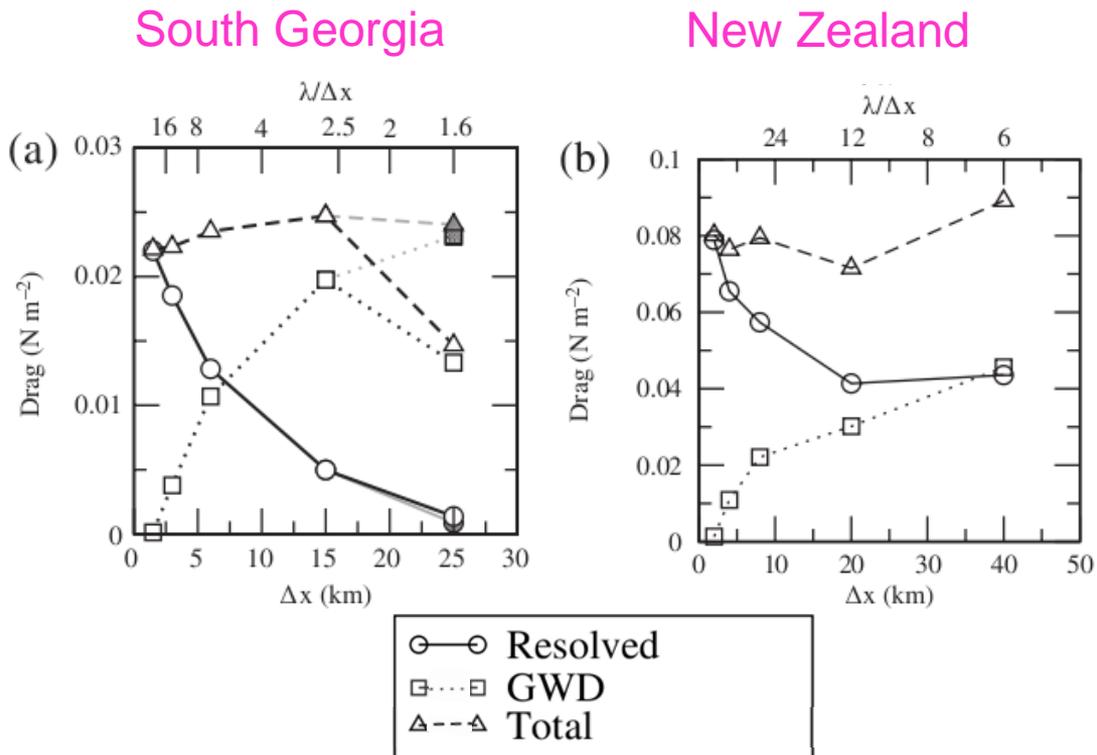
How well is the total drag represented across a range of model resolutions?

Plots shows time-mean resolved and parametrized surface pressure drag

Resolved drag decreases monotonically with increasing grid spacing and parametrized drag increases with increasing grid spacing

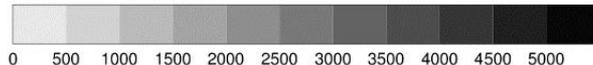
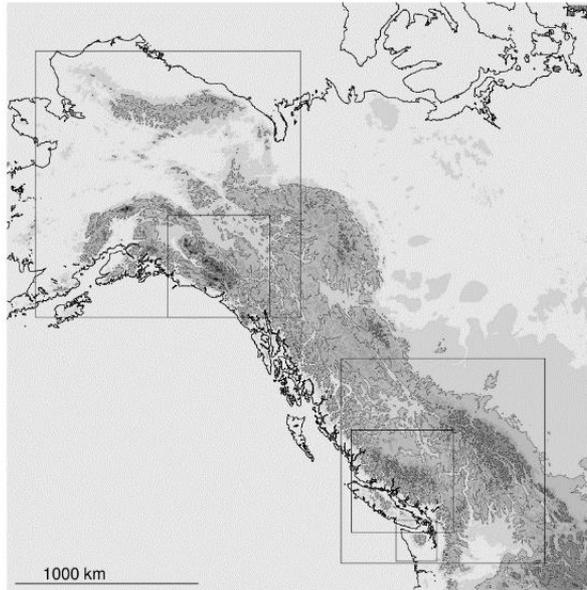
With the same tuning as South Georgia ($n_\sigma = 5$), parametrized drag over NZ increases too rapidly with Δx

With retuning of scaling factor ($n_\sigma = 2.5$), SSO drag is much better over NZ

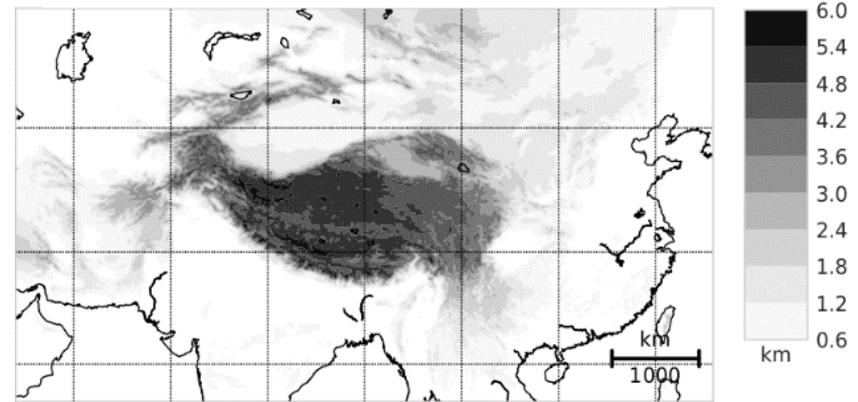


Large scale extended mountain ranges

Rockies



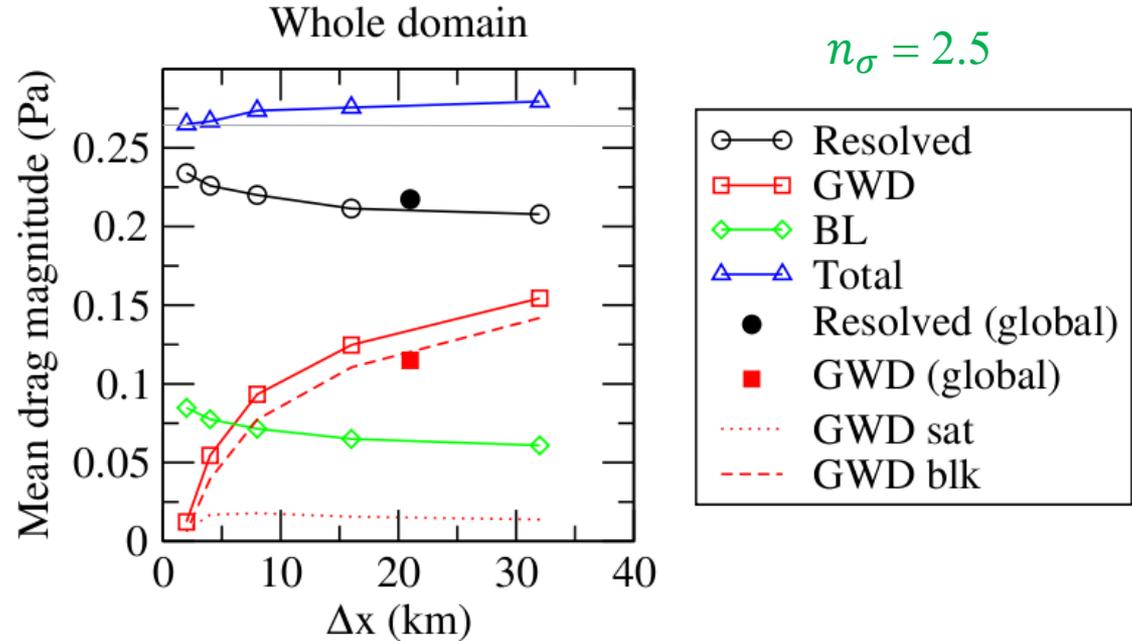
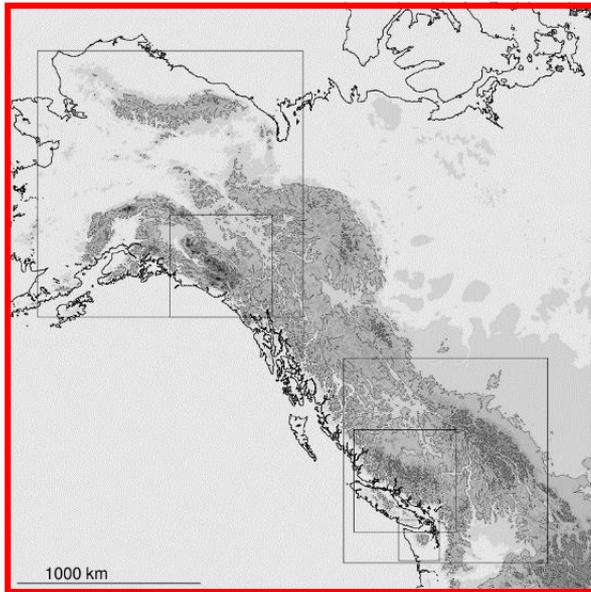
Himalayas



- More complex flow regimes
- Complex and multi-scaled orography

Rockies

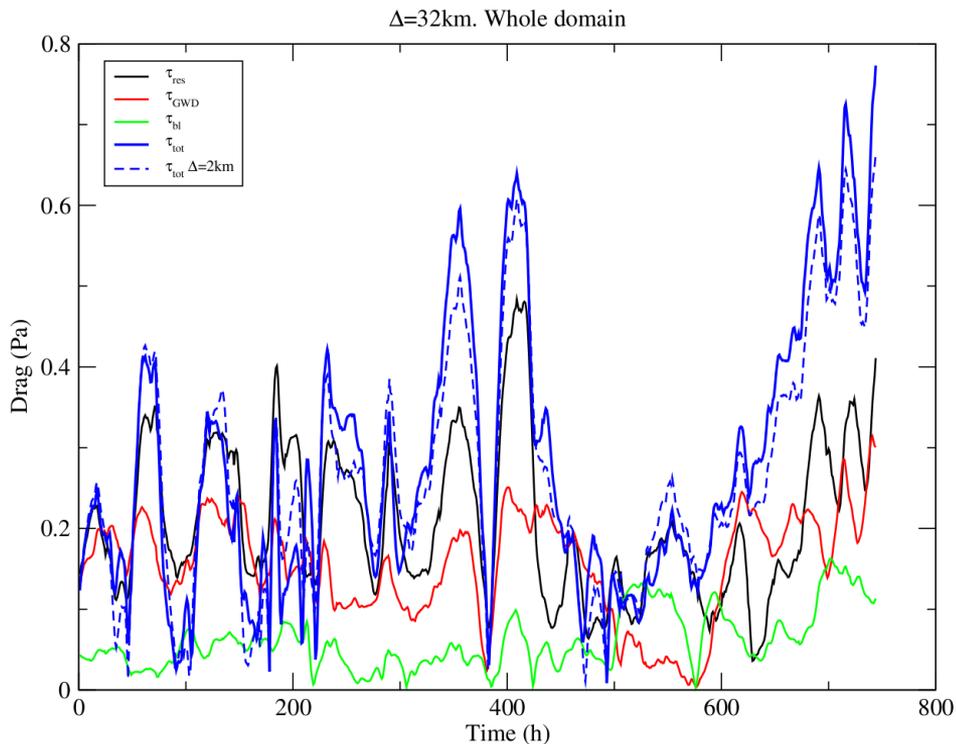
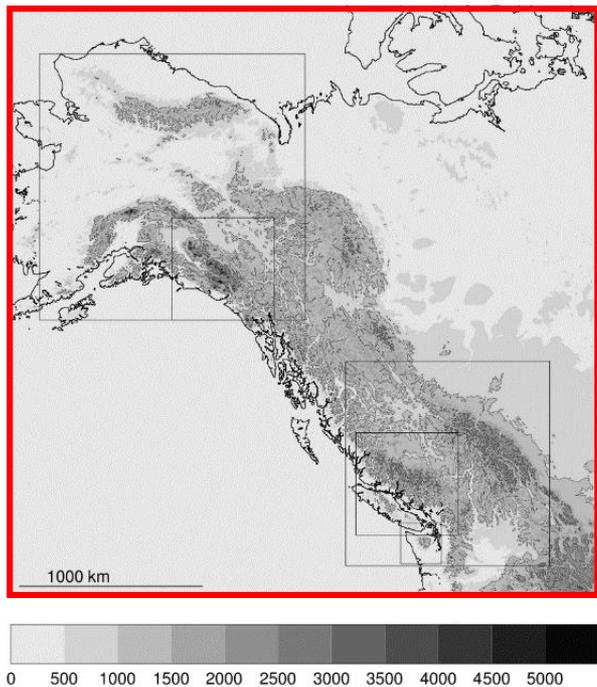
Plots shows time-mean surface pressure drag



Parametrized and resolved drag exchange well over the whole domain

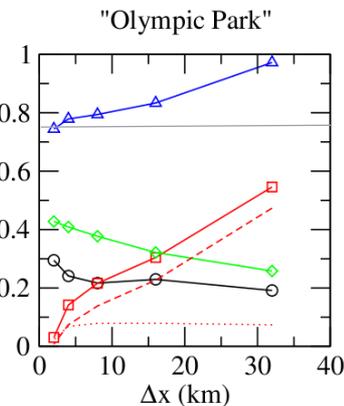
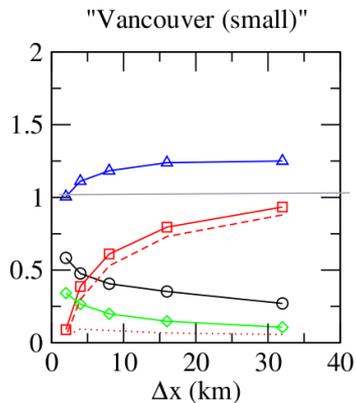
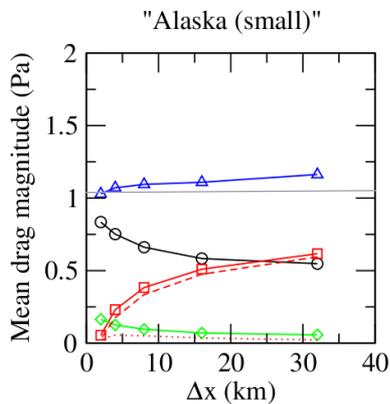
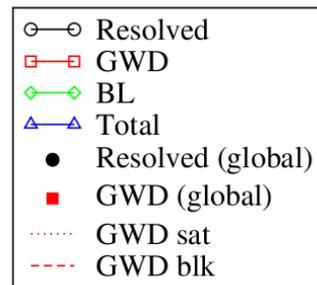
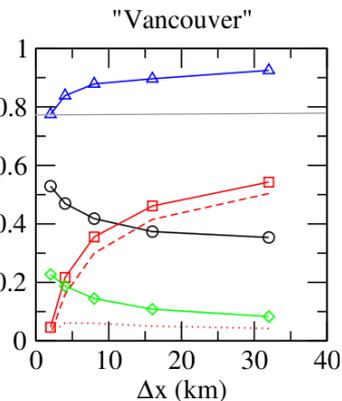
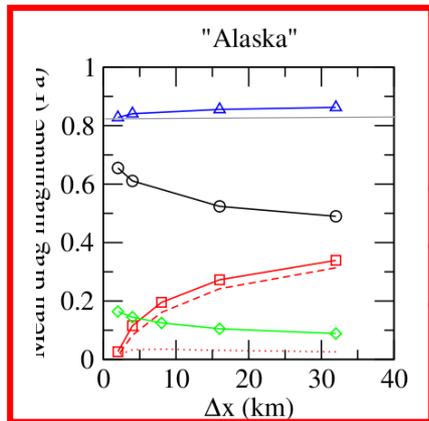
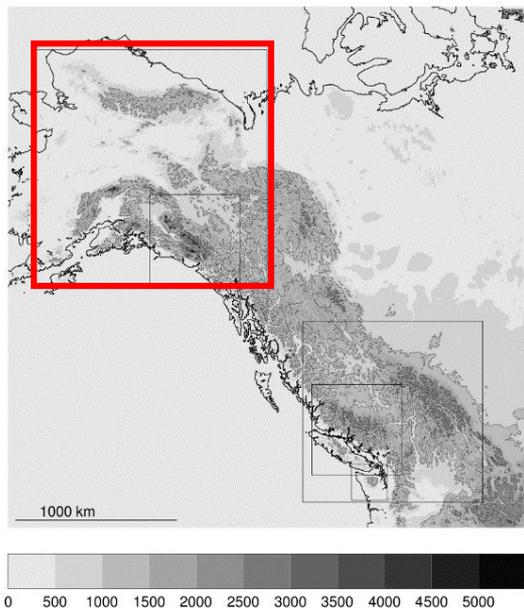
Rockies

Parametrized and resolved drag variability is also well matched



Rockies

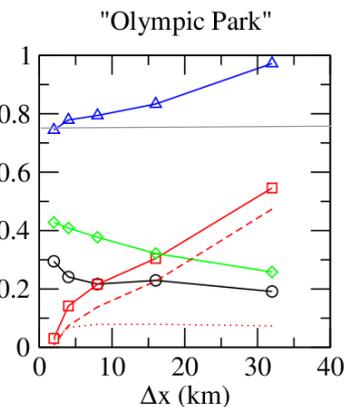
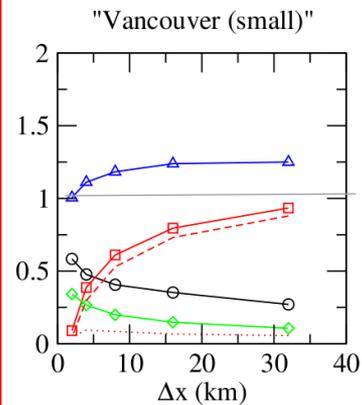
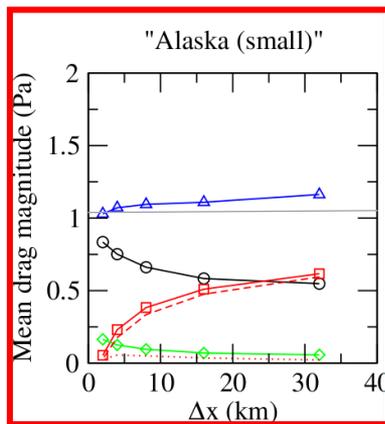
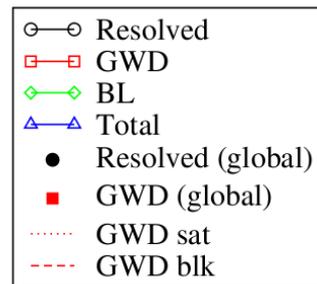
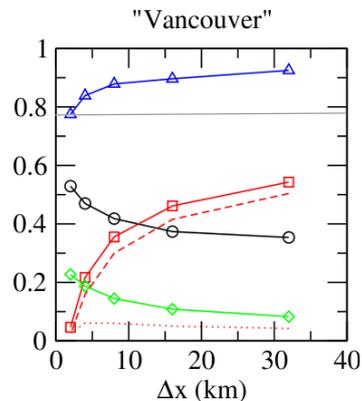
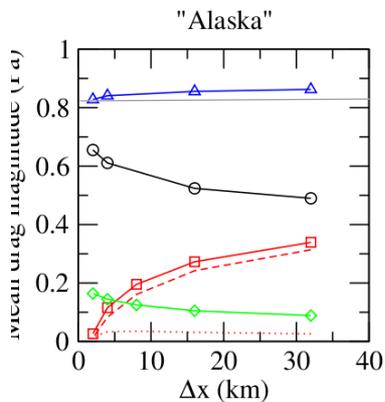
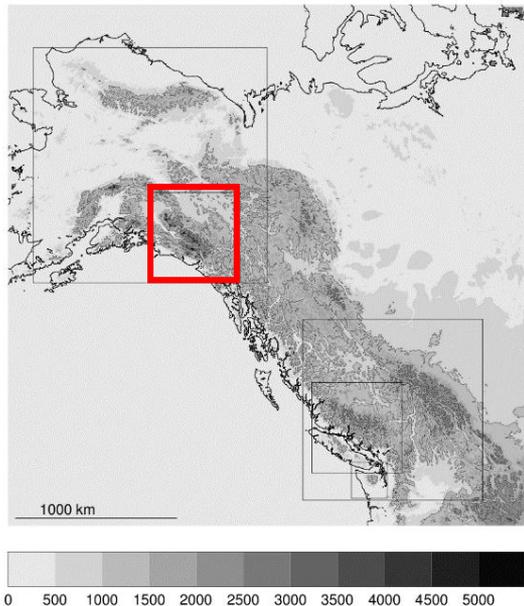
$n_\sigma = 2.5$



Parametrized and resolved
drag exchange well over
'Alaska'

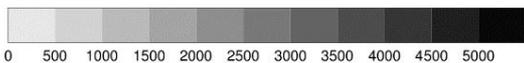
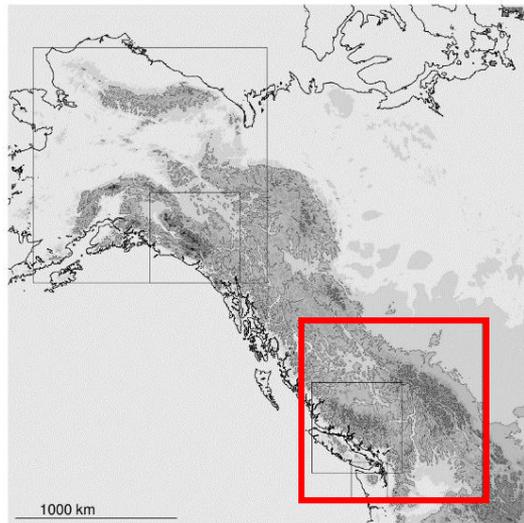
Rockies

$n_\sigma = 2.5$



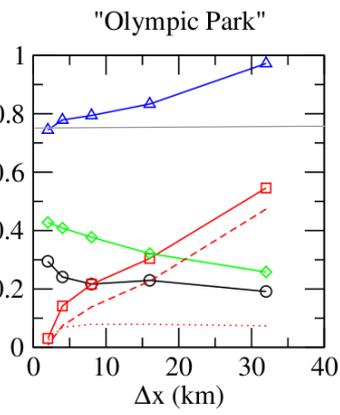
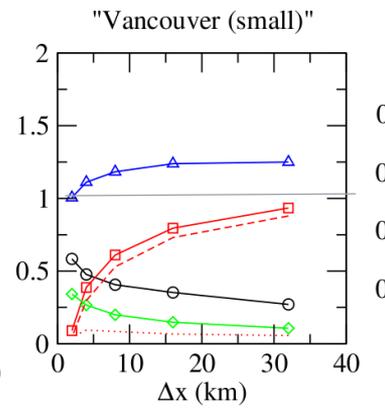
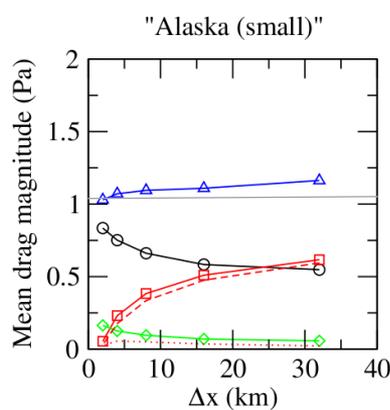
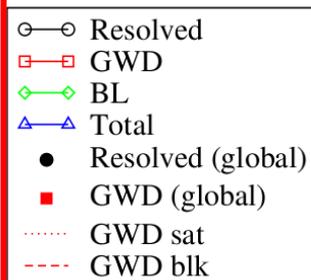
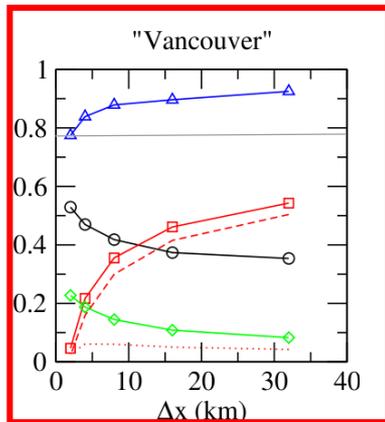
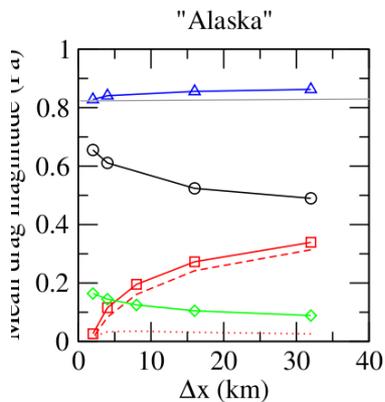
Parametrized and resolved drag exchange well over 'Alaska'

Rockies



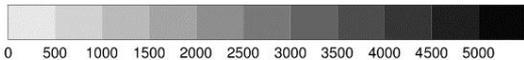
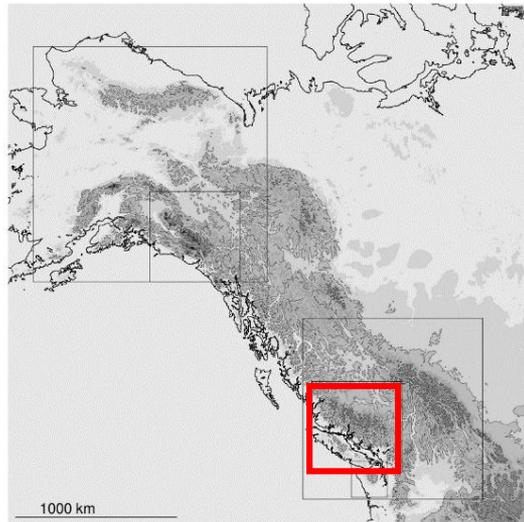
Parametrized drag increases too rapidly with grid size over 'Vancouver'

$n_\sigma = 2.5$

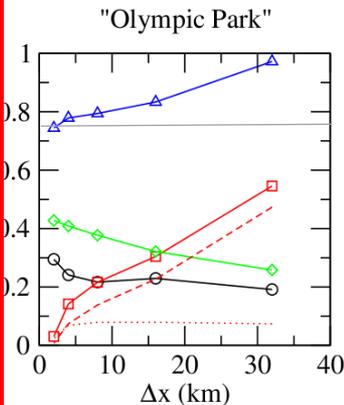
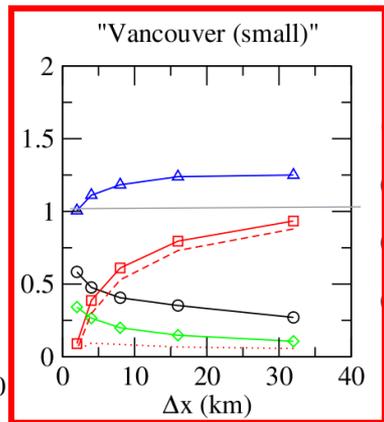
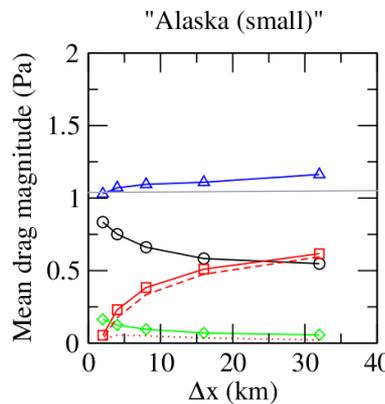
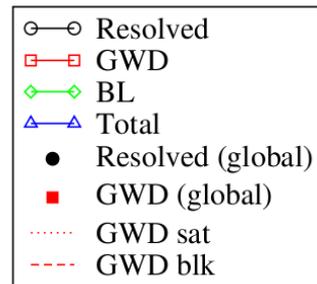
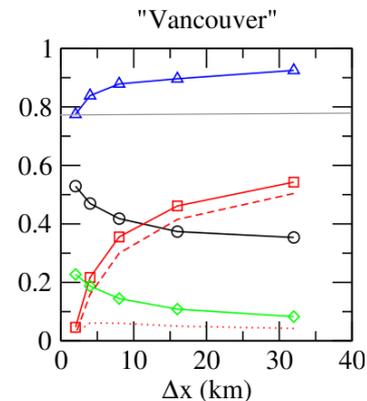
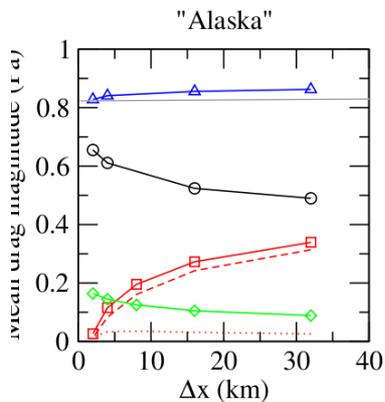


Rockies

$n_\sigma = 2.5$

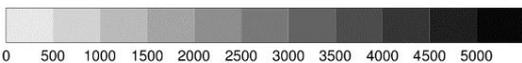
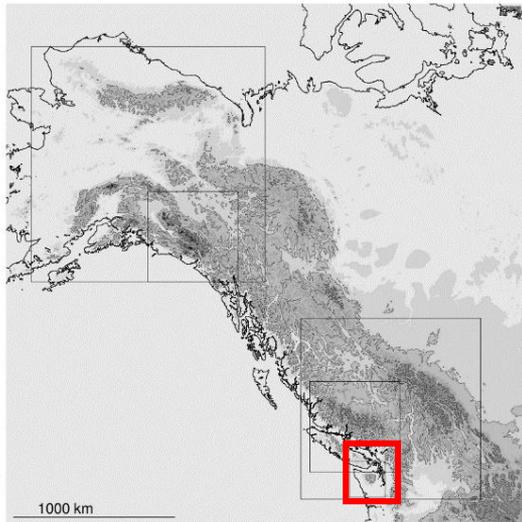


Parametrized drag increases too rapidly with grid size over 'Vancouver'

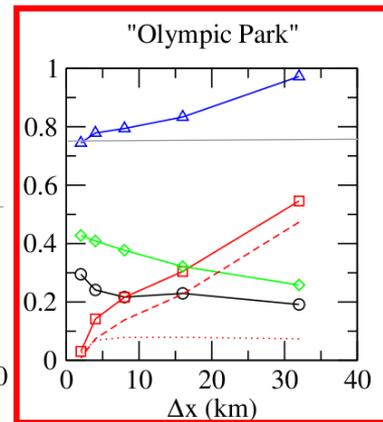
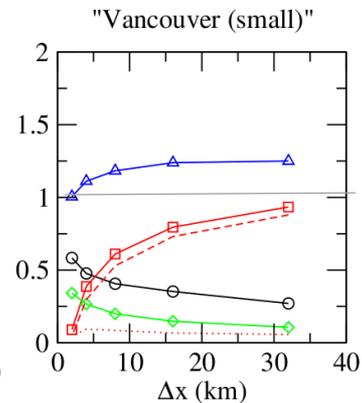
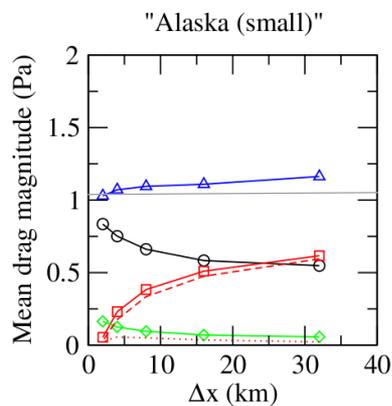
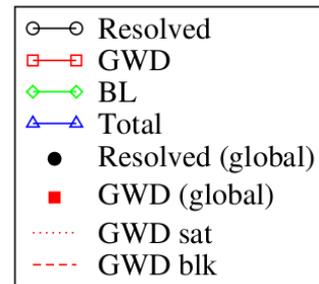
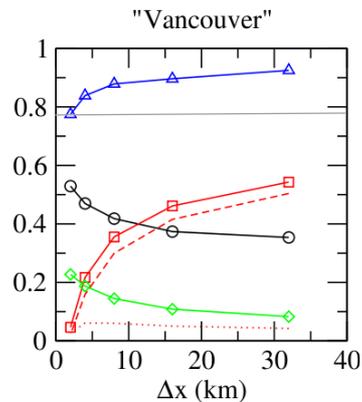
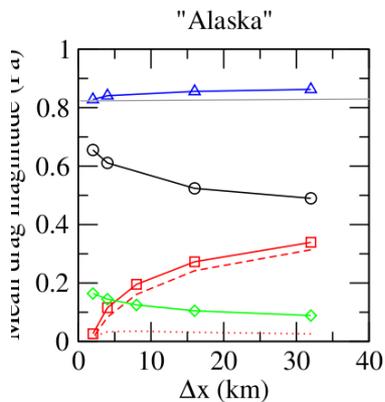


Rockies

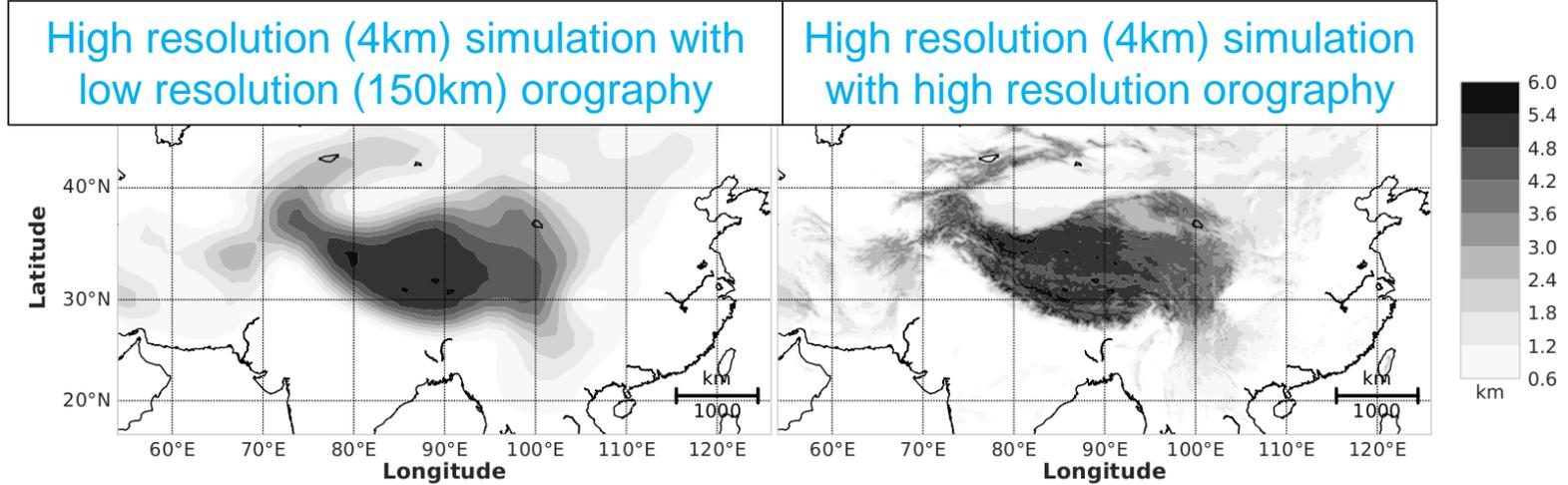
$n_\sigma = 2.5$



Parametrized drag increases too rapidly with grid size over 'Vancouver'



Himalayas

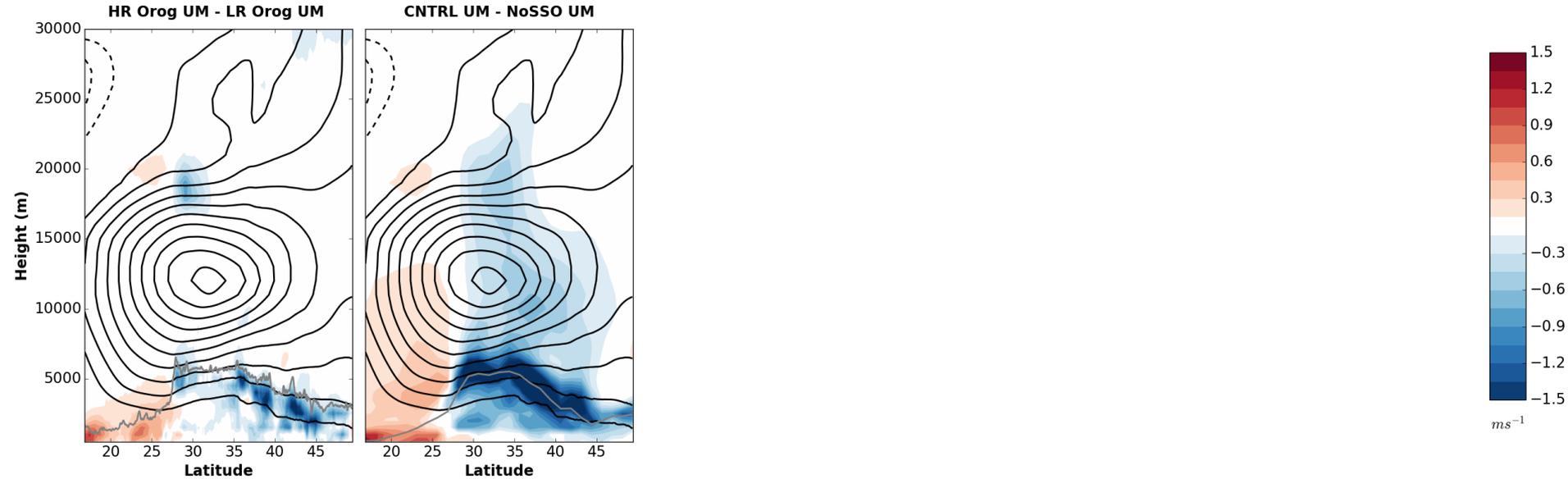


- 1) Global low resolution experiments with and without parametrized drag used to determine impact of parametrized orographic drag
- 2) LAM high resolution experiments with high and low resolution orography used to determine impact of resolved orography

Himalayas

Plot shows change in zonal wind longitudinally averaged over Himalayan region

$$n_{\sigma} = 2.5$$

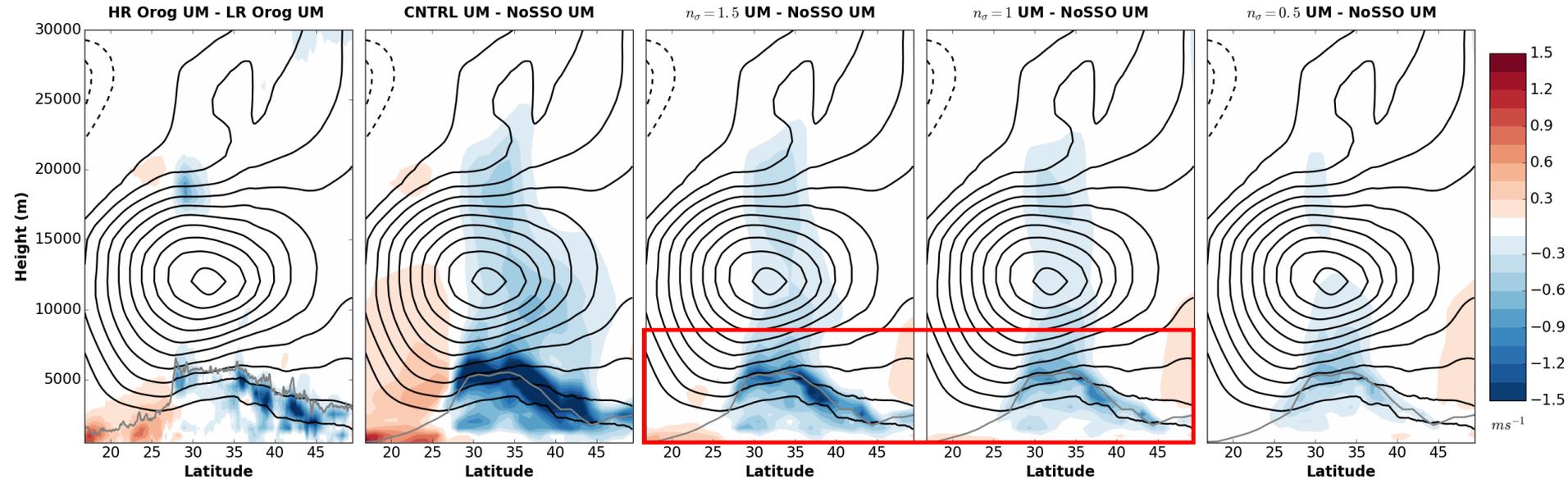


Standard configuration leads to far too much orographic drag at low-levels

Himalayas

Plot shows change in zonal wind longitudinally averaged over Himalayan region

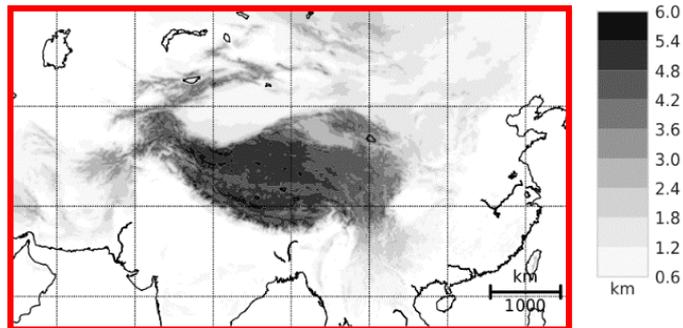
$$n_\sigma = 2.5$$



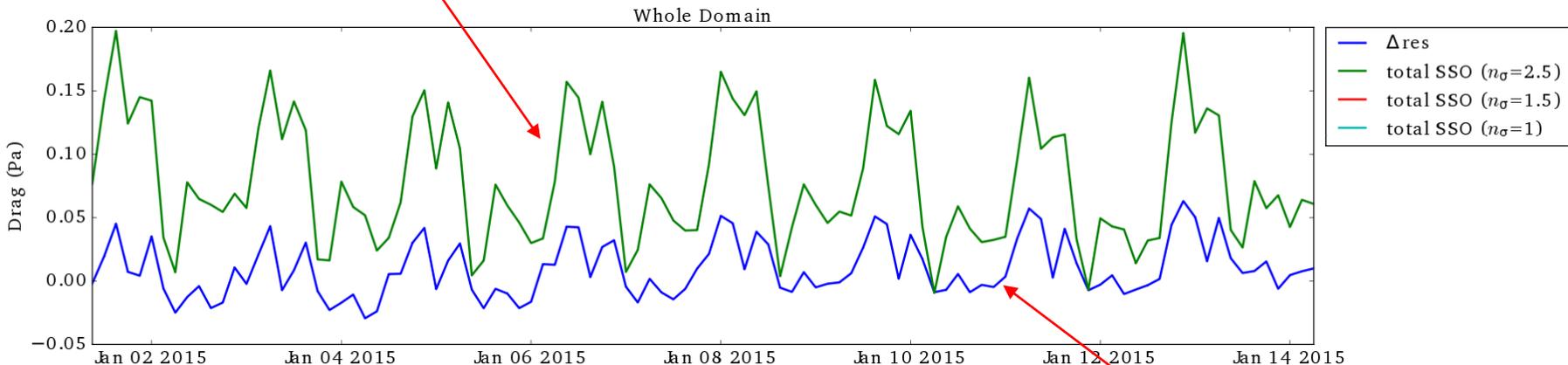
Standard configuration leads to far too much orographic drag at low-levels →
 Reducing n_σ can bring near-surface drag closer to resolved

Himalayas

Plot shows $D_x = \frac{1}{A} \int \int p' (\partial h / \partial x) dx dy$



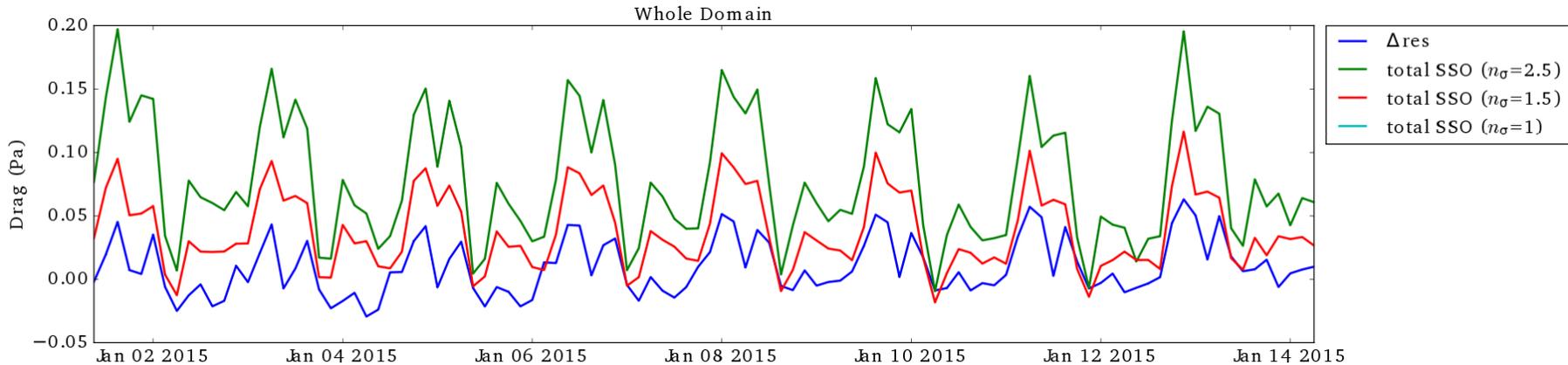
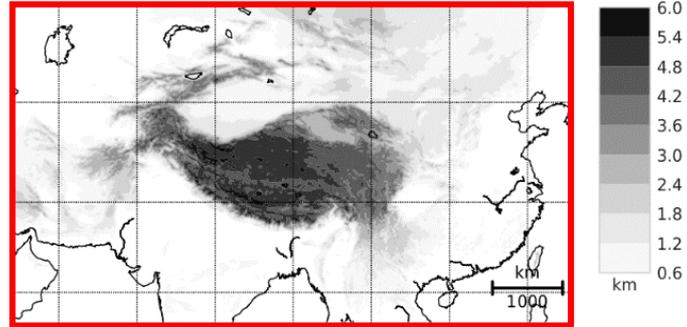
Parametrized orographic drag $n_\sigma = 2.5$



D_x (high res. orog) – D_x (low res. orog)

Himalayas

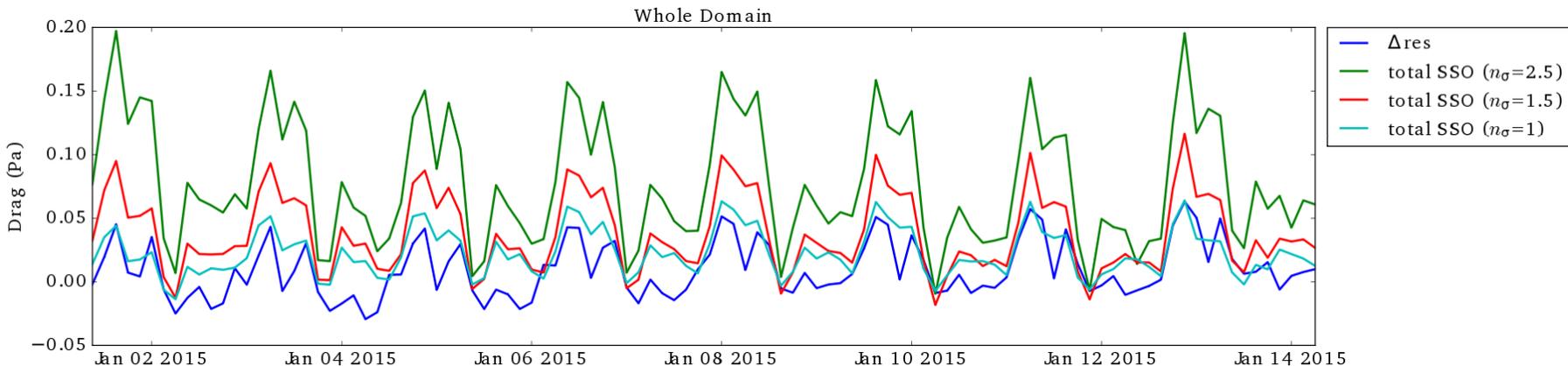
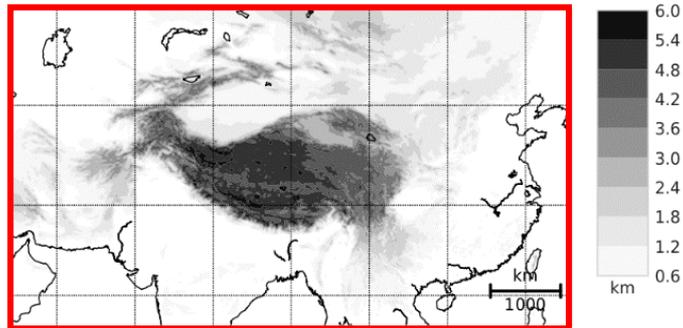
Plot shows $D_x = \frac{1}{A} \int \int p' (\partial h / \partial x) dx dy$



Himalayas

Plot shows $D_x = \frac{1}{A} \int \int p' (\partial h / \partial x) dx dy$

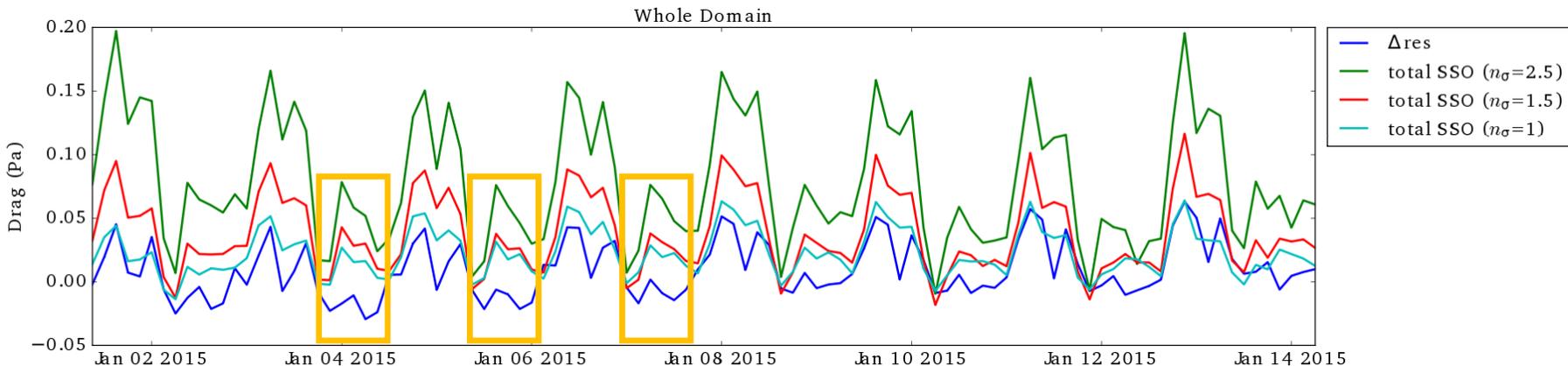
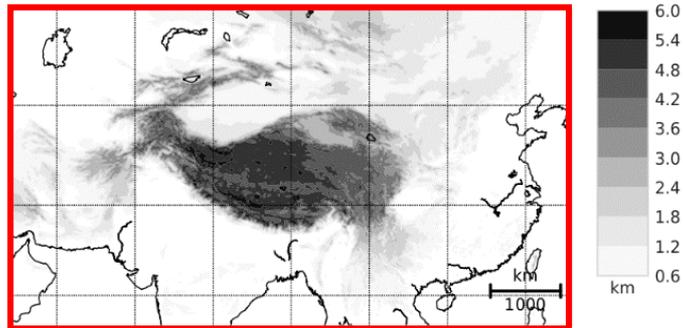
Parametrized drag can get close to resolved but has the wrong sign at certain points



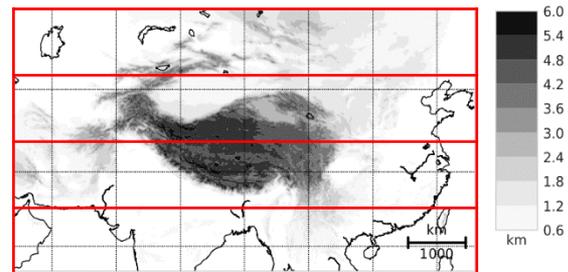
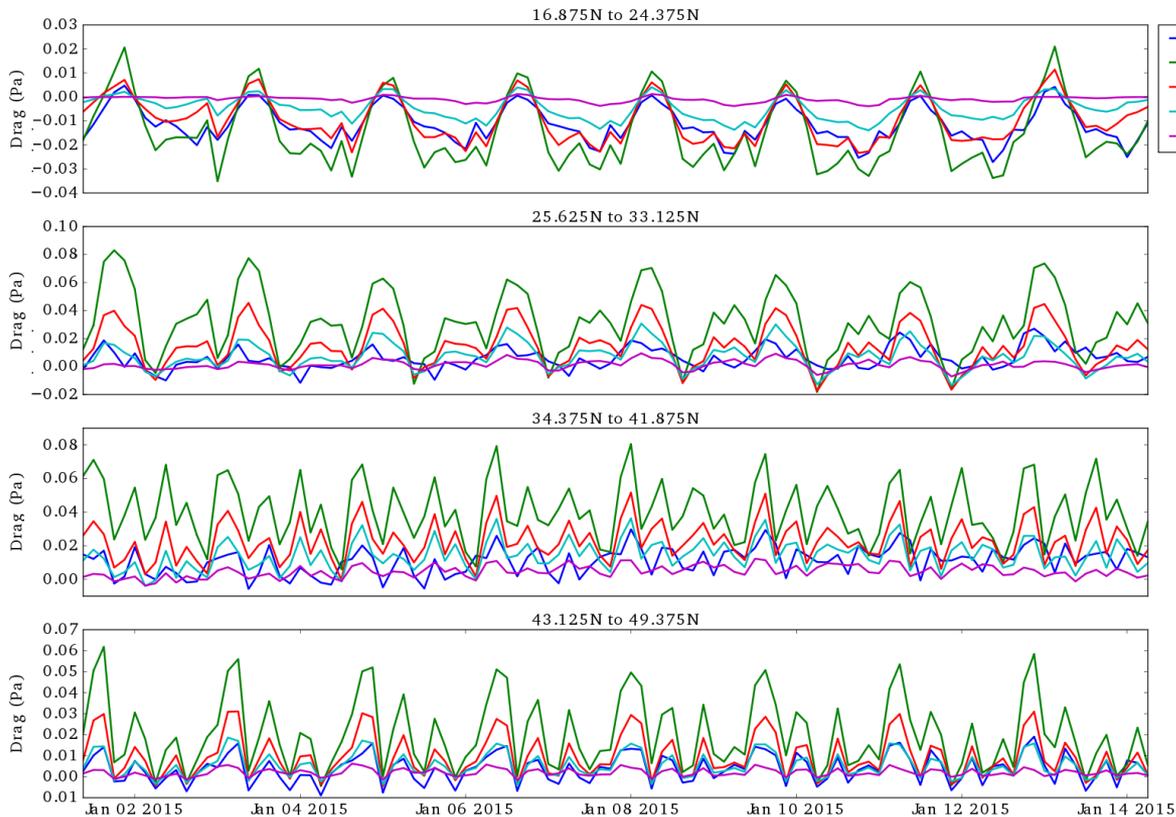
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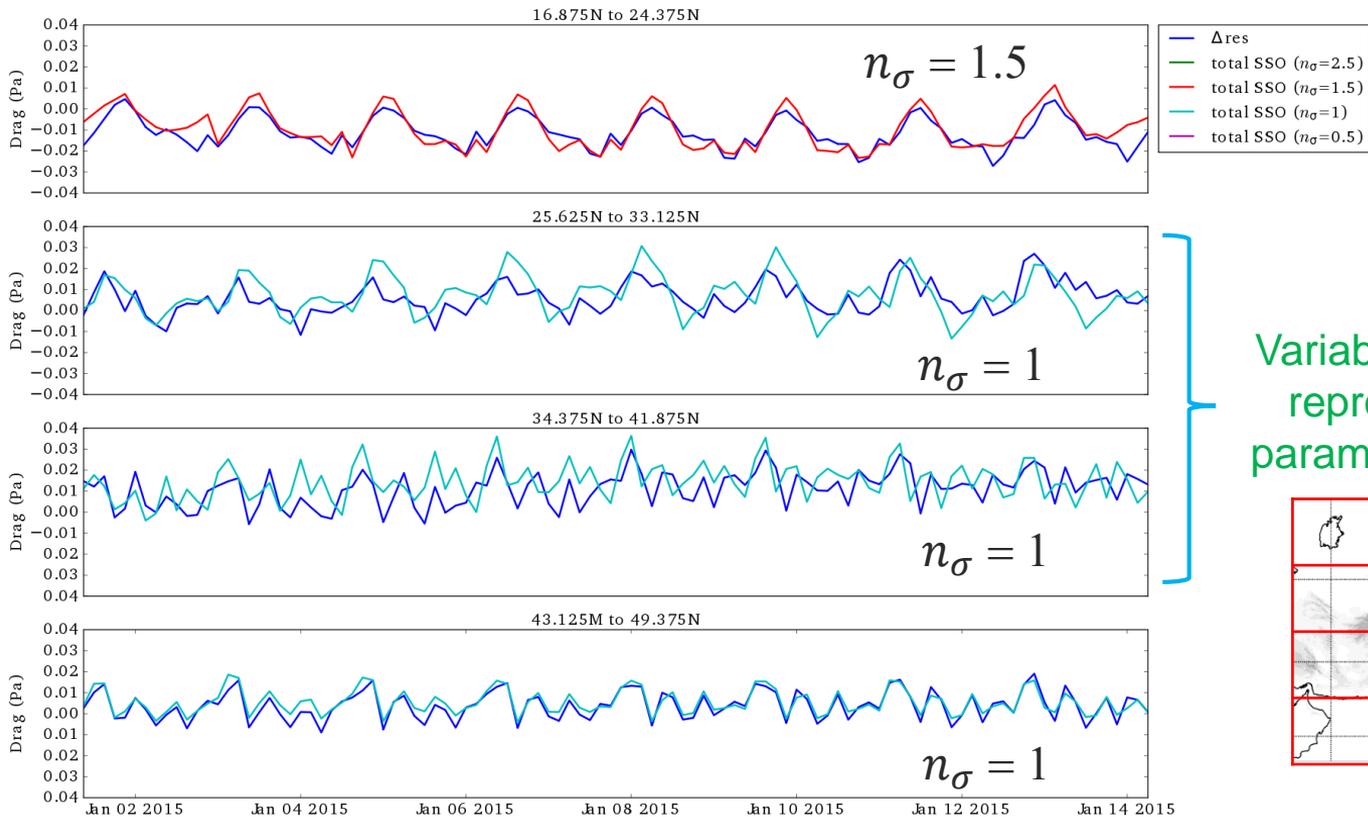
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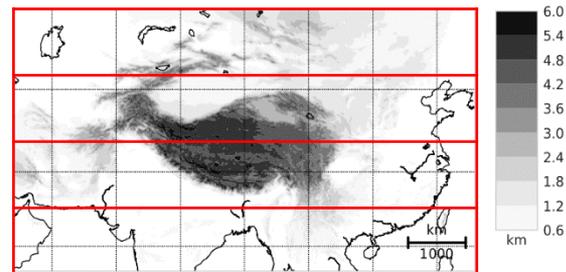
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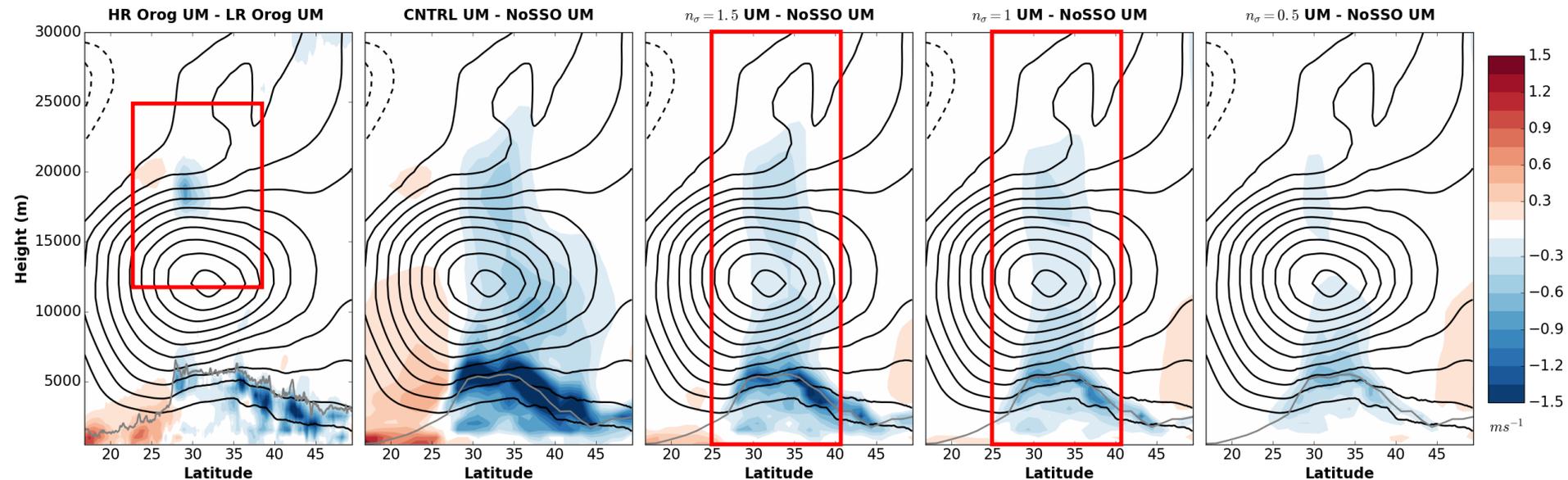


Variability not well reproduced by parametrized drag



Himalayas

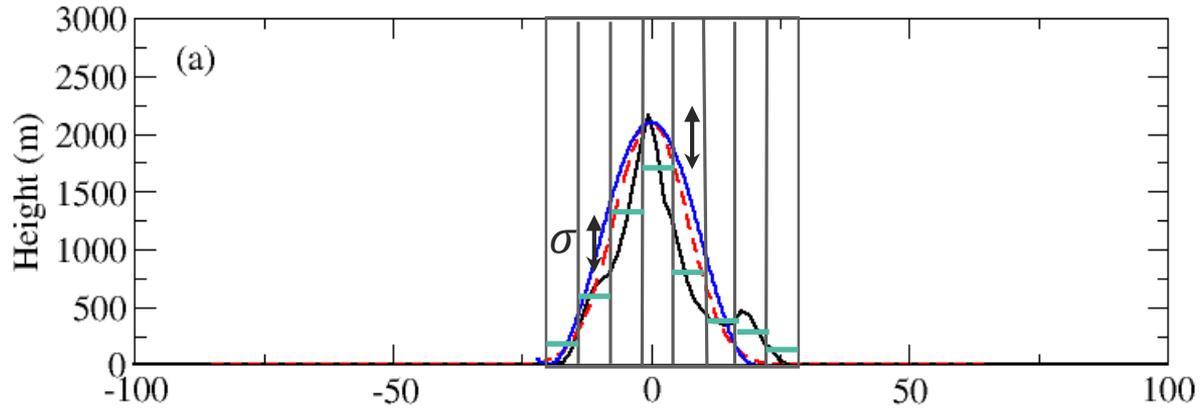
$$n_\sigma = 2.5$$



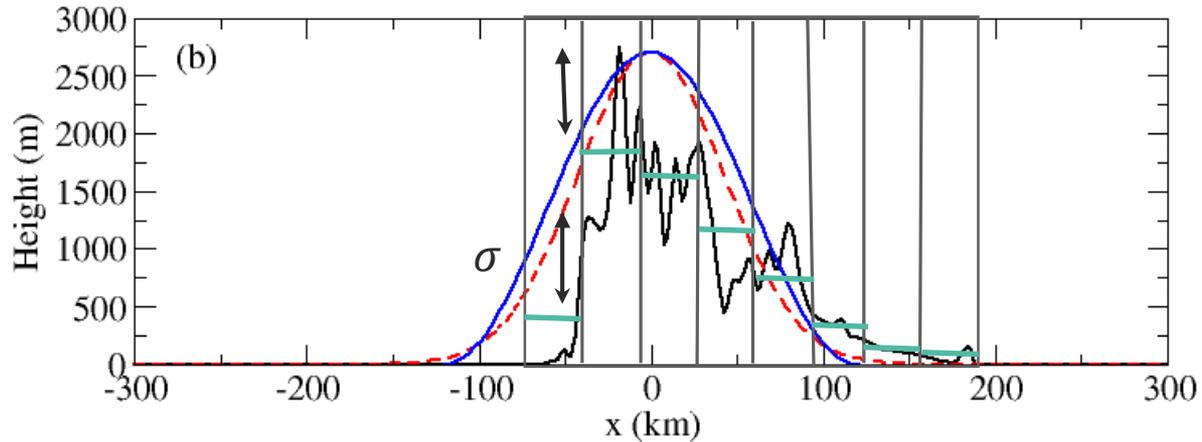
GWD acting over a very deep layer compared with the resolved drag

So why should different mountains require a different value of “ n_σ ” ?

South Georgia

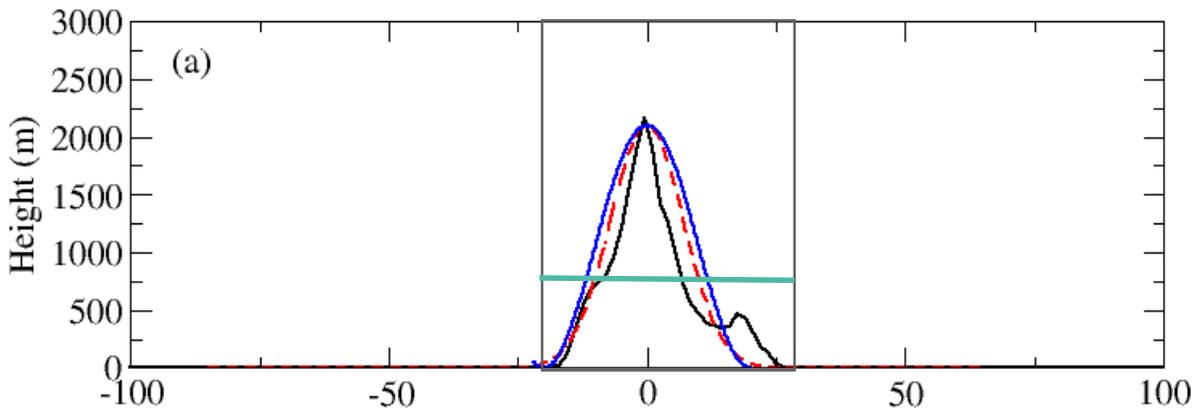


New Zealand

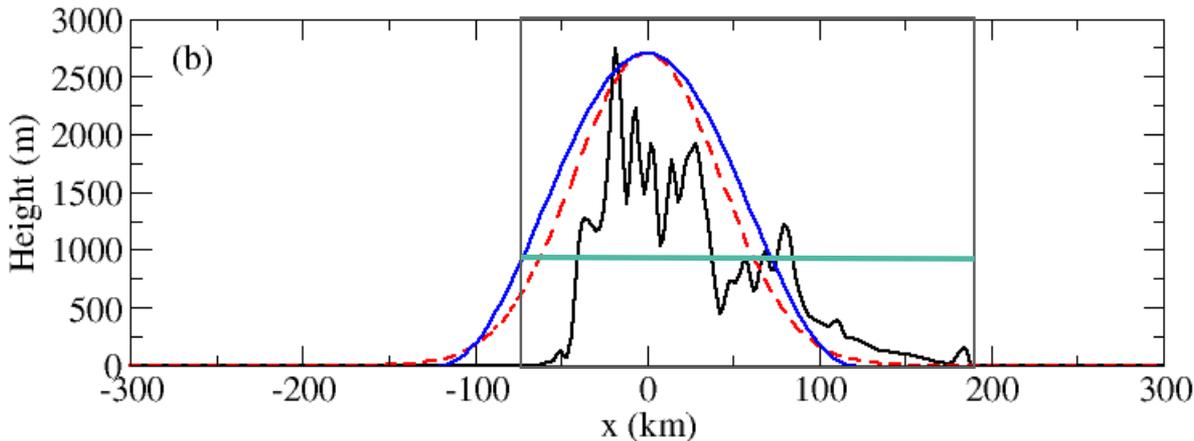


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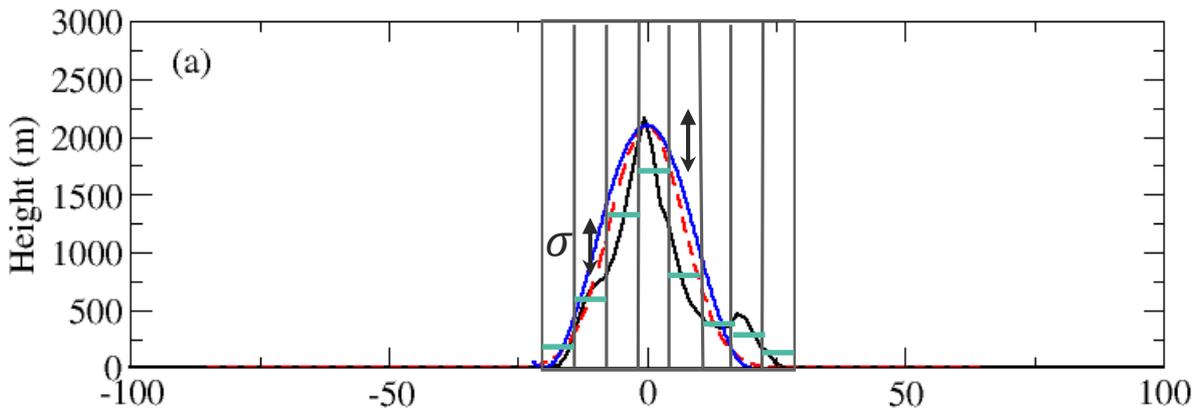


New Zealand

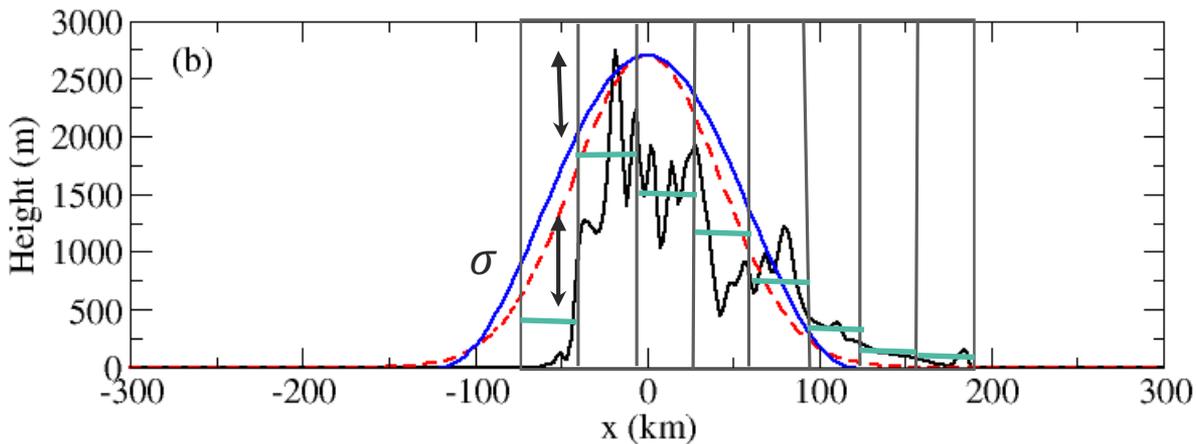


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- Suggests that drag schemes should explicitly represent scales larger than the grid scale
- Other aspects of the scheme (e.g. wind shear) also need to be considered over more complex and higher mountain ranges (i.e. the Himalayas)