

Adaptive Grids for Weather and Climate Models

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Overview of the talk

- Motivation: Atmospheric multi-scale regimes
- Overview of adaptive grid techniques
 - Static grid adaptations
 - Dynamic grid adaptations
- Introduction to the NASA/NCAR finite volume (FV) dynamical core
- Adaptive grid approach: Block-structured adaptive grids on the sphere
 - Adaptation strategy for static and dynamic adaptations
 - Adaptive spherical grid library for parallel processors
- Results: The statically and dynamically adaptive FV model
 - 2D shallow water experiments
 - 3D idealized dynamical core experiments
- Discussion: Adaptation criteria for real weather scenarios
- Conclusion and Outlook

Features of Interest in a Multi-Scale Regime

Hurricane
Frances



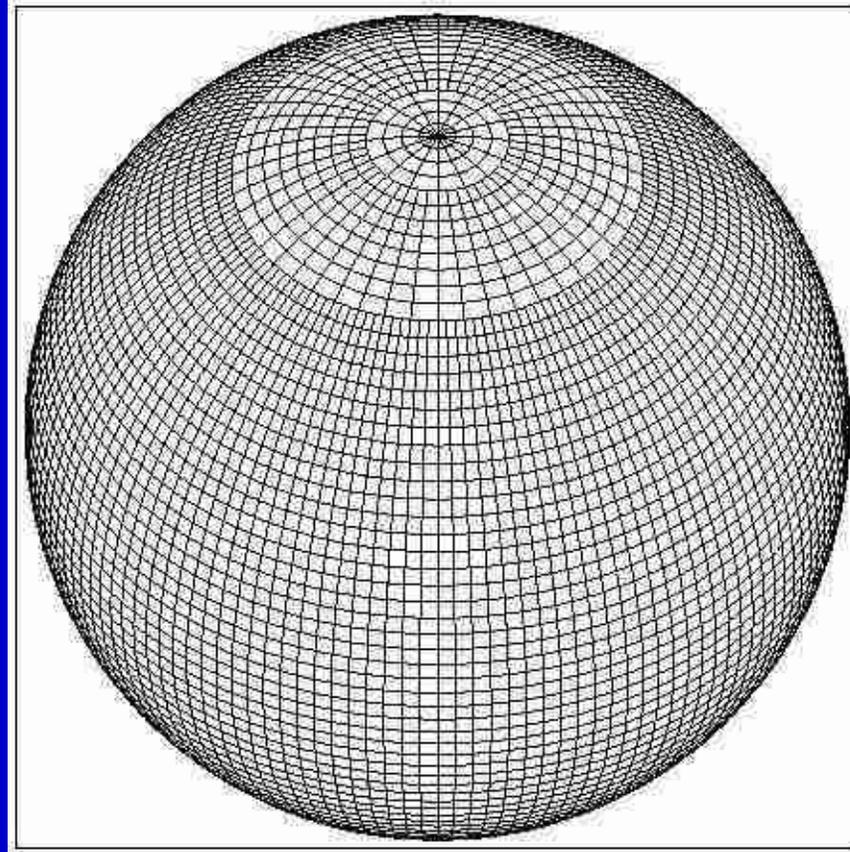
September/5/2004

Hurricane Ivan

Adaptive Grids for 3D Atmospheric Models

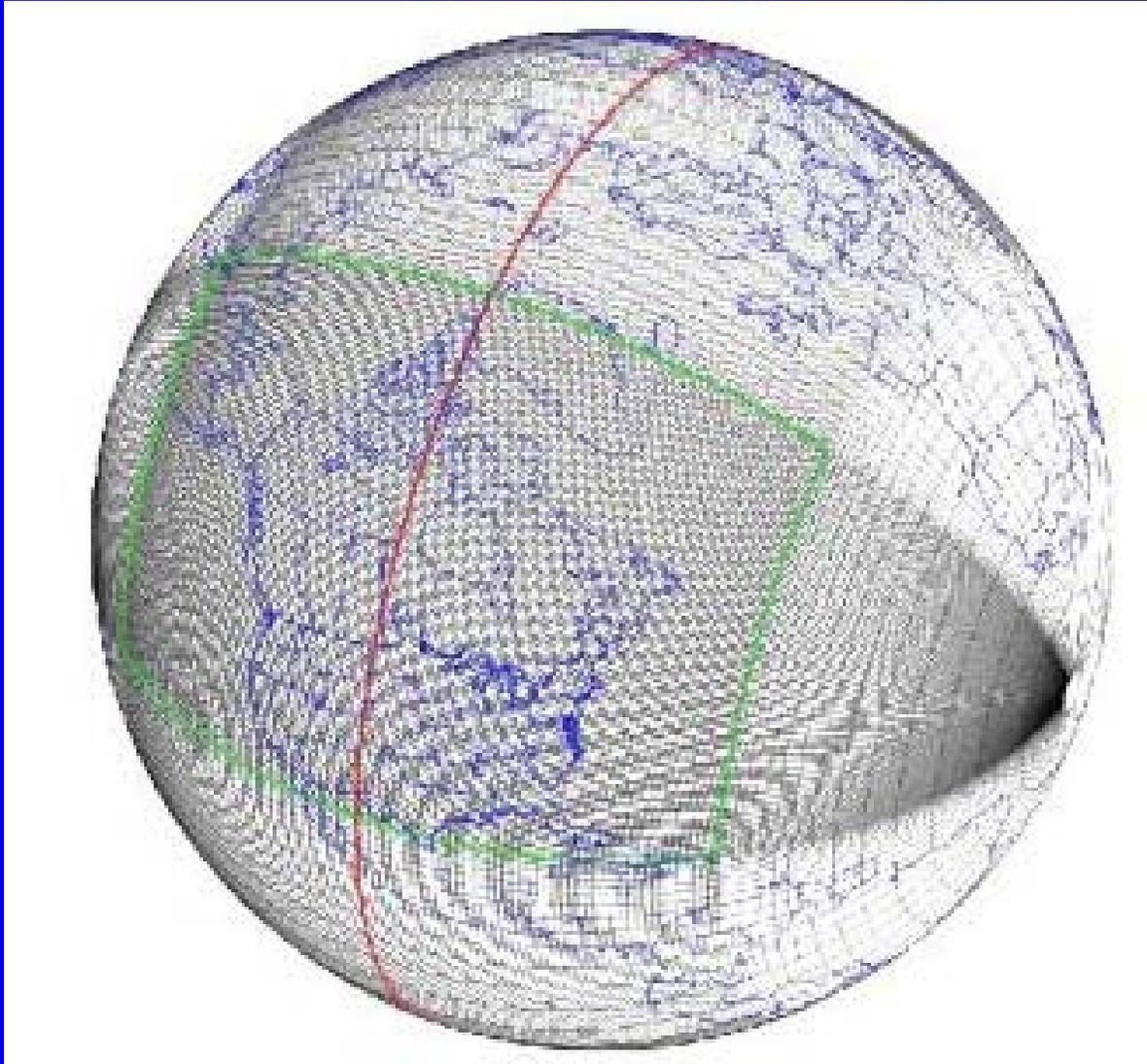
- **Statically adaptive grids**
 - Reduced grid
 - Stretched grids
 - Transformed grids (e.g. Schmidt coordinate transformation)
 - Unstructured grids
 - Nested grids
- **Dynamically adaptive grids**
 - Irregular data structures: triangulated grids
(Bacon et al., MWR 1998, Gopalakrishnan et al., MWR 2002)
 - Regular data structures: block-structured lat-lon grid
(Skamarock et al., JCP 1989, Hubbard and Nikiforadis, MWR 2003, Jablonowski et al. 2004)
 - Cubed sphere with spectral element formulation:
active research by A. St-Cyr, S. Thomas and J. Dennis (NCAR)

Static Adaptations: Reduced Grids



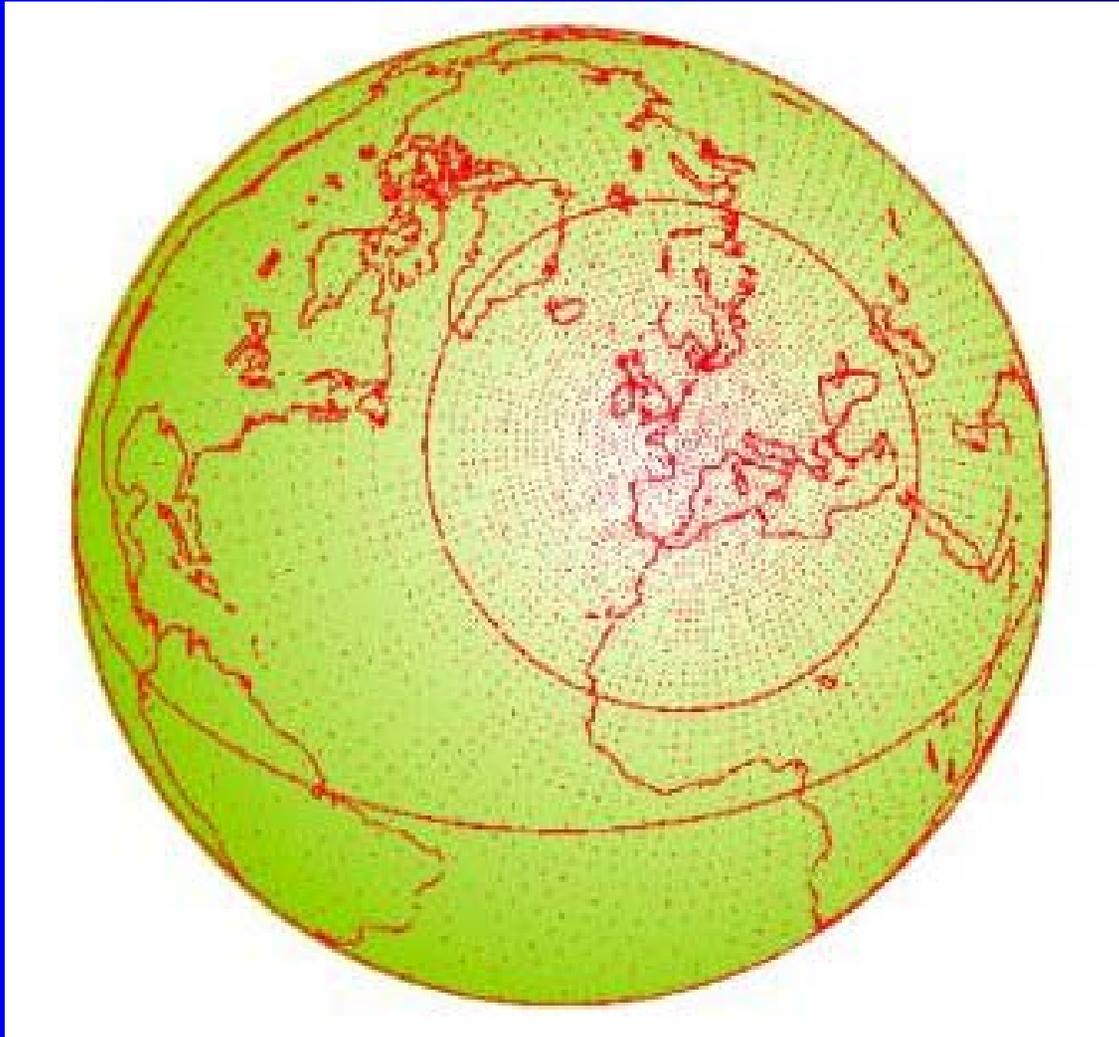
- Number of grid cells in longitudinal direction is reduced towards high latitudes
- Keeps the resolution more uniform, allows longer time steps

Static Adaptations: Stretched Grids



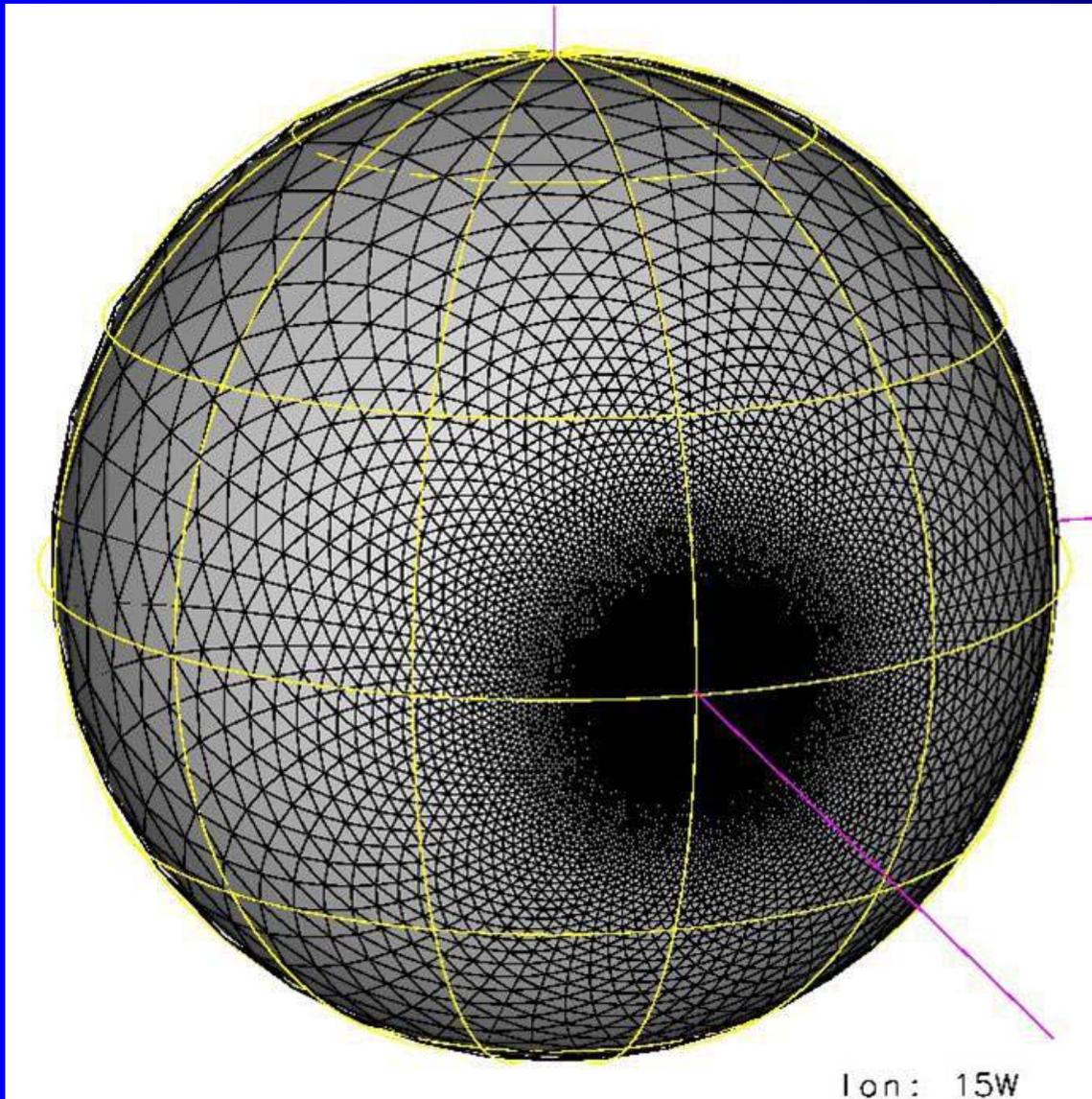
GEM
Canadian Model

Static Adaptations: Rotated and transformed (Schmidt) lat-lon grid



Model Arpege
Meteo France

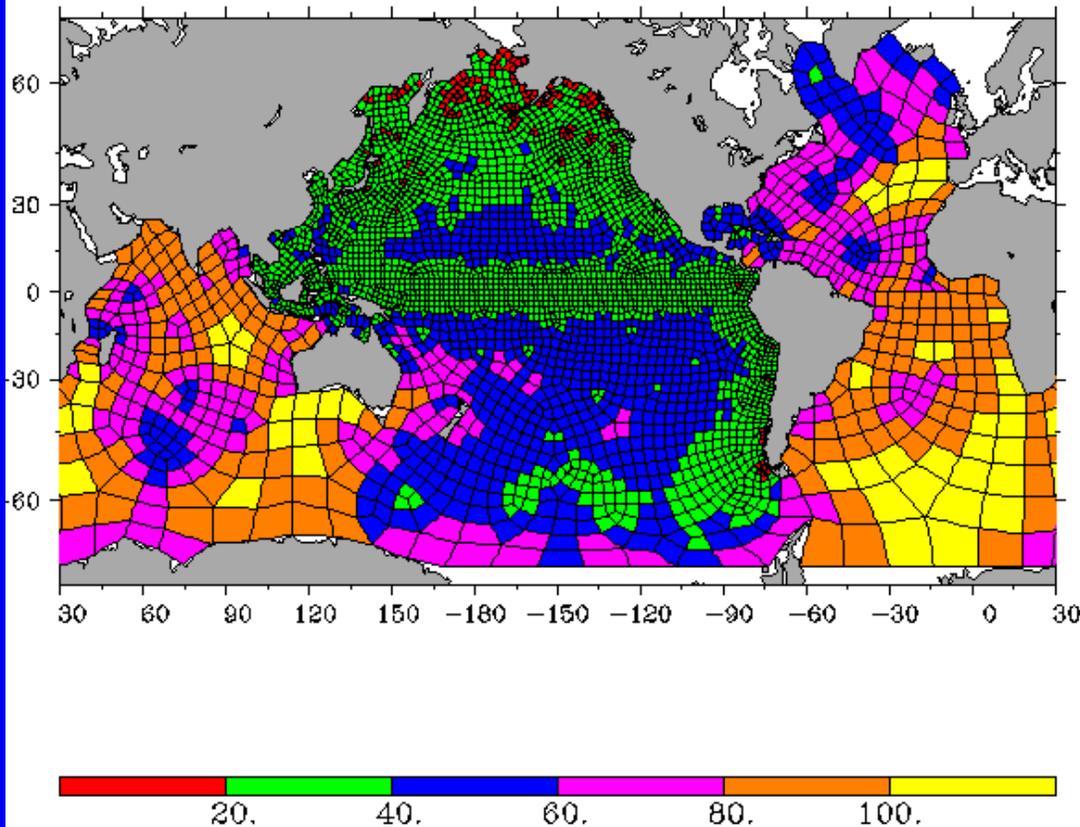
Static Adaptations: Stretched Icosahedral Grid (Schmidt transformation)



Courtesy of
H. Tomita
(Frontier Research System
for Global Change, Japan)

Static Adaptations: Unstructured Grids

Model SEOM: Spectral Element Ocean Model,
here 3552 elements with 64 collocation points



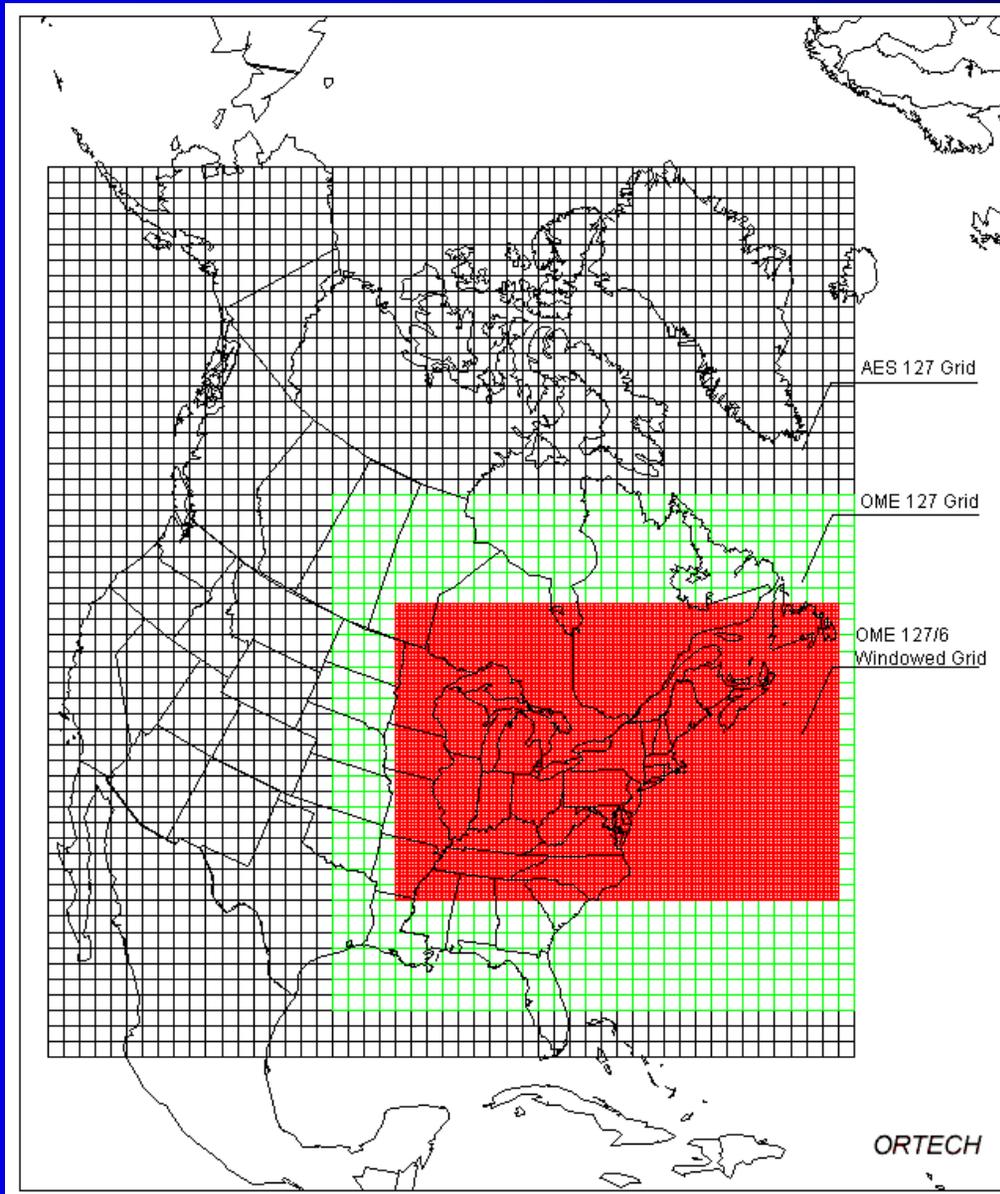
Spectral elements allow
flexible configurations:

h and p refinements
possible (compare to
D.B. Haidvogel's
presentation)

Source:
Rutgers University

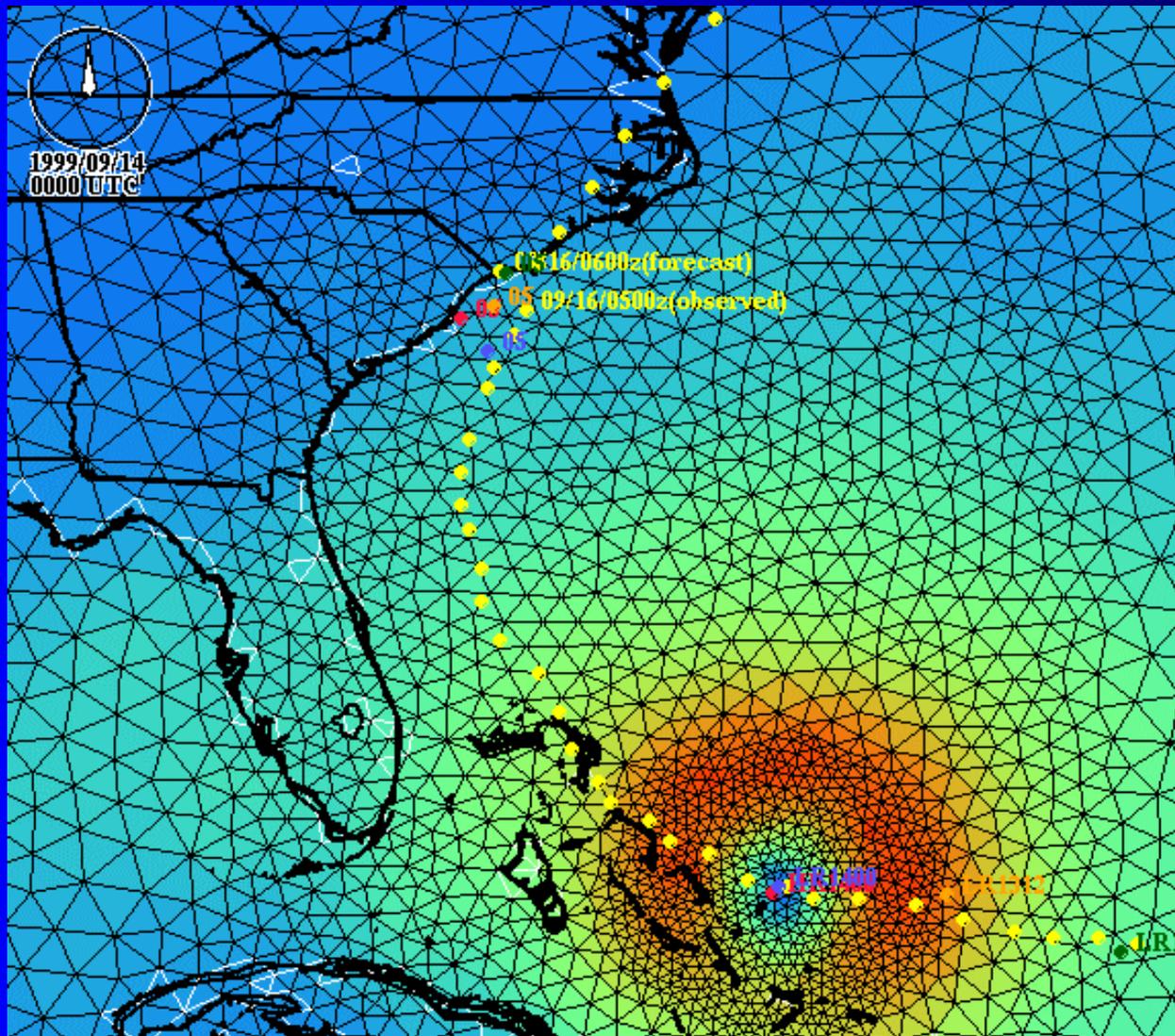
Average grid spacing (km) within each element

Static adaptations: (Multiple) Nested Grids



Canadian Model

Dynamic Adaptations: Irregular Triangular Grid



Hurricane Floyd
(1999)

OMEGA model

Courtesy of
A. Sarma (SAIC,
NC, USA)

Colors indicate the wind speed

Adaptive Grids for Weather and Climate Models

- **Research goal:** Build a hydrostatic (and later a non-hydrostatic) dynamical core for a future General Circulation Model (GCM) that can statically and dynamically adapt its horizontal resolution with respect to
 - regions of interest (e.g. mountain regions)
 - features of interest (e.g. low pressure systems, convection?, fronts?)
- **Scientific computing challenge:** Interdisciplinary team effort with the University of Michigan
 - Atmospheric science (Joyce Penner, Michael Herzog)
 - Numerics (Bram van Leer, Ken Powell)
 - Computer Science (Robert Oehmke, Quentin Stout)
- **Collaboration with NASA / GSFC:** S.-J. Lin and Kevin Yeh

The NASA/NCAR finite volume dynamical core

- 3D hydrostatic dynamical core for climate and weather prediction (also called Lin-Rood dynamical core):
 - 2D horizontal equations are the shallow water equations
 - 3rd dimension in the vertical direction is a floating Lagrangian coordinate
- ➡ 2D model is 1-level version of the dynamical core: Idealized test bed
- **Numerics:** Finite volume approach
 - conservative and monotonic transport scheme
 - upwind biased 1D fluxes, operator splitting
 - van Leer second order scheme for time-averaged numerical fluxes
 - PPM third order scheme (piecewise parabolic method) for prognostic variables
 - Staggered grid (Arakawa D-grid)

The 3D Lin-Rood Finite-Volume Dynamical Core

Momentum equation in vector-invariant form

$$\frac{\partial \mathbf{v}_h}{\partial t} + (\zeta + f) \mathbf{k} \times \mathbf{v}_h + \nabla K + \nabla_p \Phi = 0$$

Continuity equation

$$\frac{\partial \delta p}{\partial t} + \vec{\nabla} \cdot (\delta p \vec{v}) = 0$$

$$\nabla \Phi + \frac{1}{\rho} \nabla p$$

Pressure gradient term
in finite volume form

Thermodynamic equation

$$\frac{\partial (\delta p \Theta)}{\partial t} + \vec{\nabla} \cdot (\delta p \Theta \vec{v}) = 0$$

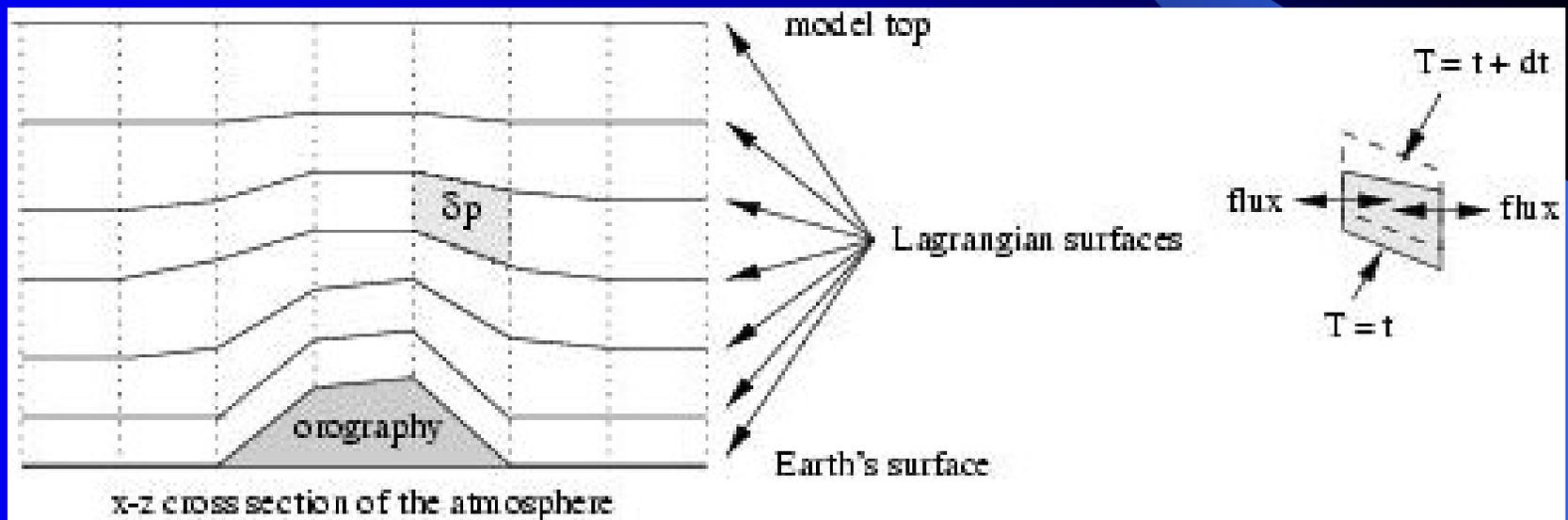
The prognostics variables are:

$$u, v, \Theta, \delta p = -\rho g \delta z$$

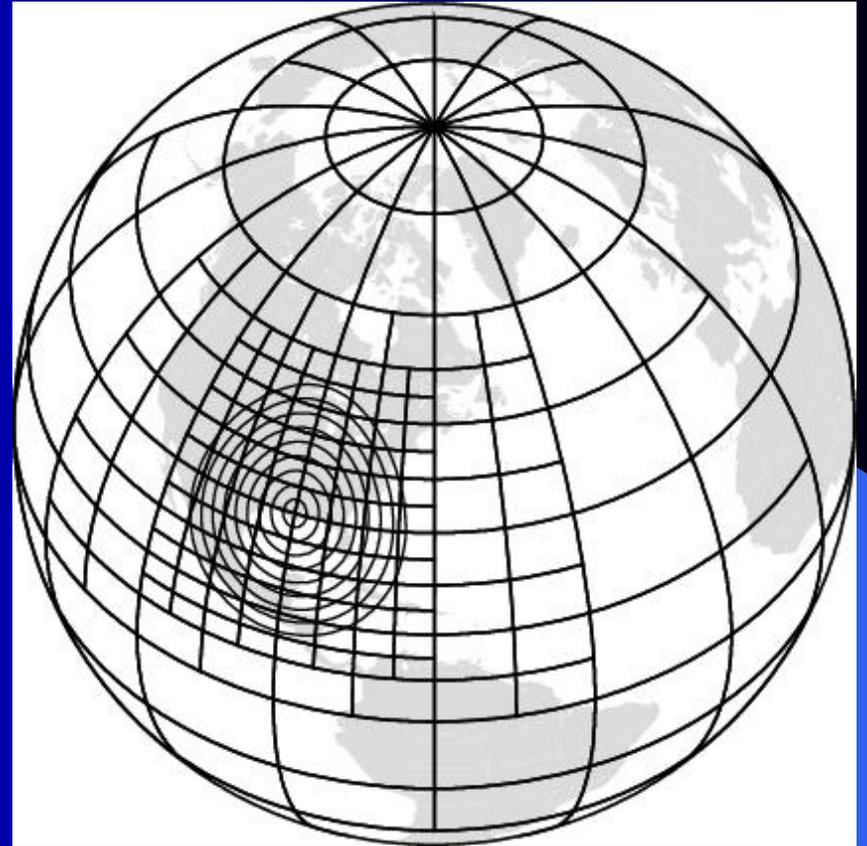
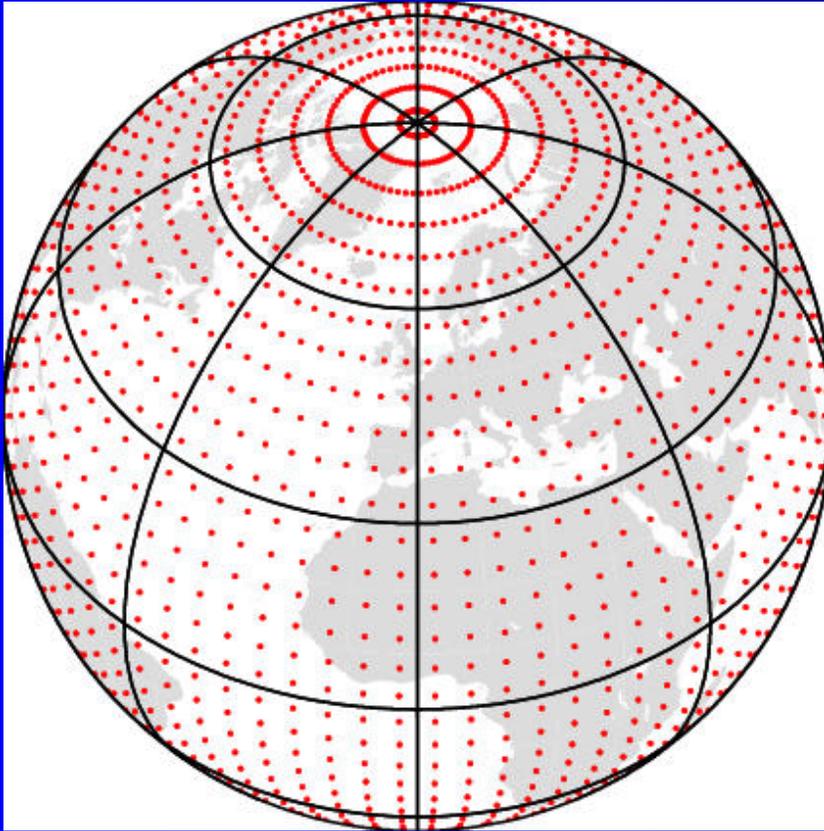
δp : pressure thickness

Floating Lagrangian Vertical Coordinate

- 2D transport calculations within floating Lagrangian layers
- Layers are material surfaces, no vertical advection
- Periodic re-mapping of the Lagrangian layers onto reference grid

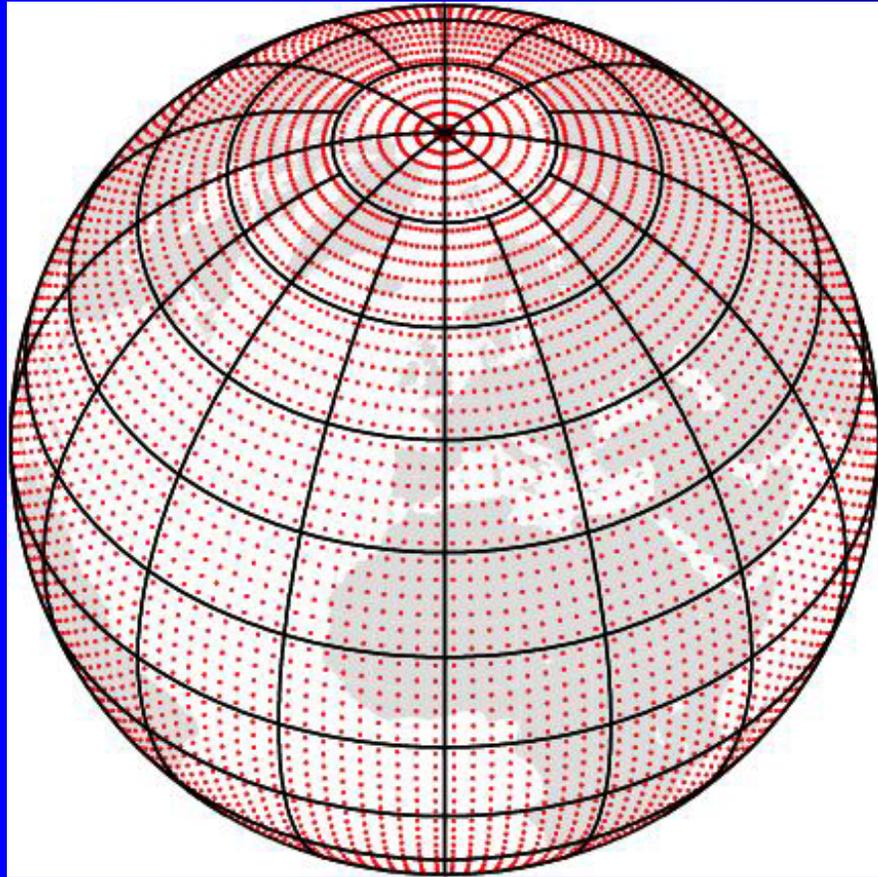


Adaptive Mesh Refinement Strategy in Spherical Geometry

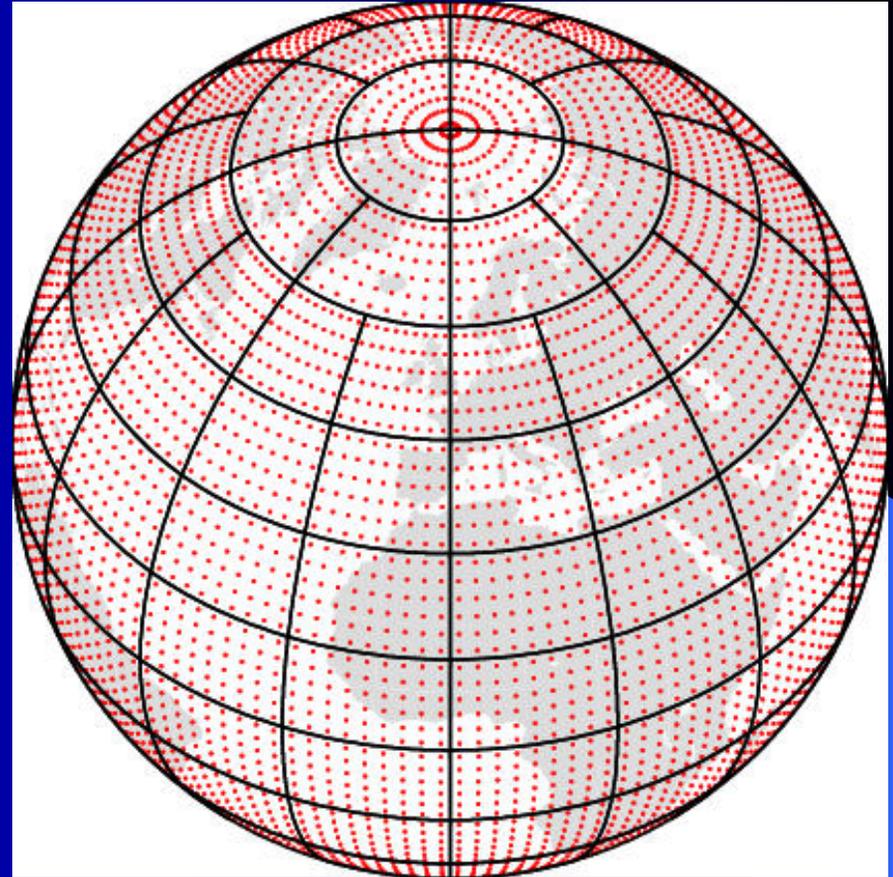


Self-similar blocks with 3 ghost cells in x & y direction

Block-data structure and Reduced Grids

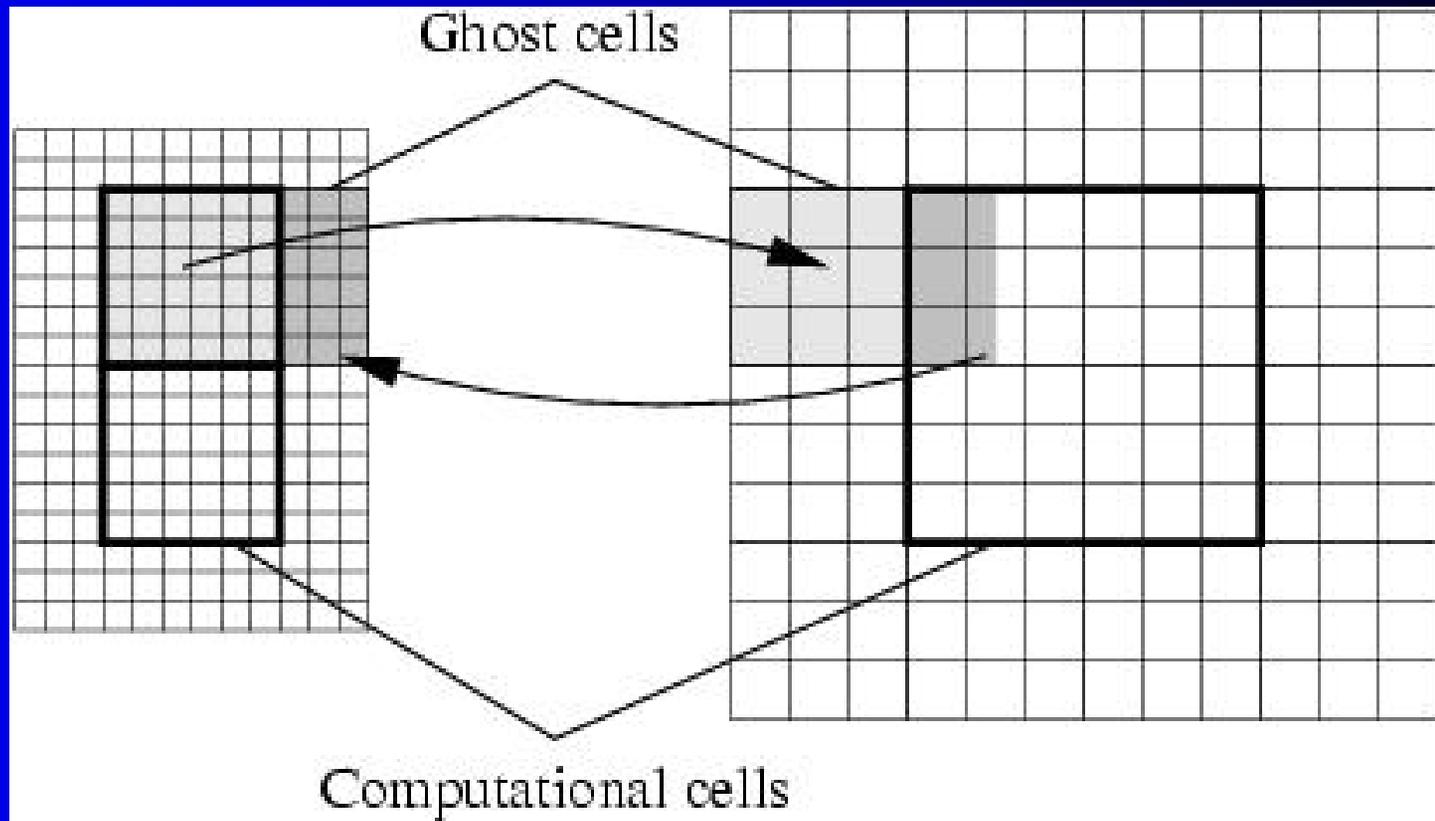


1 reduction level



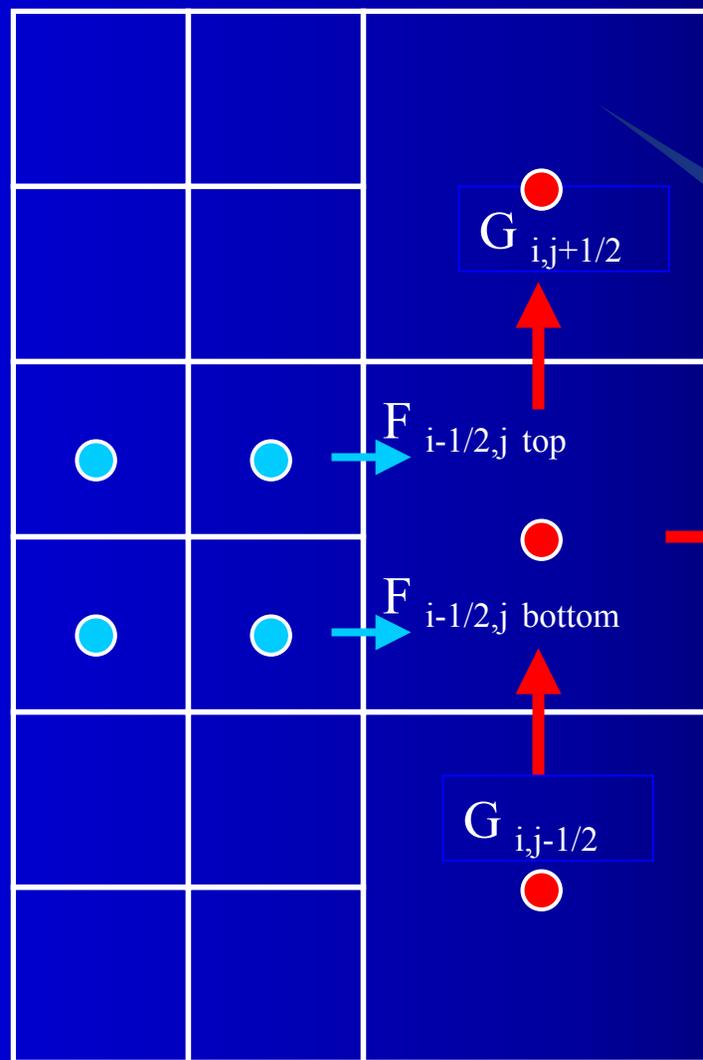
2 reduction levels

Ghost cell exchange at fine-coarse interfaces



Fine – coarse grid interface: Fluxes across boundaries

Ensure mass conservation:
flux averaging
with surface
area weights



- coarse grid point
- fine grid point

F : fluxes in x dir.
 G : fluxes in y dir.

Spherical Adaptive Grid Library

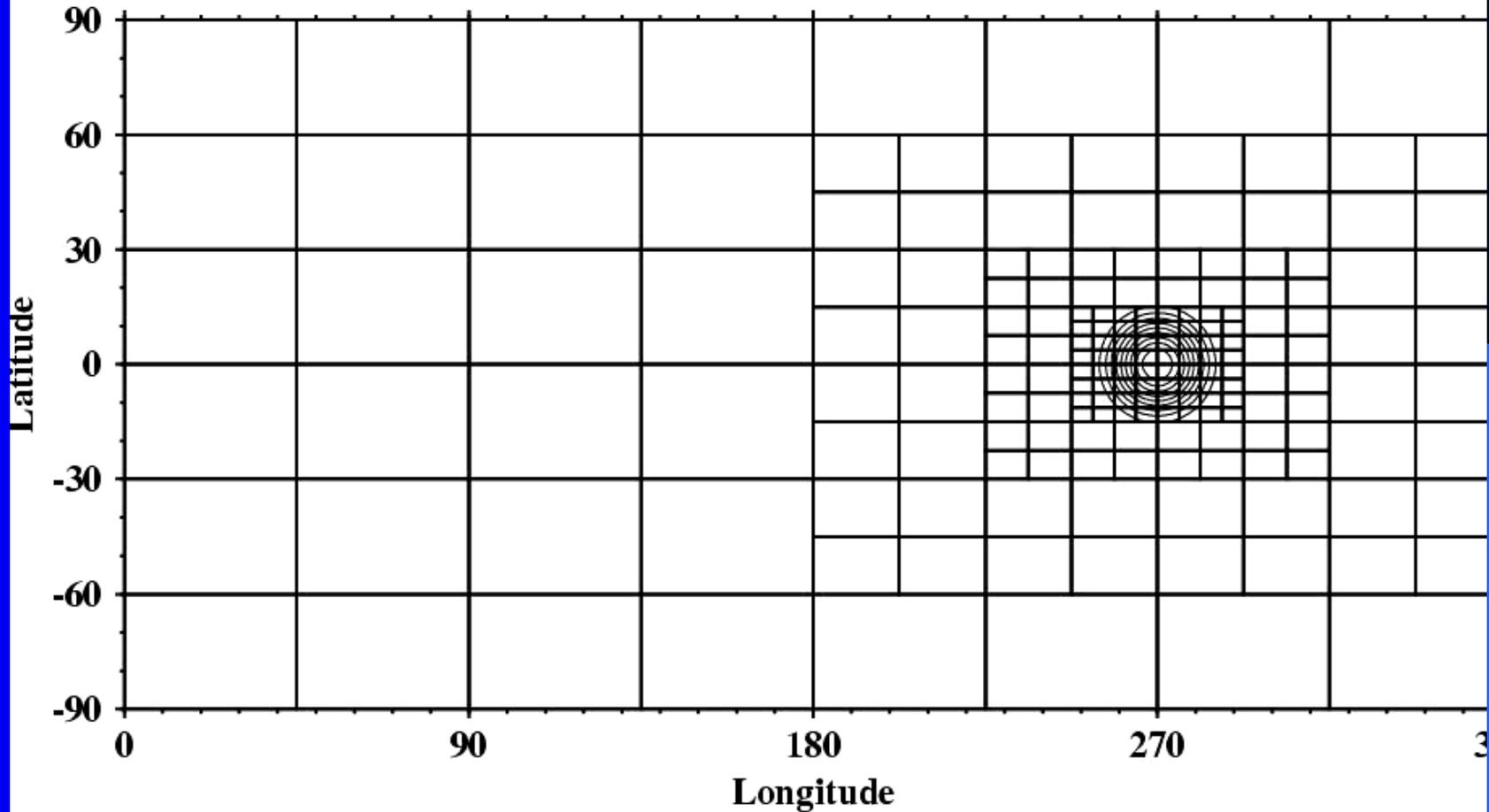
- Block management is done by a Spherical Adaptive Grid Library: developed by Robert Oehmke & Quentin Stout (U of Michigan)
- Designed for distributed memory parallel computers
- **Library manages:**
 - Definition and distribution of the sphere: Initial grid setup
 - MPI communication among neighboring blocks
 - Load balancing: e.g. equal number of blocks on each processor
 - Adaptive grids: generation/destruction of blocks, keeps track of neighbors
 - Iterations through the blocks
- **User supplied routines:**
 - Pack/unpack routines for boundary exchanges
 - Split / Join operations for boundary exchange if neighboring blocks are at different resolutions
 - Interpolation routines for data in newly refined/coarsened blocks

Overview of results: Highlights

- 2D shallow water tests:
(Williamson et al., JCP 1992 test suite)
 - First glimpse: Track the features of interest
 - Advection experiments (test case 1)
 - Advection with a reduced grid
 - Static refinements in regions of interest (test case 2)
 - Dynamic refinements and refinement criteria:
Flow over a mountain (test case 5)
- 3D dynamical core tests:
 - Static refinements along the storm track
 - Dynamic refinements with vorticity criterion

First glimpse: Adaptations at work

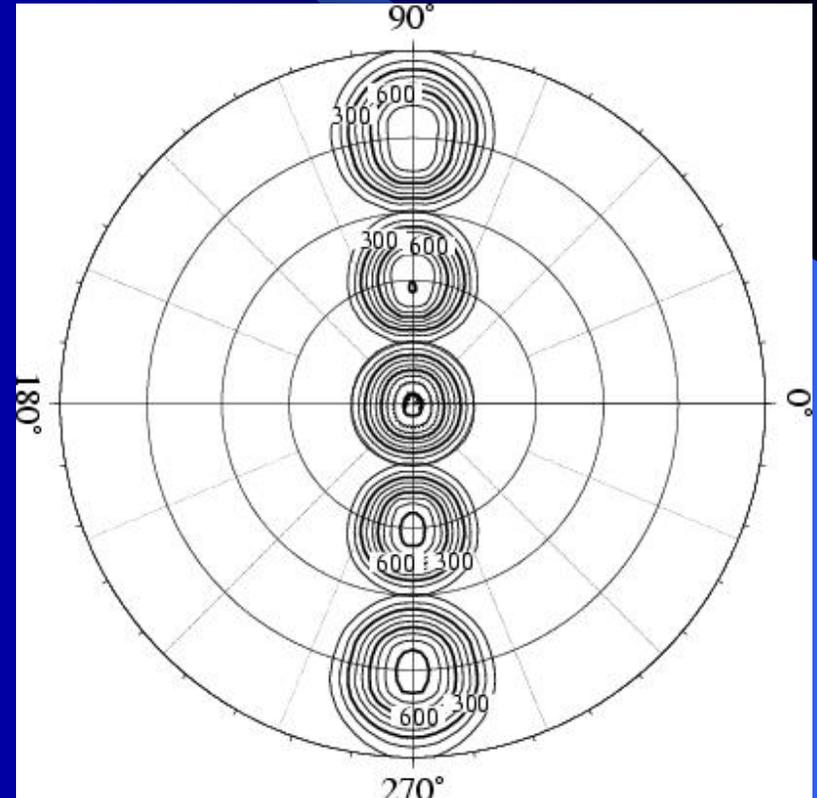
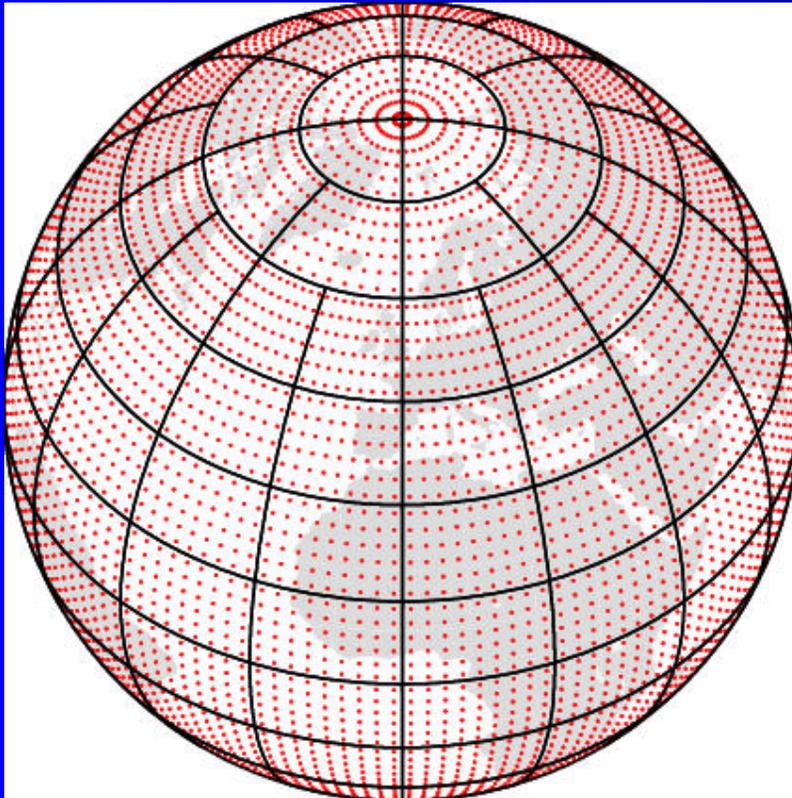
Advection of a cosine bell with 3 refinement levels, $\alpha = 90^\circ$



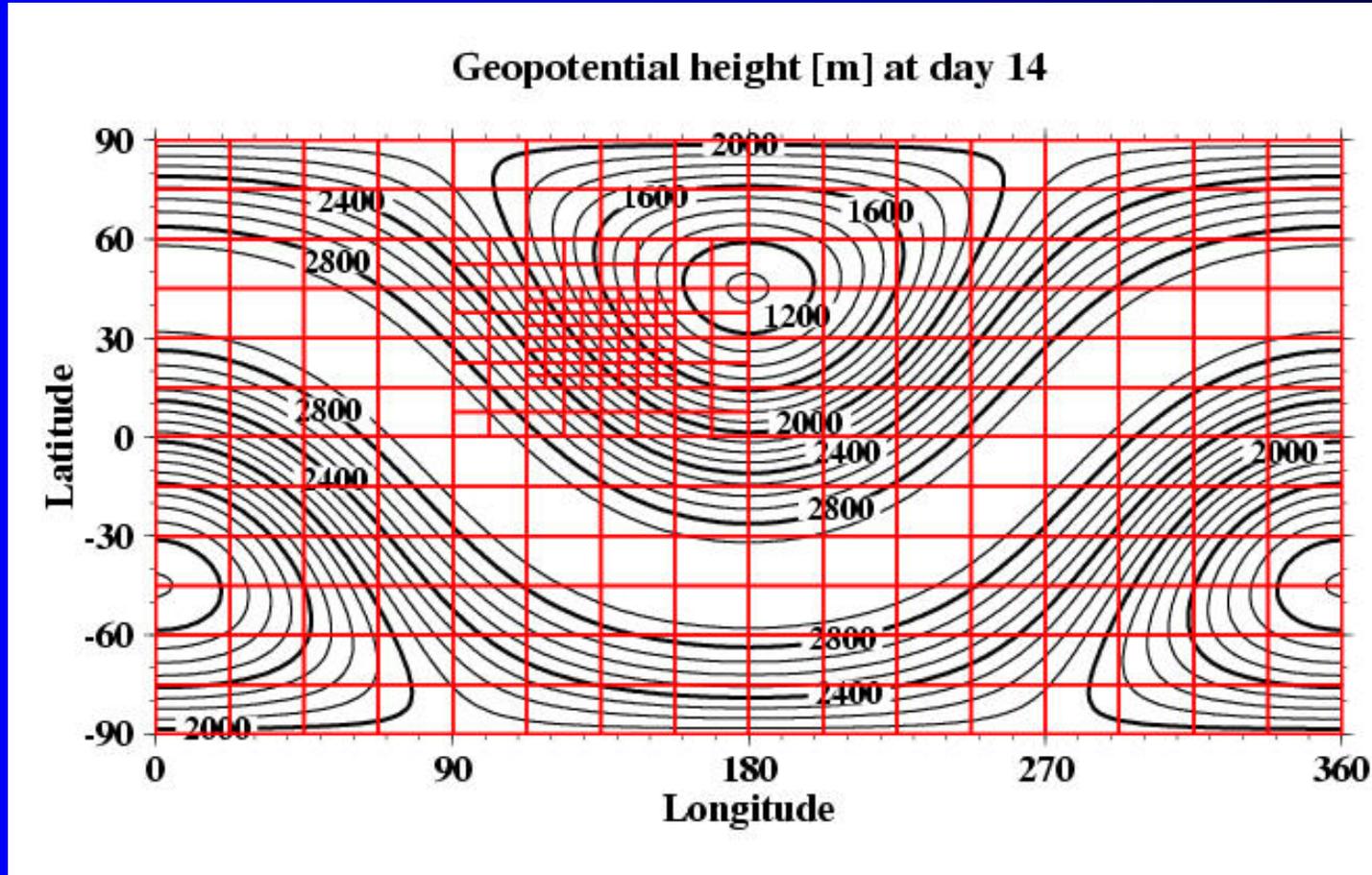
Dynamic adaptations and the reduced grid

2 reductions

- No noise or distortions
- accurate transport



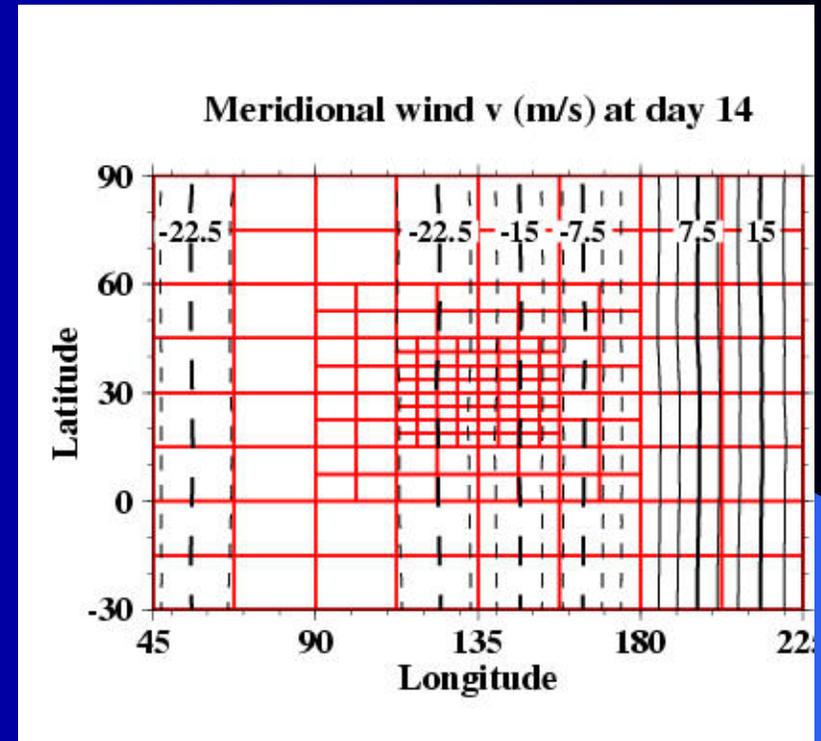
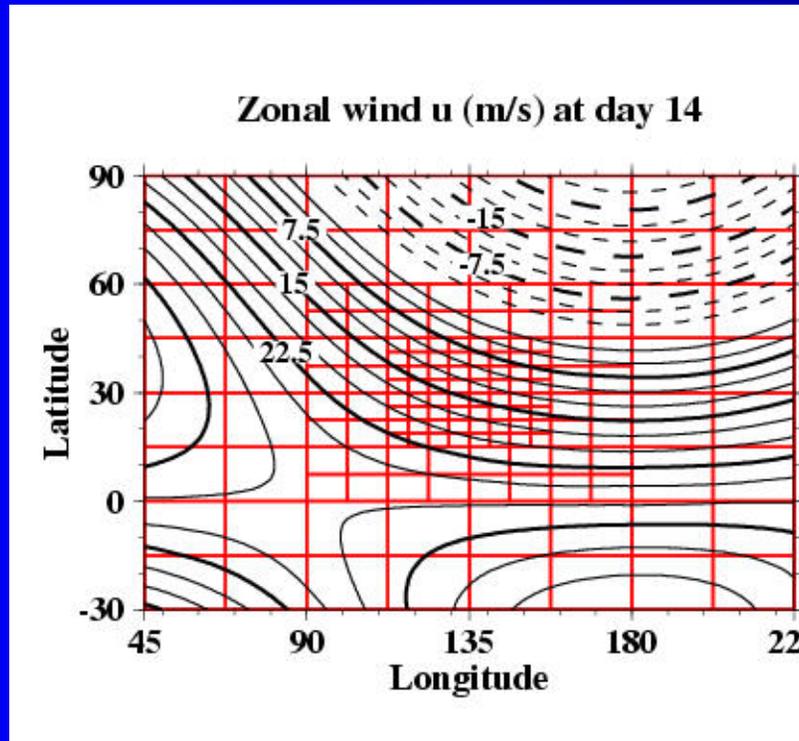
2D Static adaptations: Region of interest



Test
case 2,
 $\alpha = 45$

- Smooth flow in regimes with strong gradients

2D Static adaptations: Closer look

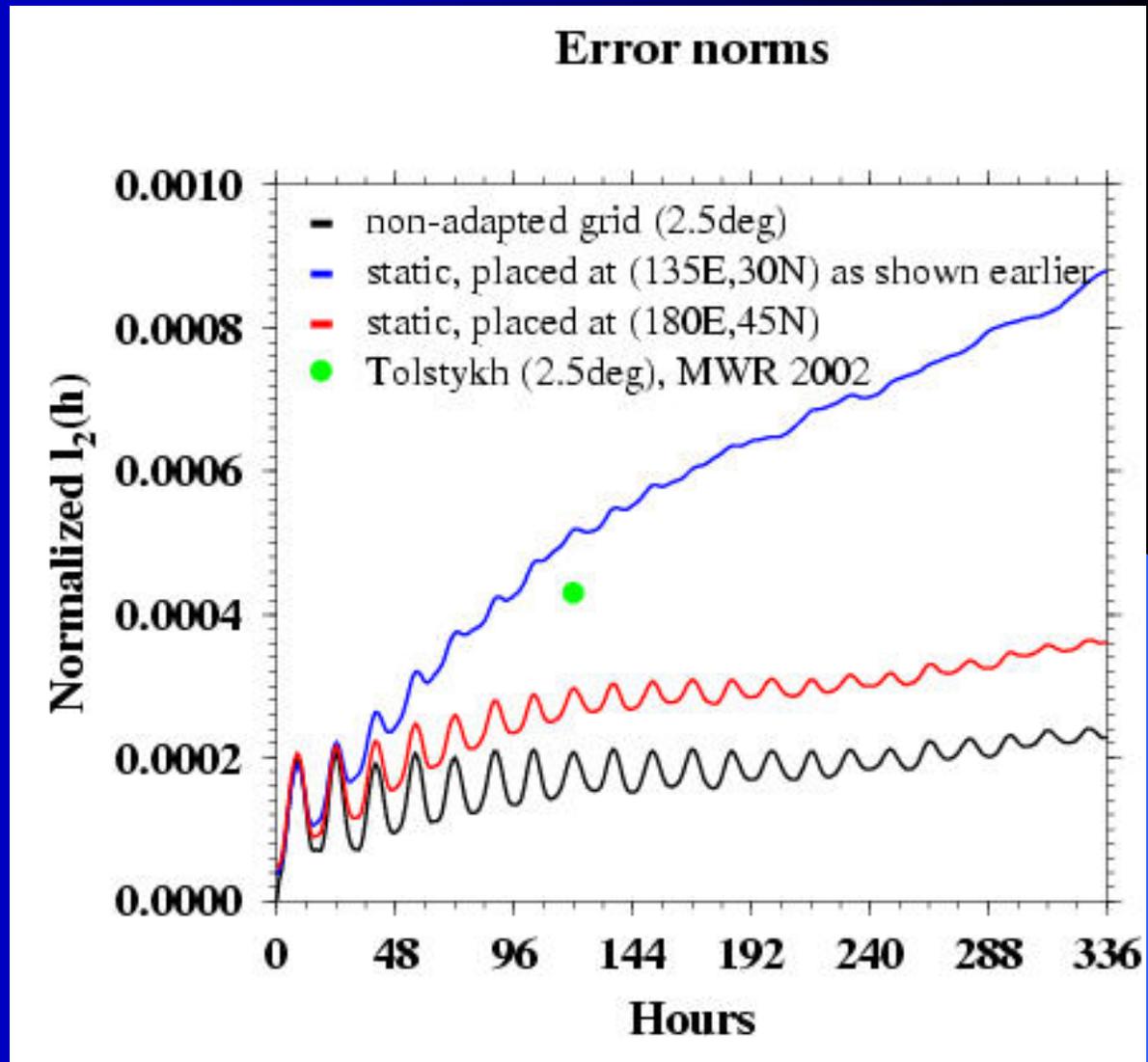


- Smooth wind field
- No severe noise or distortions at the fine-coarse grid interface

2D Static adaptations: Error norms

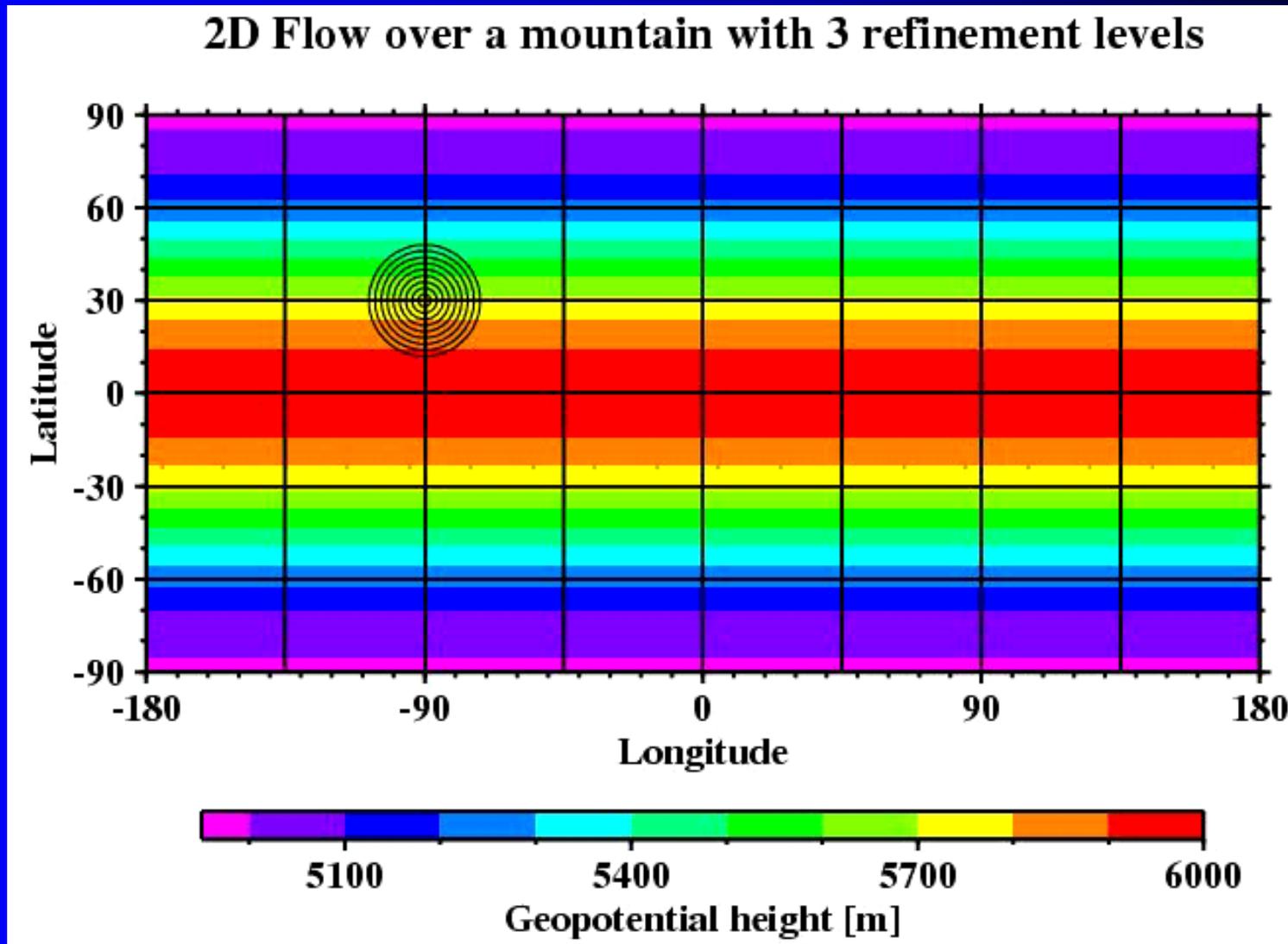
Test case 2, $\alpha = 45$:

- Errors at grid interfaces are moderate
- Errors increase in regions with strong gradients



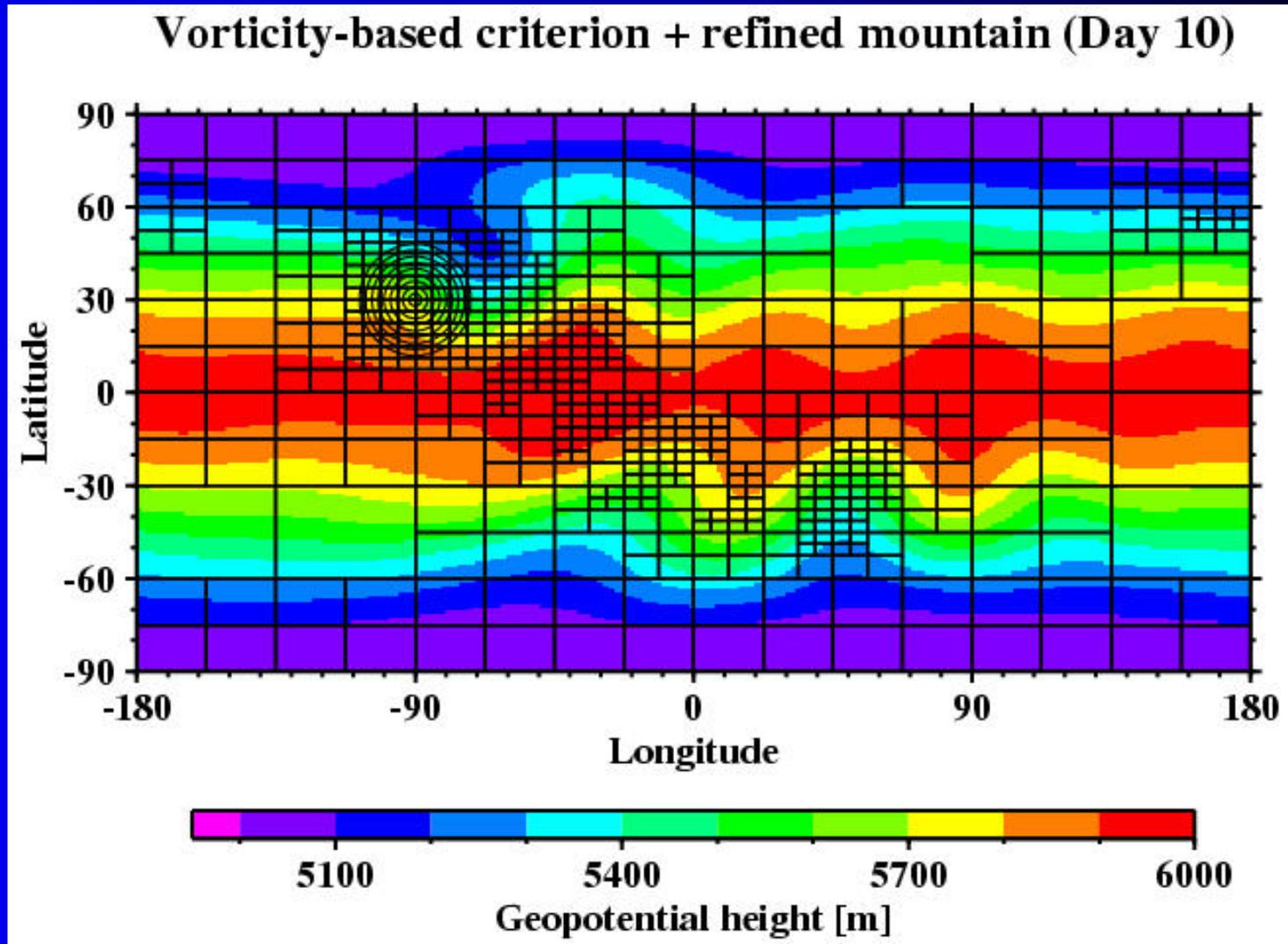
2D Dynamic adaptations

Test case 5



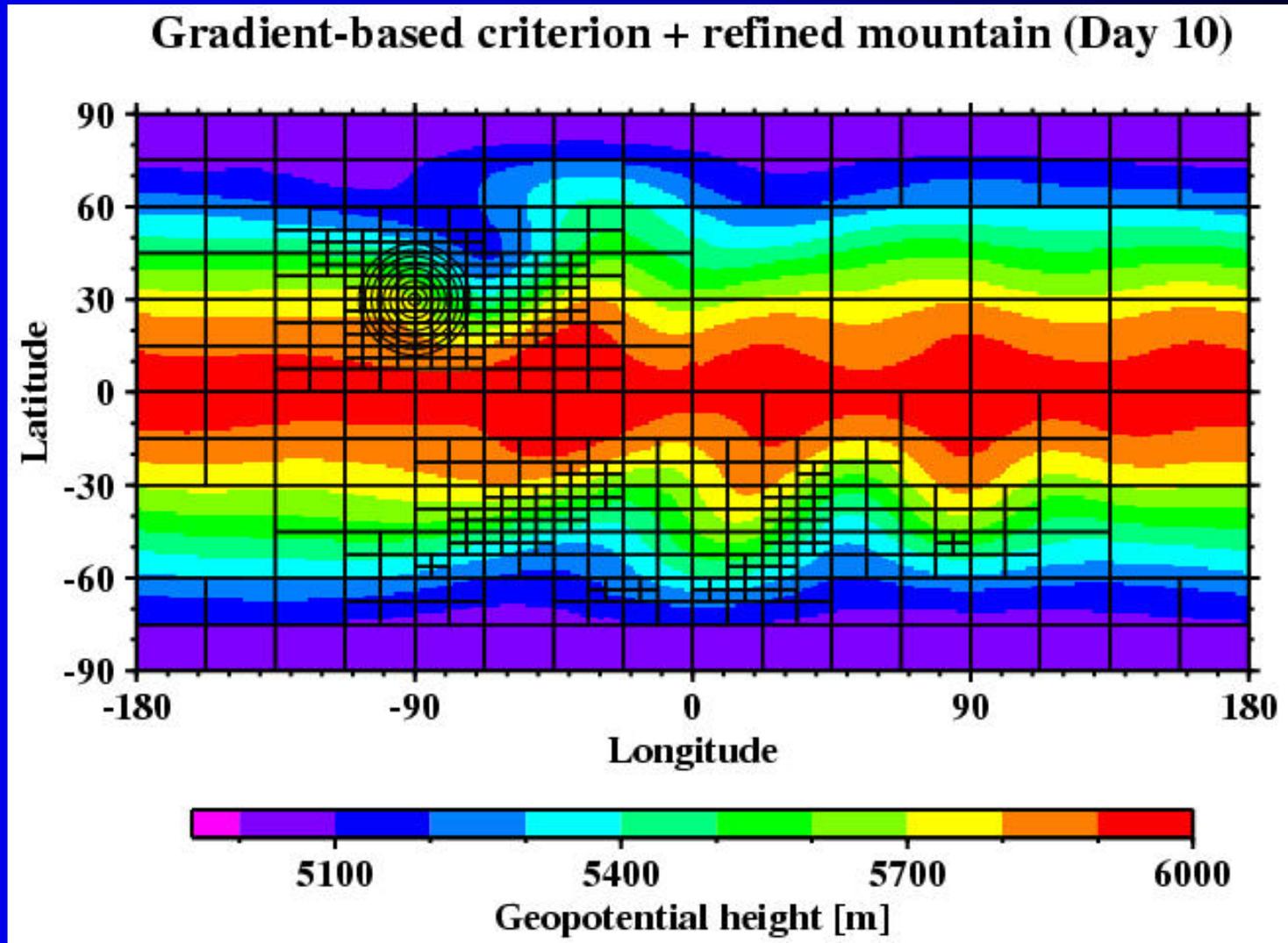
Adaptation criterion: based on the gradient of the geopotential height field

Adaptation criterion: Vorticity



Vorticity criterion detects regions with strong curvature

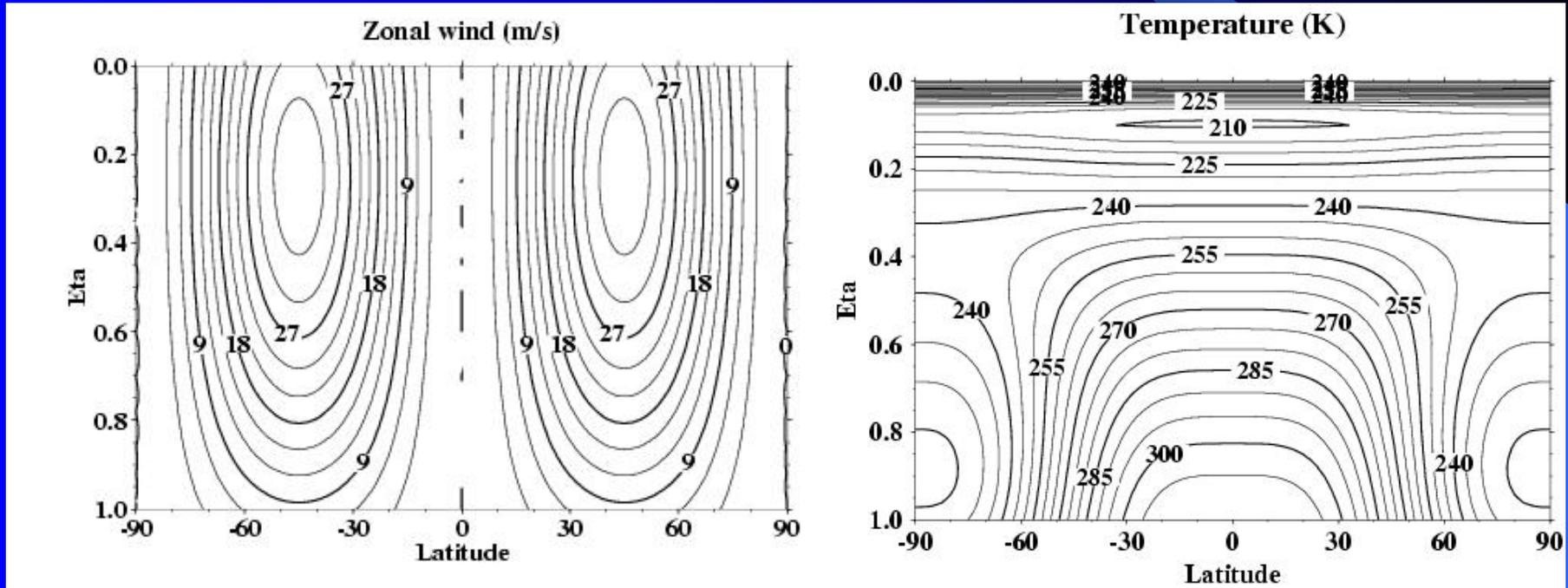
Adaptation criterion: Geopotential gradient



Gradient criterion detects disconnected regions of the wave train

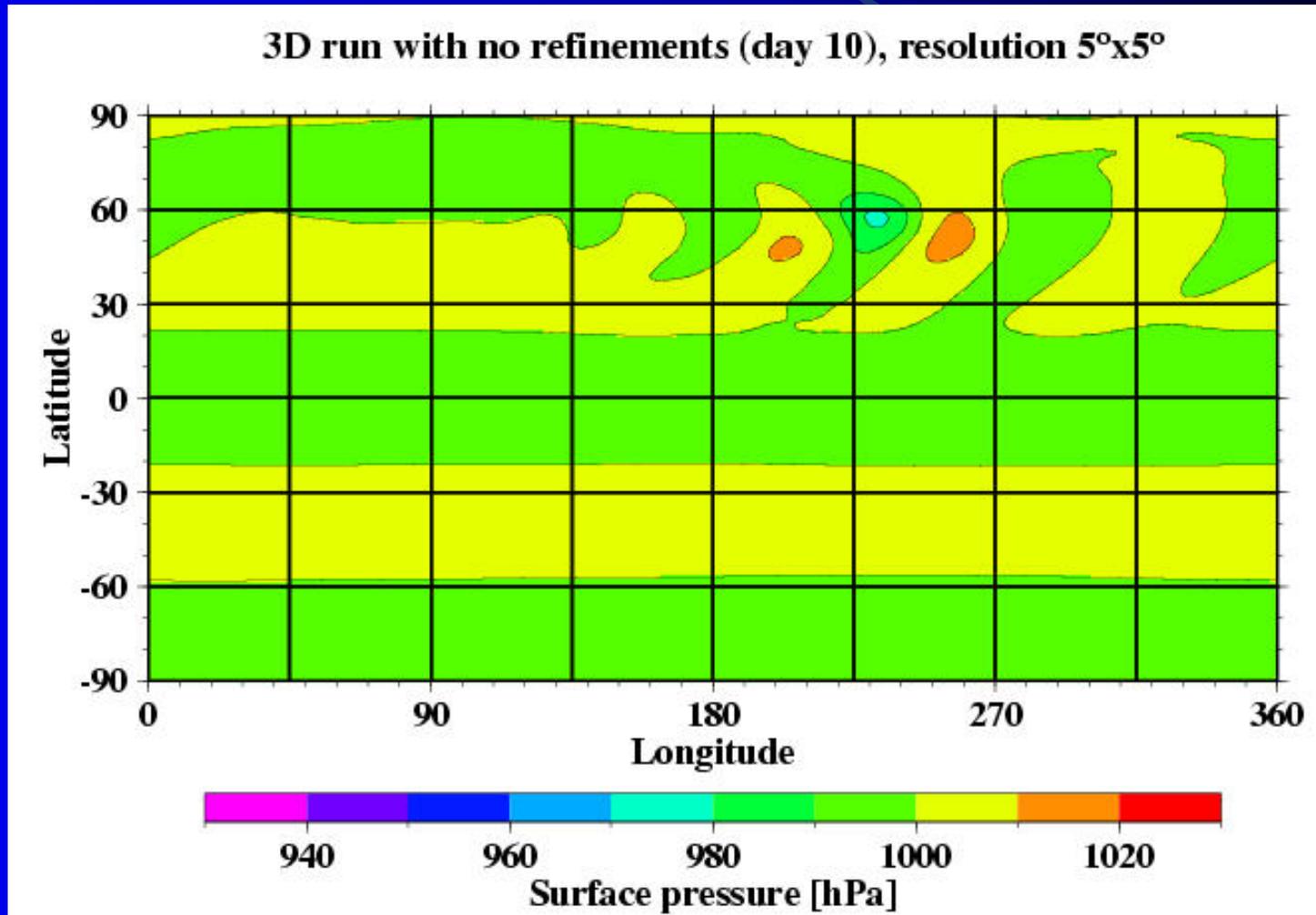
Baroclinic wave test case

- analytically specified balanced initial field with overlaid perturbation
- baroclinic wave develops after 5-10 days
- deterministic test that converges towards reference solution



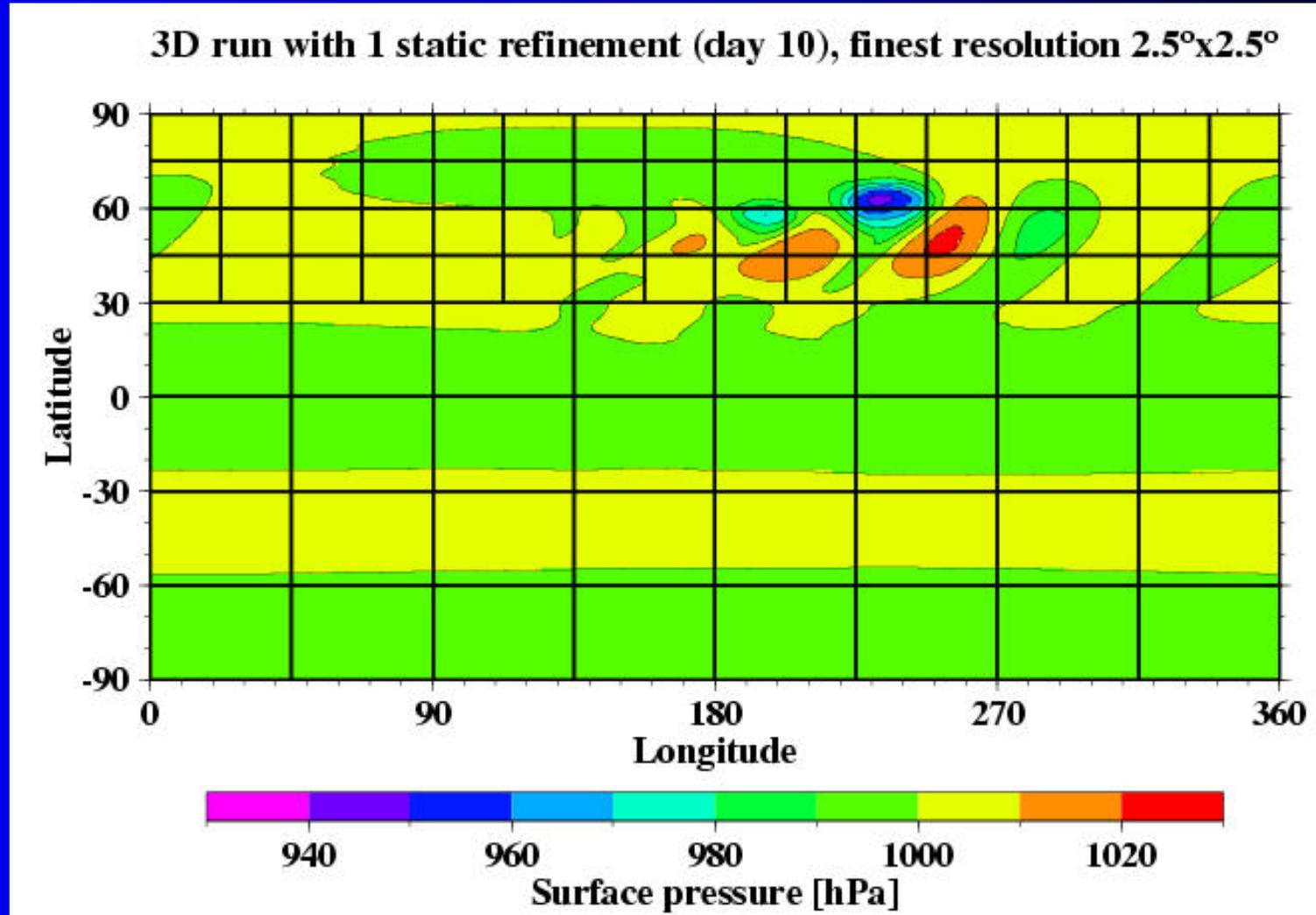
Baroclinic waves in the 3D regime

- Jablonowski-Williamson baroclinic wave test case for dyn. cores
- Coarse resolution does not resolve the wave train



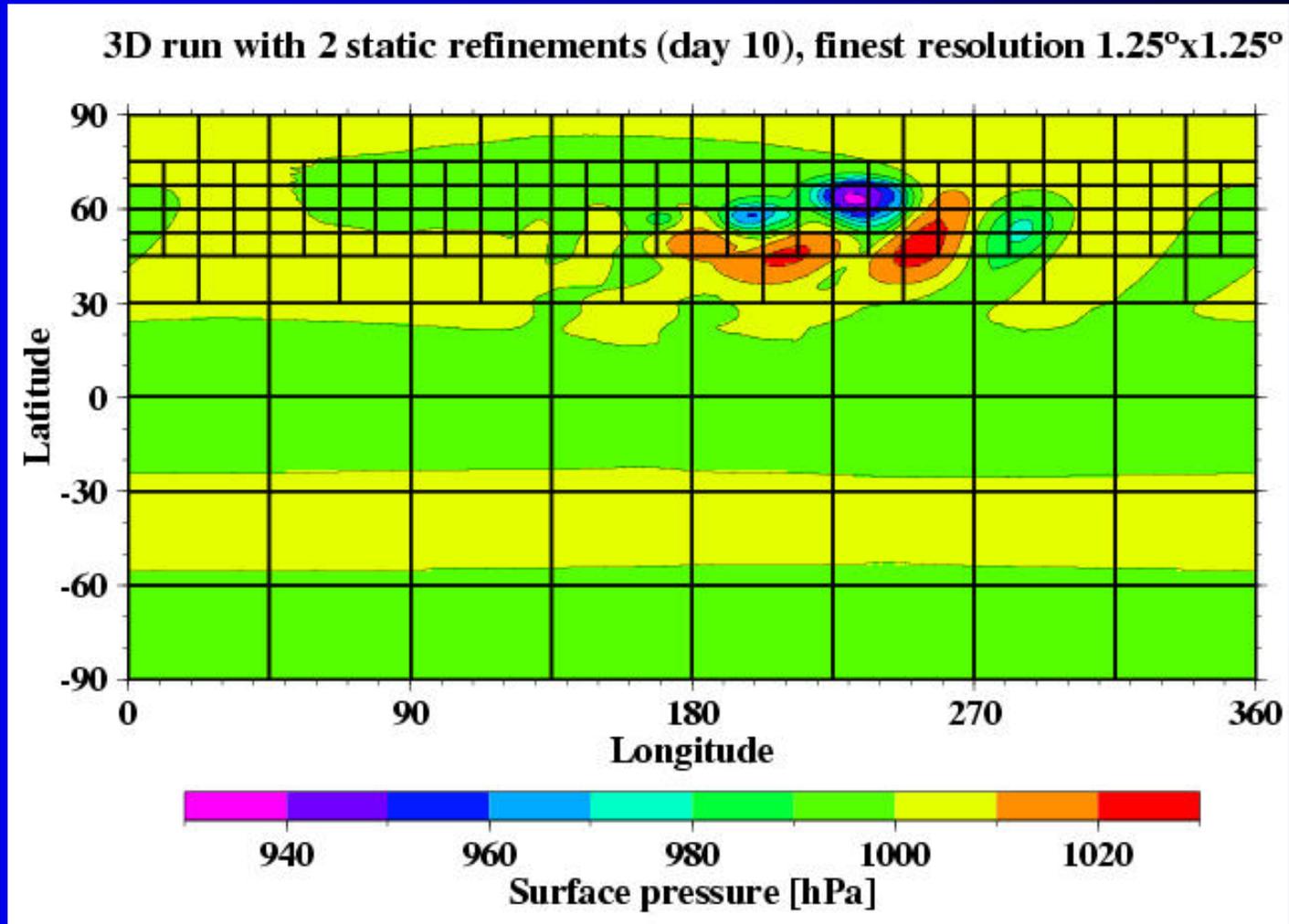
Static adaptations in 3D

- 1 Refinement along the storm track improves the simulation



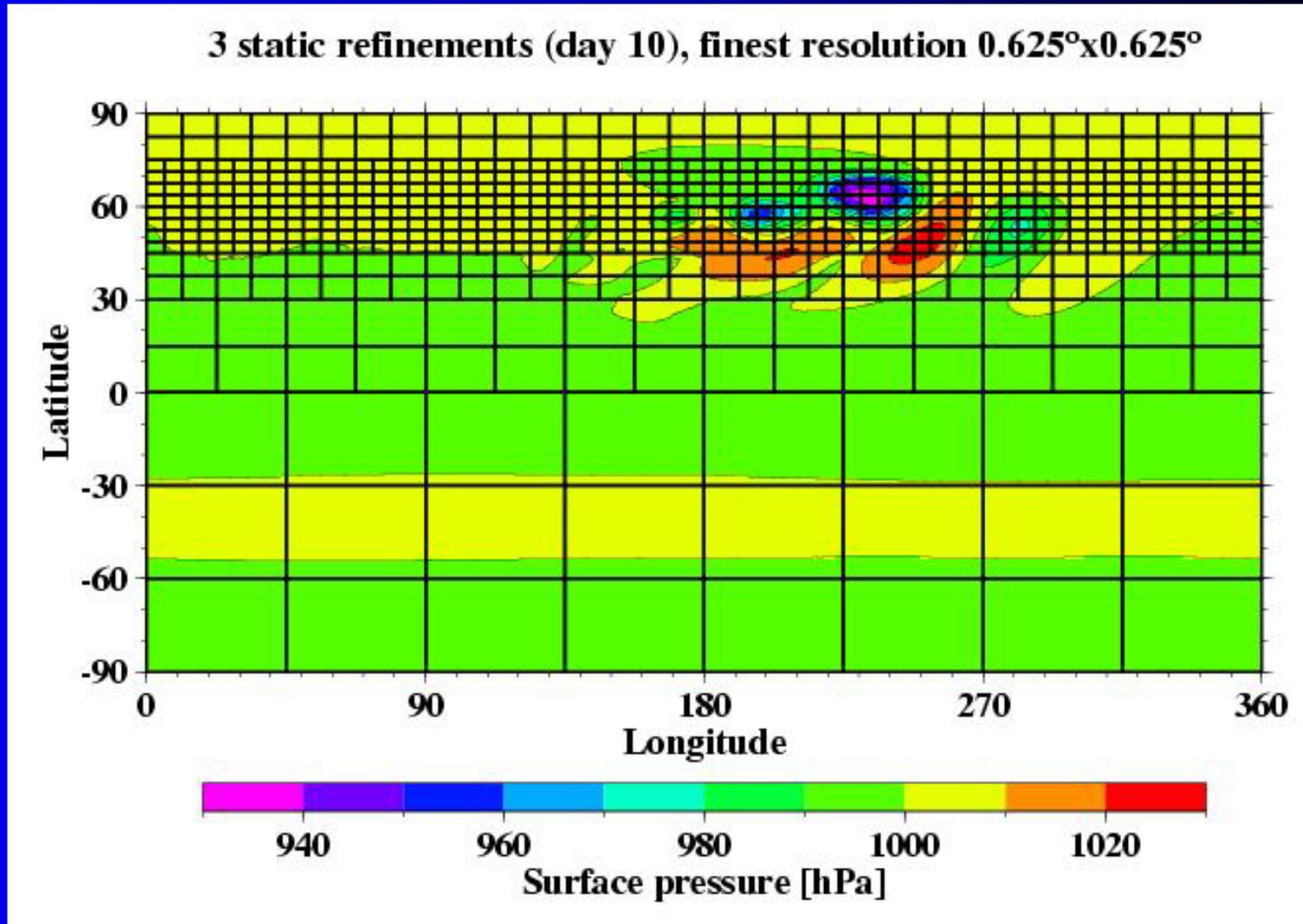
Static adaptations in 3D

- 2 Refinements along the storm track capture the wave accurately



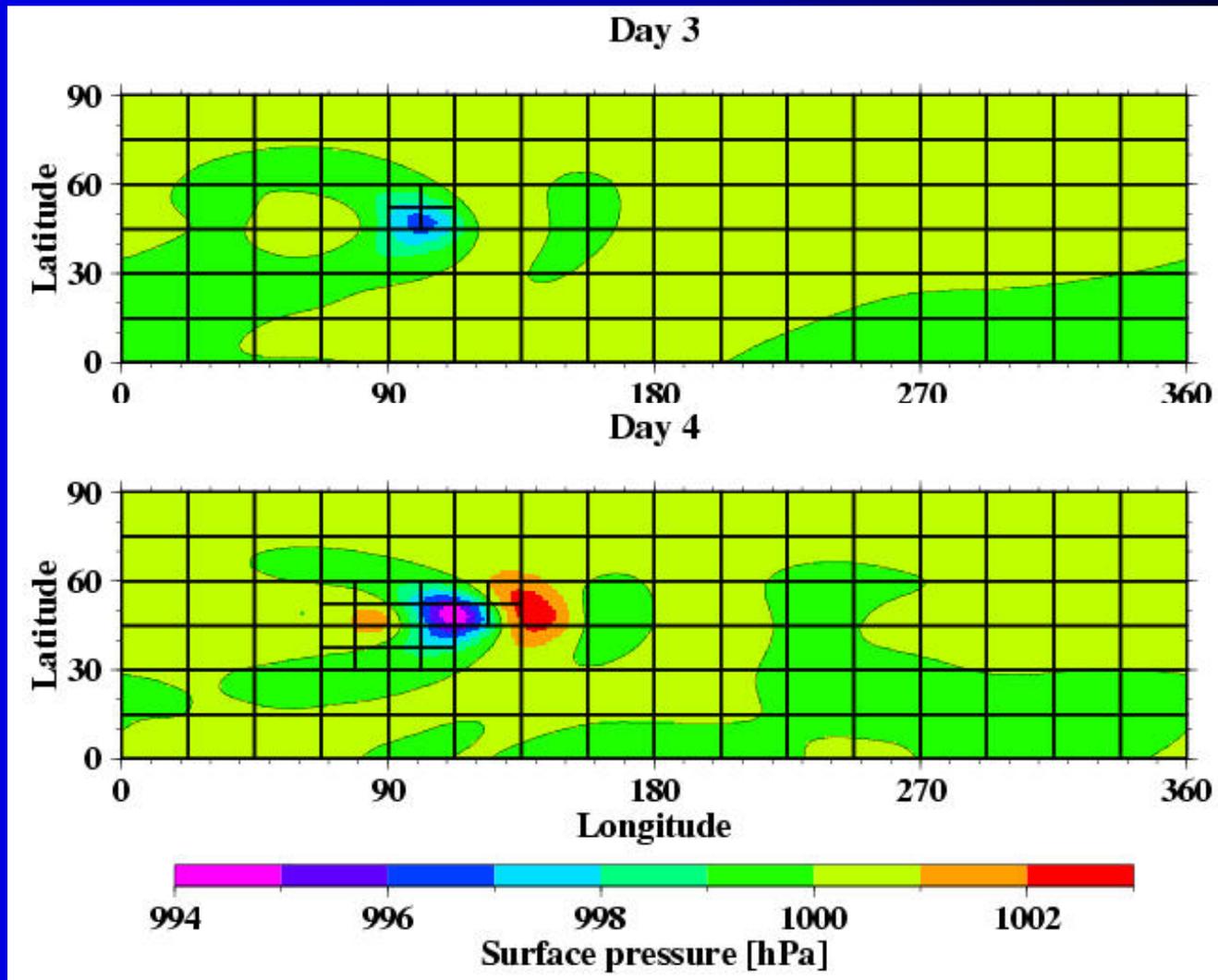
Static adaptations in 3D

- 3 Refinements along the storm track: no further intensification



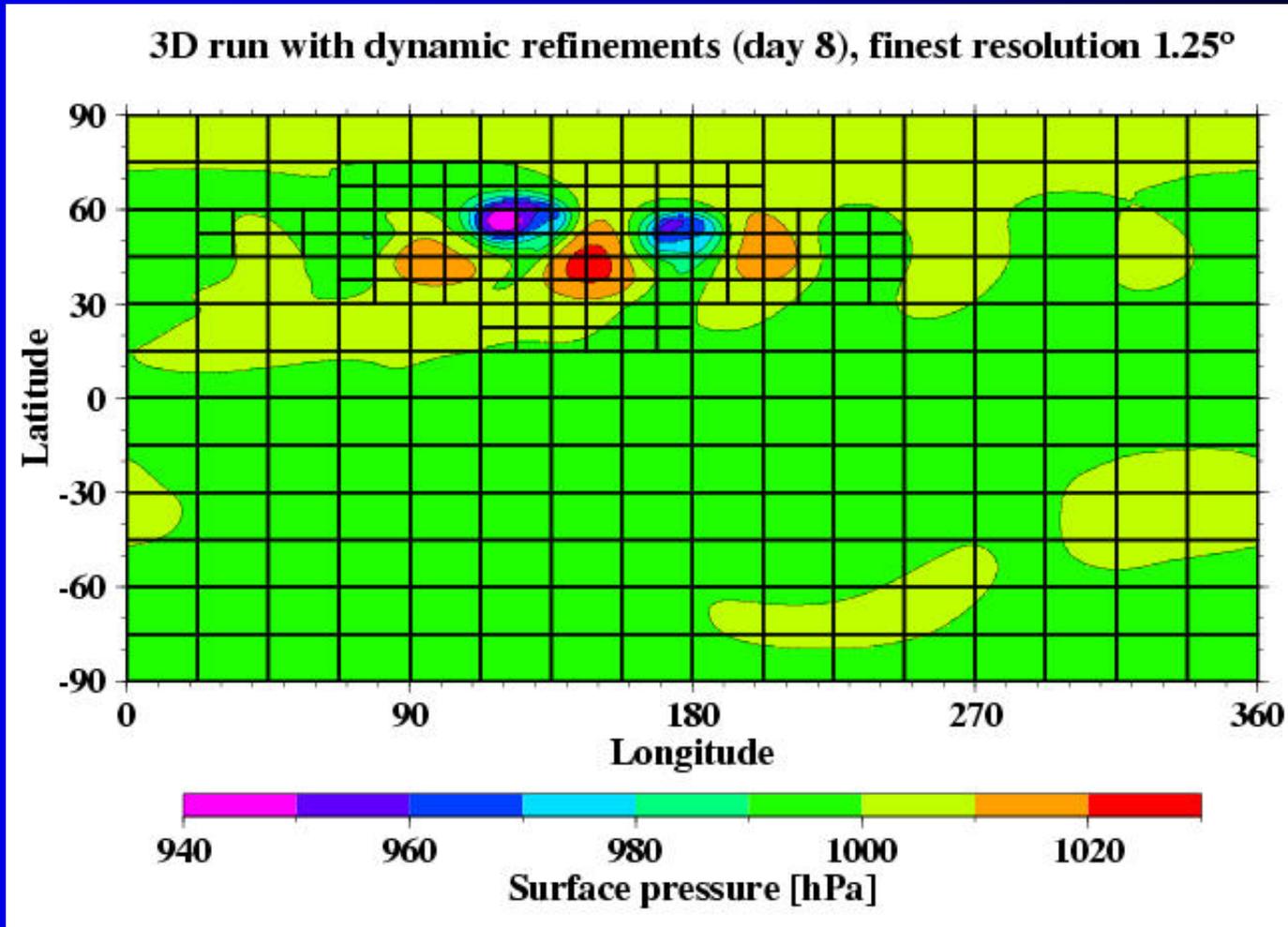
Dynamic adaptations in 3D

- Polvani et al. 2004 baroclinic wave test case
- Refinements are guided by relative vorticity threshold



Dynamic adaptations in 3D

- Baroclinic wave is detected, more accurate prediction
- Sensitive relative vorticity threshold: $0.75 \cdot 10^{-5} \text{ 1/s}$

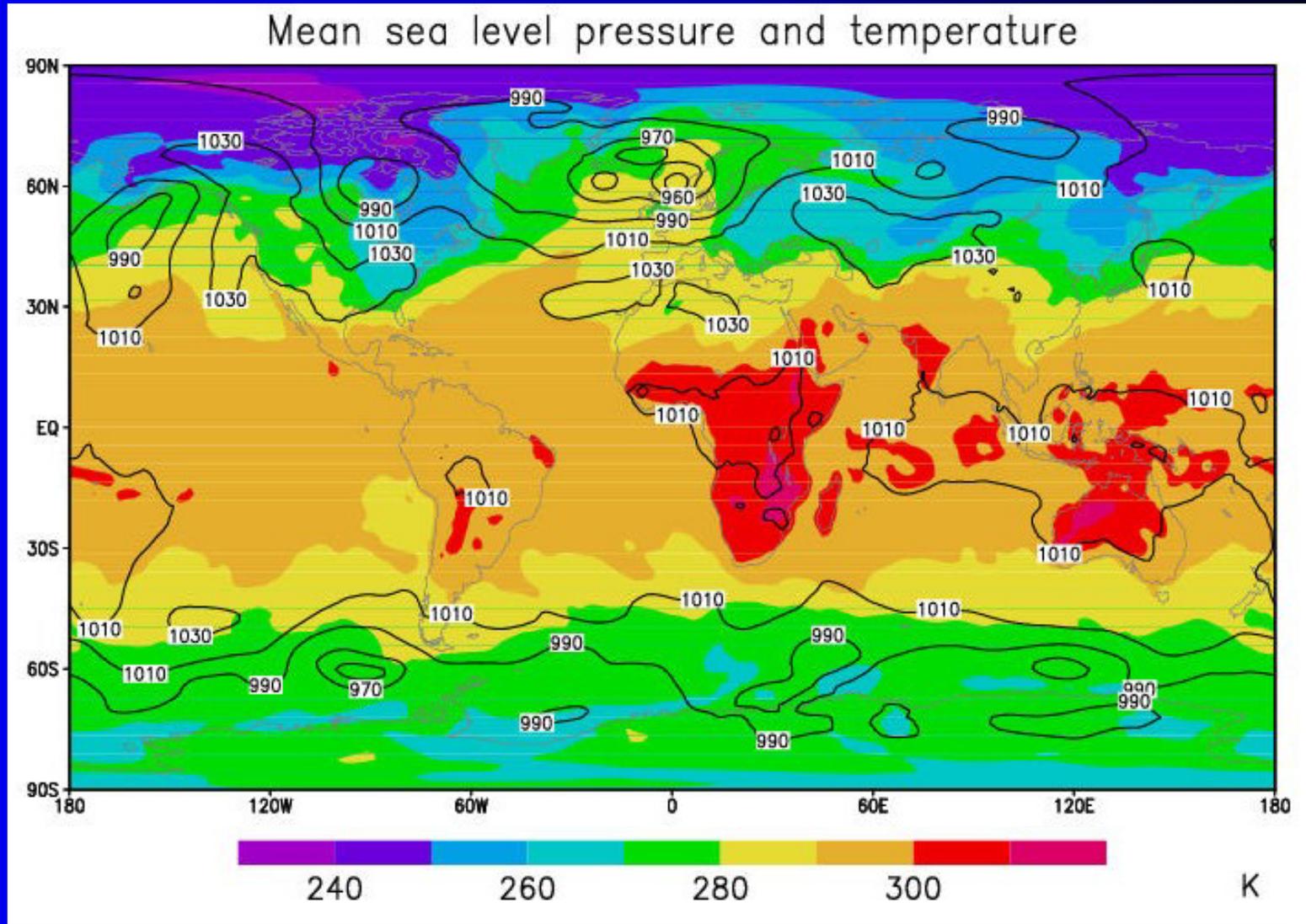


Dynamic adaptation criteria: Features of interest

- Based on **flow characteristics**:
 - Simple thresholds
 - Gradient: grid is refined in regions with sharp gradients and coarsened in regions with smooth flows
 - Curvature
 - Flow features:
 - Vorticity
 - Divergence
 - Instability indicators, vertical temperature profiles
 - Cloud distribution, tracer concentration, convection, squall lines
- Based on **numerics**:
 - Estimation of the (numerical) local truncation error

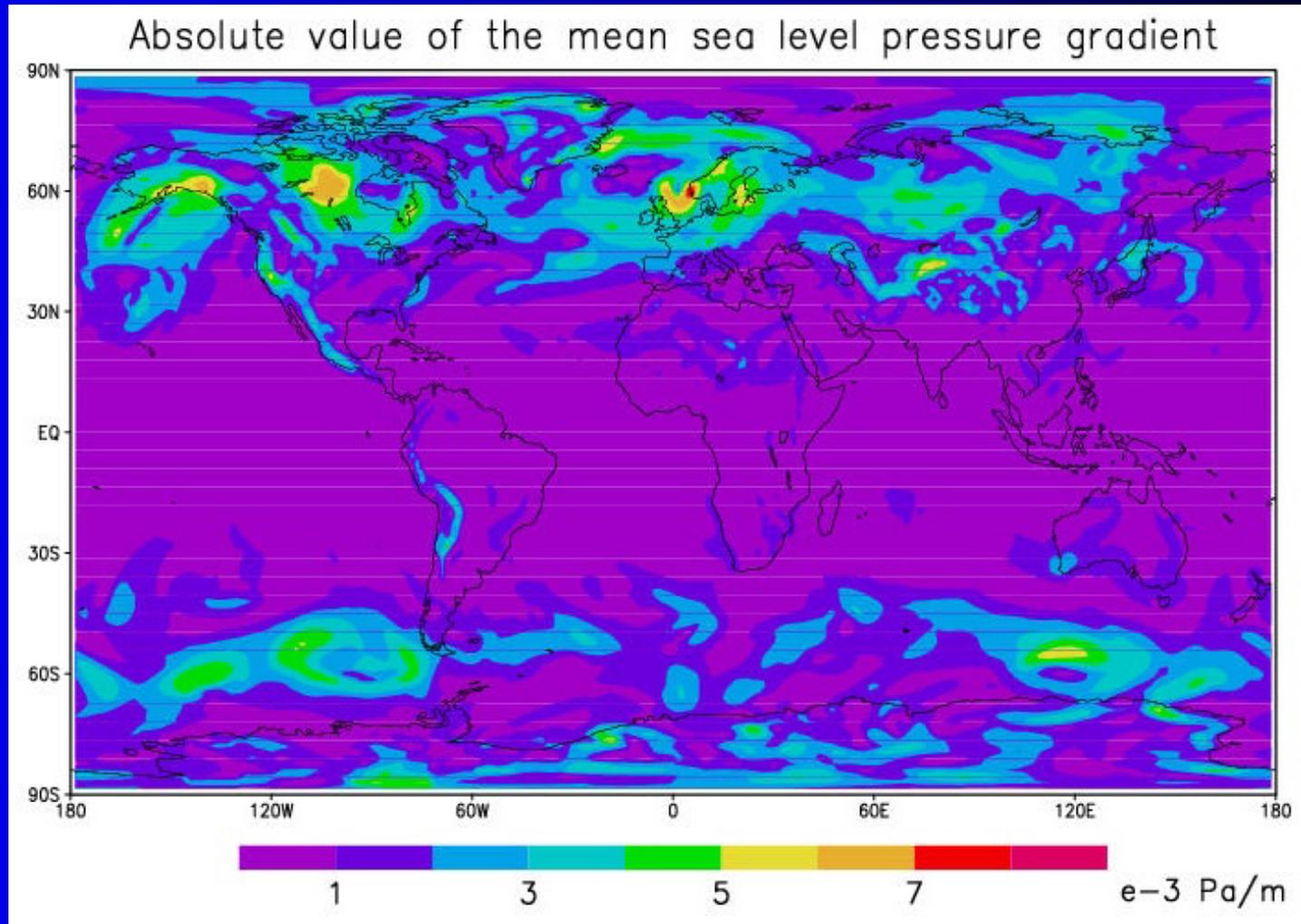
Widely used: flow-based (gradient) indicators, but maybe mix is best
in 3D: vertical level must be selected

Real weather scenarios: 3D regimes



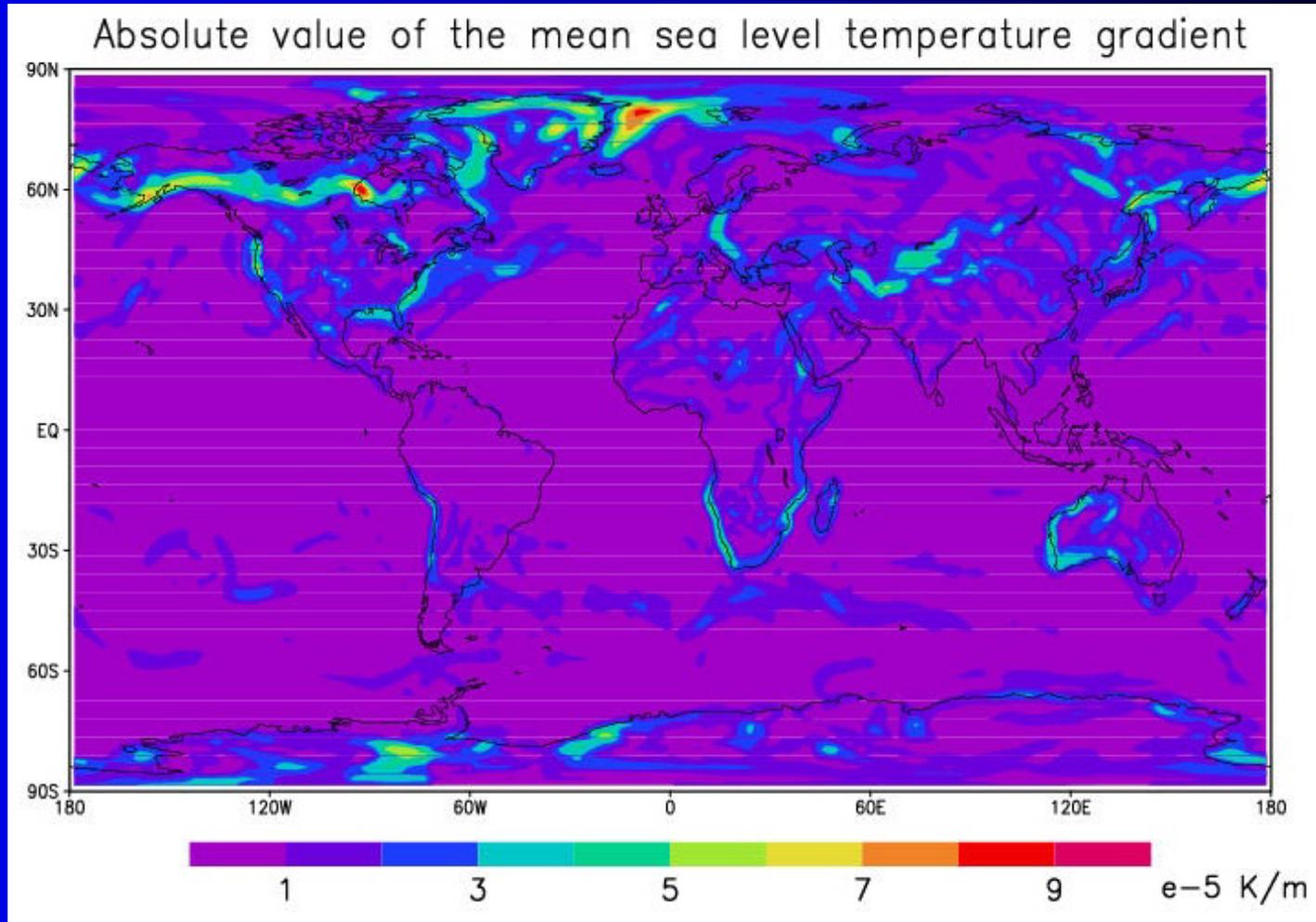
Winter storm in Europe on December 25, 1999

Assessment of possible refinement criteria



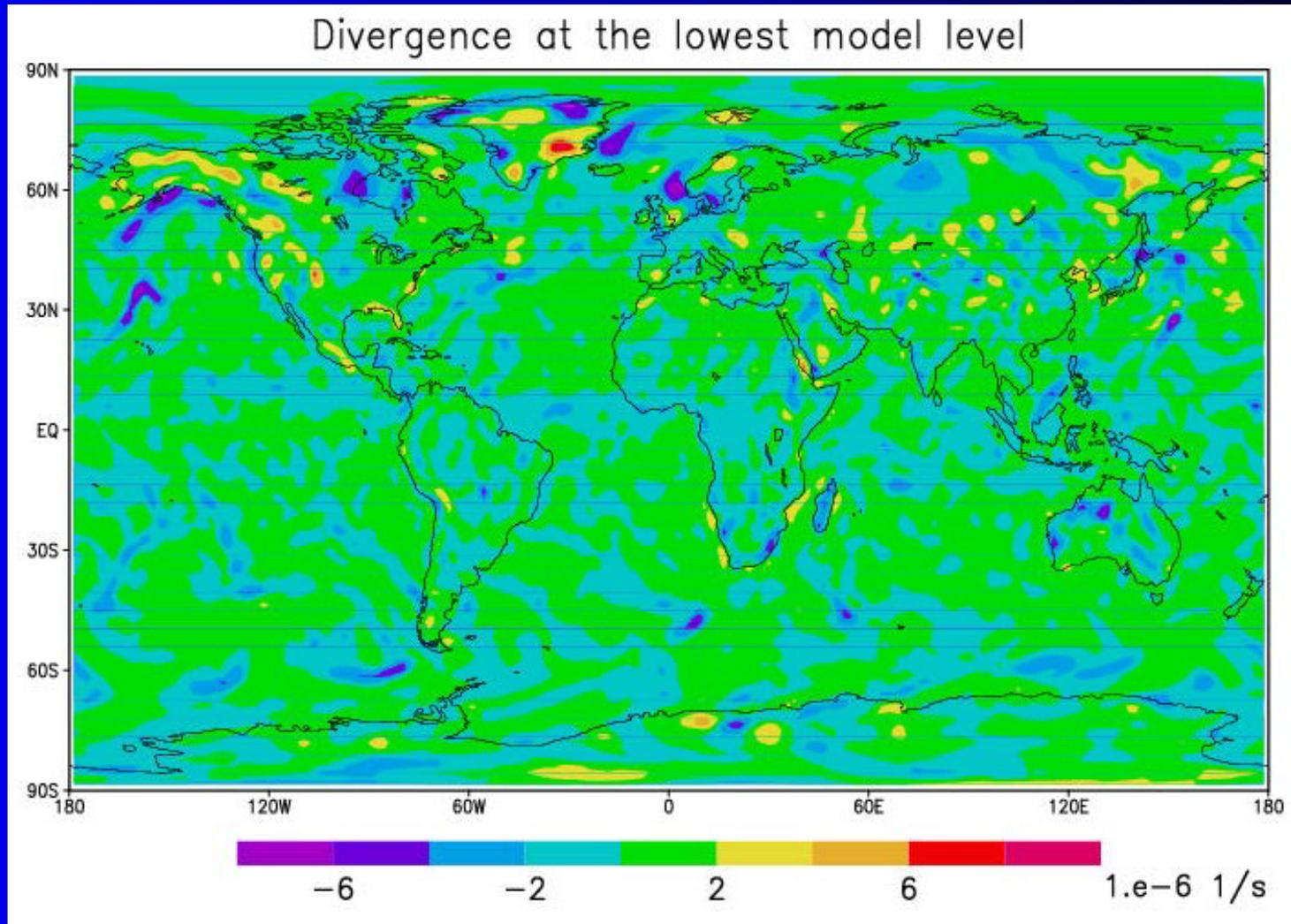
Suitable criterion for baroclinic waves, centers not necessarily detected,
Post-processing quantity

Assessment of possible refinement criteria



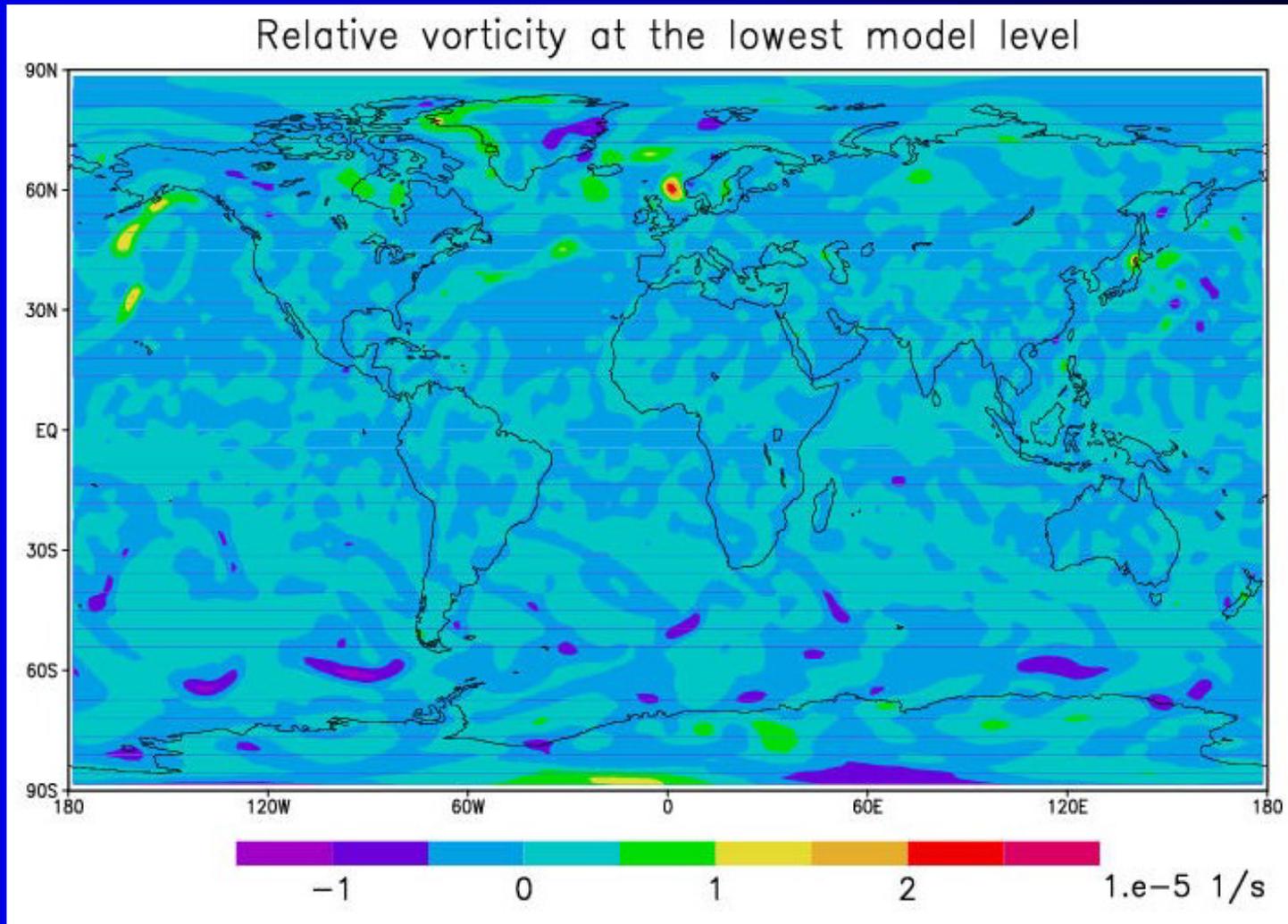
Problematic: also detects land-sea mask, cyclone not detected,
post-processing quantity

Assessment of possible refinement criteria



Problematic: Divergence can be noisy

Assessment of possible refinement criteria



Readily available on model levels: Possibly best option
Choice of the vorticity threshold determines the sensitivity

Conclusions

- Static and dynamic refinements on the sphere work
 - AMR is a current research topic for the atmospheric sciences
 - Future outlook:
 - Static and dynamic adaptations are a viable option for short-term weather predictions
 - ✓ track storms as they appear
 - ✓ focus on forecast region of interest: replace nested grids
 - Static adaptations are feasible for long-term climate studies
 - ✓ refine mountainous terrain, reinitialize orography
- ⇒ Future steps: Add NCAR's 'physics' package, assess ref. criteria